



## Paper proposal



# Measurement of system size dependence of directed flow of protons (anti-protons) at RHIC

Muhammad Farhan Taseer

mfarhan\_taseer@impcas.ac.cn

On behalf of PAs



中国科学院近代物理研究所

Institute of Modern Physics, Chinese Academy of Sciences

2024/10/16

- ❖ **Target journal:** Phys. Rev. Lett.
- ❖ **PA List:** Jinhui Chen, Aditya Prasad Dash, Huan Huang, Hao Qiu, Diyu Shen, Subhash Singha, Aihong Tang, Muhammad Farhan Taseer and Gang Wang



中国科学院大学

University of Chinese Academy of Sciences





# General Information

---



- Paper title:** Measurement of system size dependence of directed flow of protons (anti-protons) at RHIC
- PA List:** Jinhui Chen, Aditya Prasad Dash, Huan Huang, Hao Qiu, Diyu Shen, Subhash Singha, Aihong Tang, Muhammad Farhan Taseer and Gang Wang
- Contact:** mfarhan\_taseer@impcas.ac.cn
- Targeted journal:** Phys. Rev. Lett.
- Webpage:** in preparation
- Analysis note:** in preparation
- Paper draft:** in preparation



# Previous Presentations

---



## ❖ Talks in PWG meeting:

- ✓ [https://drupal.star.bnl.gov/STAR/system/files/TASEER\\_UU\\_FCV%20%281-05-2024%29.pdf](https://drupal.star.bnl.gov/STAR/system/files/TASEER_UU_FCV%20%281-05-2024%29.pdf)
- ✓ <https://drupal.star.bnl.gov/STAR/blog/mftaseer/Charge-dependent-directed-flow-UU-Collisions-193-GeV>

## ❖ Talks in international meetings:

- ✓ [https://drupal.star.bnl.gov/STAR/system/files/Measurement%20of%20charge-dependent%20directed%20flow%20in%20STAR%20Beam%20Energy%20Scan%20%28BES-II%29%20Au%2BAu%20and%20U%2BU%20Collisions%20%282024-06-04%29\\_0.pdf](https://drupal.star.bnl.gov/STAR/system/files/Measurement%20of%20charge-dependent%20directed%20flow%20in%20STAR%20Beam%20Energy%20Scan%20%28BES-II%29%20Au%2BAu%20and%20U%2BU%20Collisions%20%282024-06-04%29_0.pdf) (SQM-2024)

## ❖ Preliminary figures:

- ✓ [https://drupal.star.bnl.gov/STAR/system/files/TASEER\\_UU\\_Premilinary%20%2815-05-2024%29.pdf](https://drupal.star.bnl.gov/STAR/system/files/TASEER_UU_Premilinary%20%2815-05-2024%29.pdf)

## ❖ SQM Proceedings:

- ✓ <https://drupal.star.bnl.gov/STAR/presentations/SQM-2024/Measurement-charge-dependent-directed-flow-STAR-Beam-Energy-Scan-BES-II-AuA-2>



# Physics Motivation



**Directed Flow ( $v_1$ )** describes the collective sideward motion of the produced particles and nuclear fragments → carries information from the early stages of collision

$$v_1 = \langle \cos(\phi - \Psi_{EP}) \rangle / R\{\Psi_{EP}\}$$

- $R$  Event Plane Resolution
- $\Psi$  Event Plane azimuthal Angle
- $\phi$  Azimuthal angle of outgoing particles

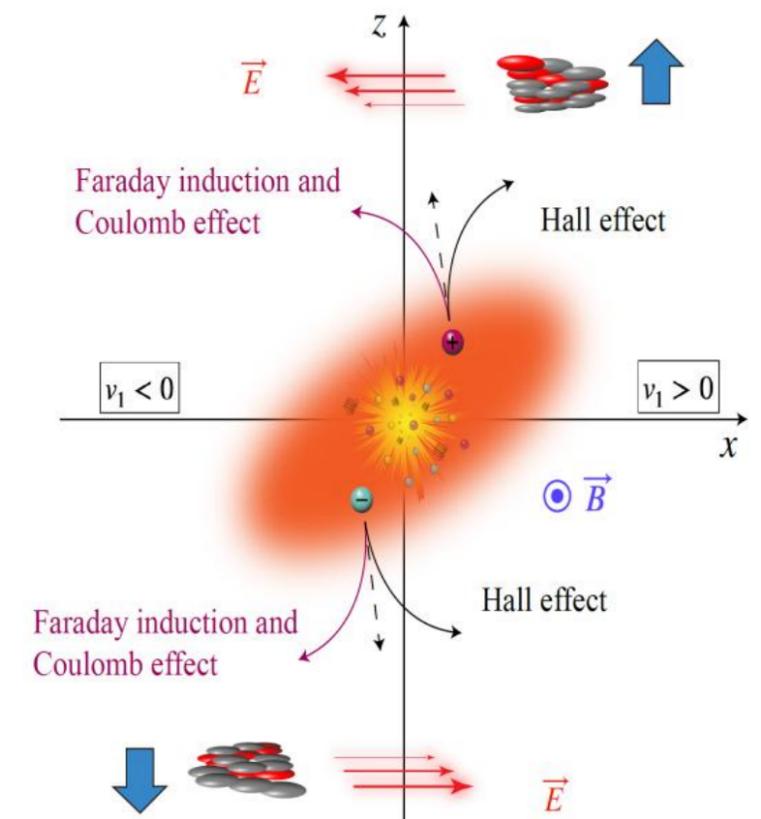
In the expanding QGP, quarks experience following electromagnetic effects [1]

- ➔ **Hall Effect:**  $F = q (v \times B)$  by Lorentz Force
- ➔ **Coulomb Effect:**  $E$  generated by spectator nucleons
- ➔ **Faraday Induction:** decreasing  $B$  as spectators fly away

These electromagnetic forces provide opposite contribution of  $v_1$  to particles with opposite charges

$$I_{(total)} = I_{(Hall)} + I_{(Faraday)}$$

**Directed Flow ( $v_1$ )**

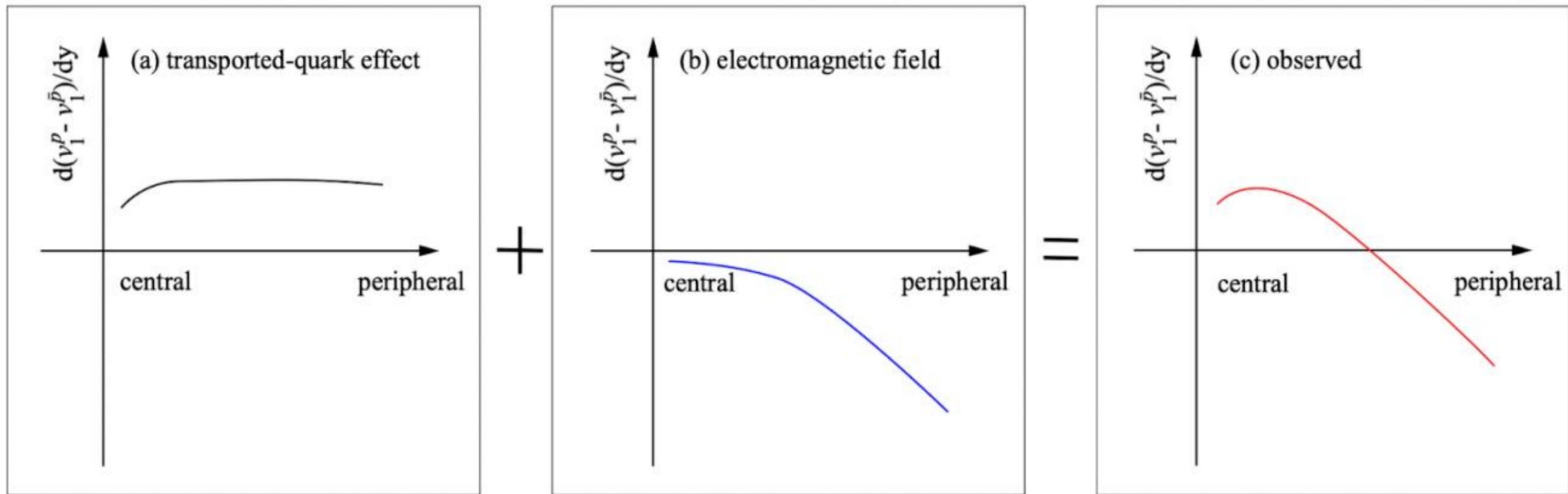


PRX 14, 011028 [STAR]

[1] U. Gürsoy et al. PRC 98,055201, PRC 89 054905

- ❖ The splitting of  $v_1$  between particle and antiparticle is measured as:

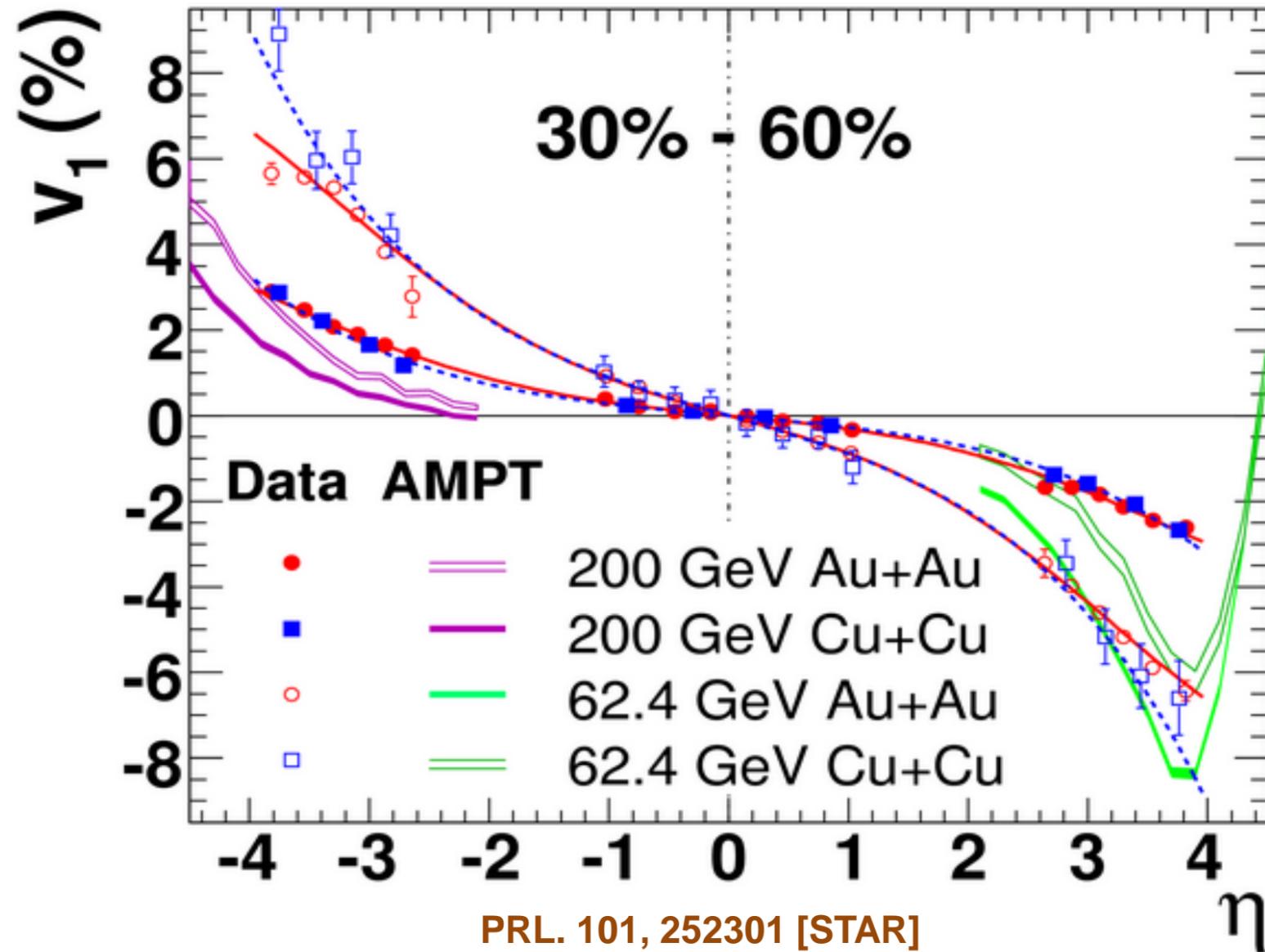
$$\Delta v_1 = dv_1^+/dy - dv_1^-/dy$$



**Transported Quark** → **Positive  $\Delta v_1$**   
(Based on UrQMD)

**EM Field** → **Negative  $\Delta v_1$**

**Combination**  
(Transported Quarks + EM)



- ❖ For inclusive charged particles,  $v_1$  of Au+Au  $\approx$  Cu+Cu at a fixed centrality
- ❖ However, transport model (e.g. UrQMD) predicts a system size dependent  $v_1$
- ❖ We shall present  $v_1$  and  $\Delta v_1$  in U+U, Au+Au and Isobar (RuRu + ZrZr)



# Dataset and analysis details



Collision System: (U+U) **New**

Collision Energy	Production id	Run Numbers	Trigger id	No. of Events (After cut)
193 GeV (2012)	P12id	13114025-13136015 (783)	400005, 400015, 400025, 400035	≈ 250 M

## Vertex Selection

$ V_z  < 50 \text{ cm}$	$ V_r  < 2 \text{ cm}$
-------------------------	------------------------

## Track Selection

$ \eta  < 1.0$	DCA < 3 cm	nHits Fits $\geq 15$
----------------	------------	----------------------

## Particle Identification

<b>Pion:</b>	$ N\sigma  < 2.0$	$-0.01 < m^2 < 0.10 \text{ (GeV/c}^2)^2$	$p < 1.6 \text{ GeV/c} \ \&\& \ p_t > 0.2 \text{ GeV/c}$
<b>Kaon:</b>	$ N\sigma  < 2.0$	$0.20 < m^2 < 0.35 \text{ (GeV/c}^2)^2$	$p < 1.6 \text{ GeV/c} \ \&\& \ p_t > 0.2 \text{ GeV/c}$
<b>Proton:</b>	$ N\sigma  < 2.0$	$0.8 < m^2 < 1.0 \text{ (GeV/c}^2)^2$	$p < 2.0 \text{ GeV/c} \ \&\& \ p_t > 0.4 \text{ GeV/c}$

## Bad Runs [19]

13117026, 13117027, 13117028, 3117029, 13117030, 13117031, 13117032, 13117033, 13117034, 13117035, 13117036, 13118009, 13118034, 13118035, 13119016, 13119017, 13129047, 13129048, 13132047

- For this analysis,  $v_1$  is computed using Event Plane Method in which we estimate the reaction plane, called the event plane, from the observed event plane angle determined from the anisotropic flow itself.

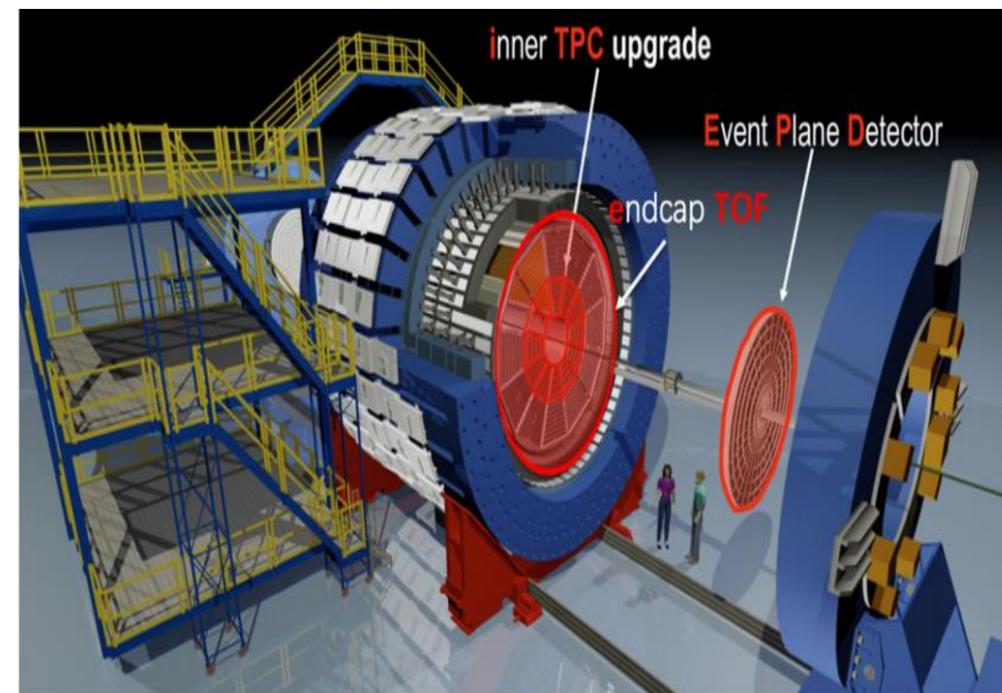
$$v_1 = \frac{\langle \cos(\phi - \Psi_1^{EP}) \rangle}{R_1}$$

- $R$  Event Plane Resolution
- $\Psi$  Event Plane Angle
- $\phi$  Reaction Plane angle of outgoing particles
- $\langle \rangle$  Average over all particles used in event plane calculations

Where,  $\Psi_1^{EP}$  is reconstructed using ZDC and the event plane is flattened by applying Shift correction

- Analysis is carried out in four steps:
  - Datasets and Events Selection
  - Event Plane reconstruction
  - Particle Identification:
    - $\pi, k, p$  ---- TPC & TOF cuts
  - Directed Flow ( $v_1$ ) extraction using the above relation

STAR detector



- Finally, Systematic study is done by varying Event, Track & PID selection



# Systematic Uncertainties of $v_1$



Default	Systematic
$-50 < V_z^{\text{TPC}} < 50 \text{ cm}$	$-50 < V_z^{\text{TPC}} < 0 \text{ cm}$
$N_{\text{fits}} > 15$	$N_{\text{fits}} > 20$
$-0.8 < y < 0.8$	$-0.8 < y < 0.0$ & $0.0 < y < 0.8$
$\text{DCA} < 3 \text{ cm}$	$\text{DCA} < 1.0 \text{ cm}$ & $\text{DCA} < 1.5 \text{ cm}$
$-2.0 < n\sigma^{\text{TPC}} < 2.0$	$-1.0 < n\sigma^{\text{TPC}} < 1.0$ & $-1.5 < n\sigma^{\text{TPC}} < 1.5$
$\text{Mass}^2(\text{pi}) = -0.01 - 0.10 (\text{GeV}/c^2)^2$ $\text{Mass}^2(\text{k}) = 0.20 - 0.35 (\text{GeV}/c^2)^2$ $\text{Mass}^2(\text{p}) = 0.80 - 1.0 (\text{GeV}/c^2)^2$	$\text{Mass}^2(\text{pi}) = -0.009 - 0.09 (\text{GeV}/c^2)^2$ $\text{Mass}^2(\text{k}) = 0.21 - 0.34 (\text{GeV}/c^2)^2$ $\text{Mass}^2(\text{p}) = 0.82 - 0.98 (\text{GeV}/c^2)^2$ & $\text{Mass}^2(\text{p}) = 0.84 - 0.96 (\text{GeV}/c^2)^2$

❖ The formula used for calculation is:

$$\sigma_i = |Y_i - Y_d| / \sqrt{12},$$

$$\sigma = \sqrt{\sum \sigma_i^2},$$

Where,

$Y_i$  = variation result

$Y_d$  = default result

$\sigma$  = final systematic uncertainty



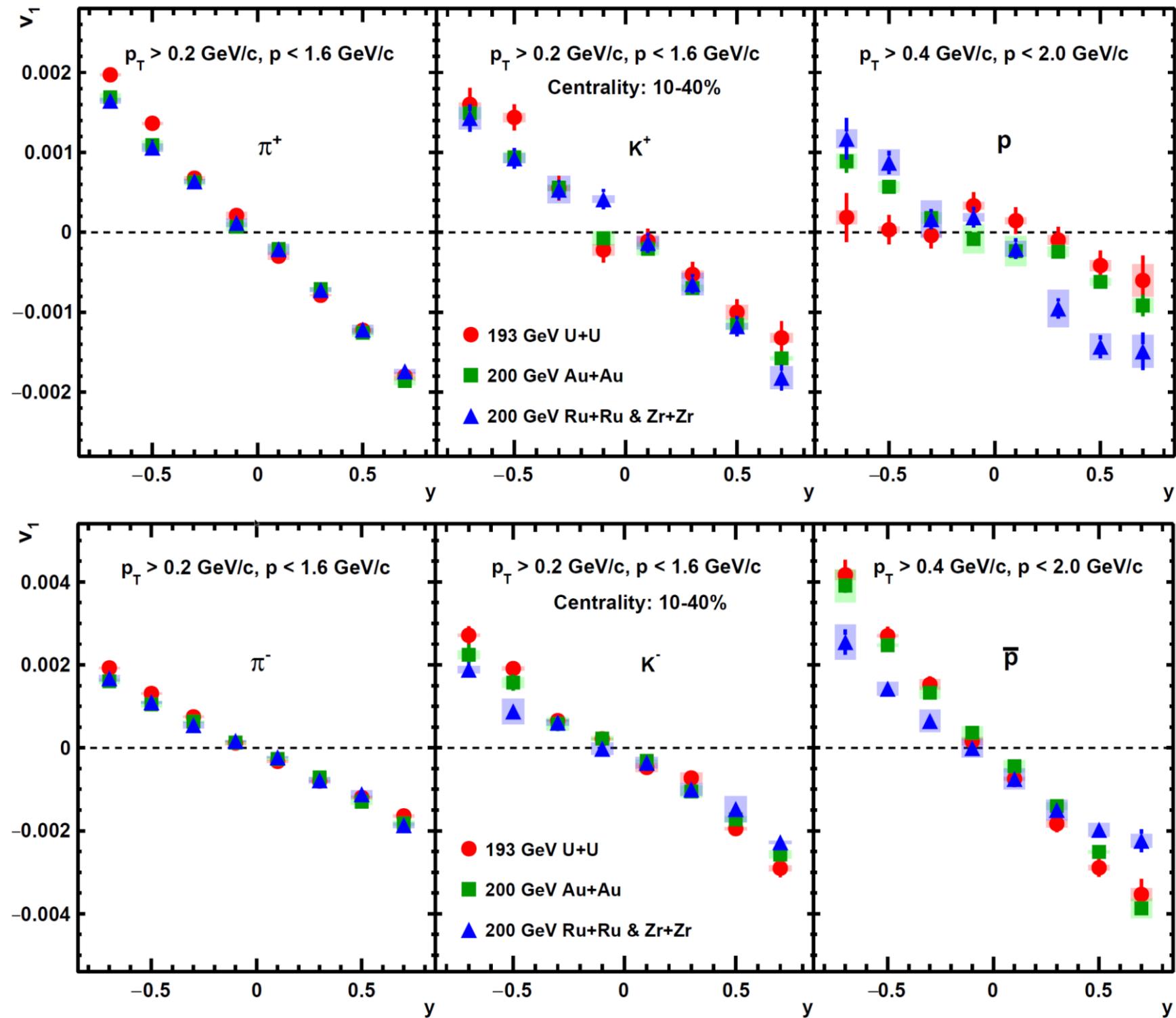
# Abstract



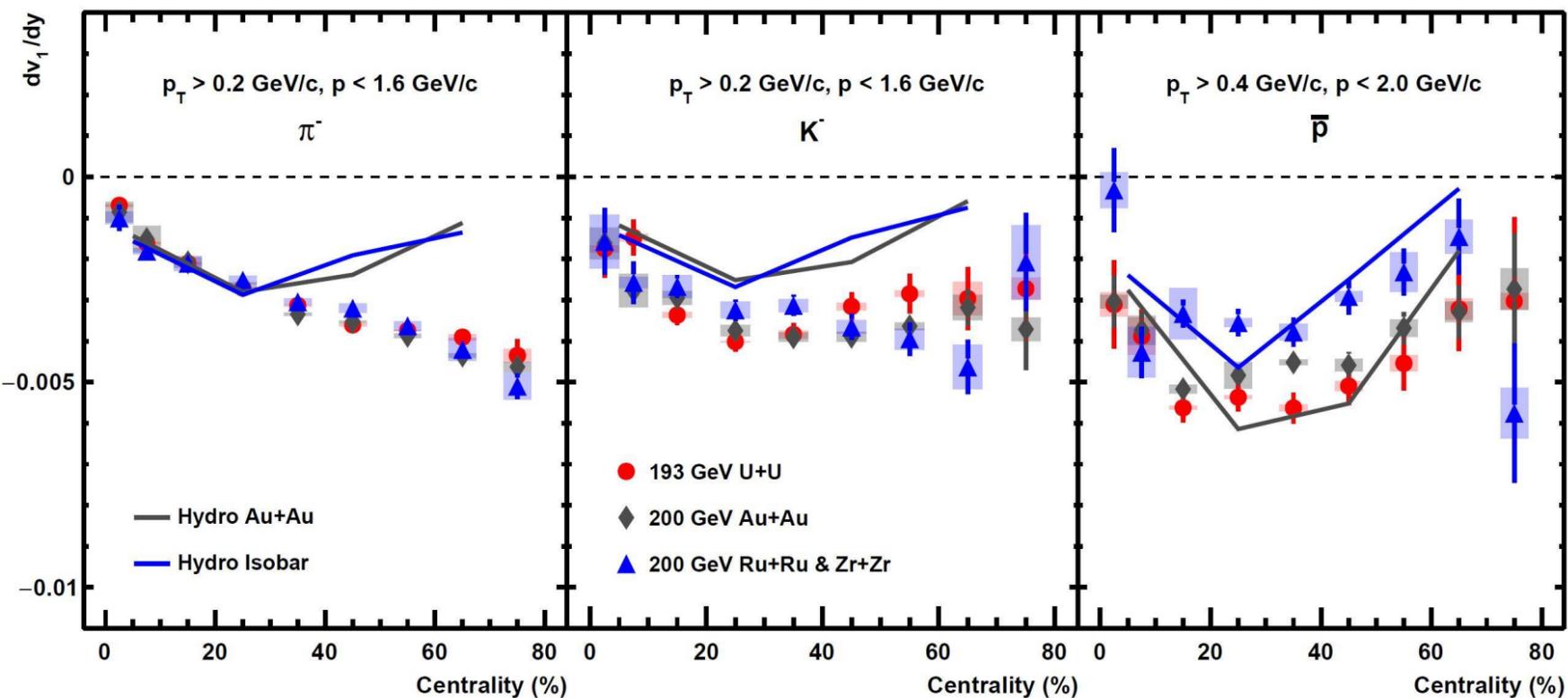
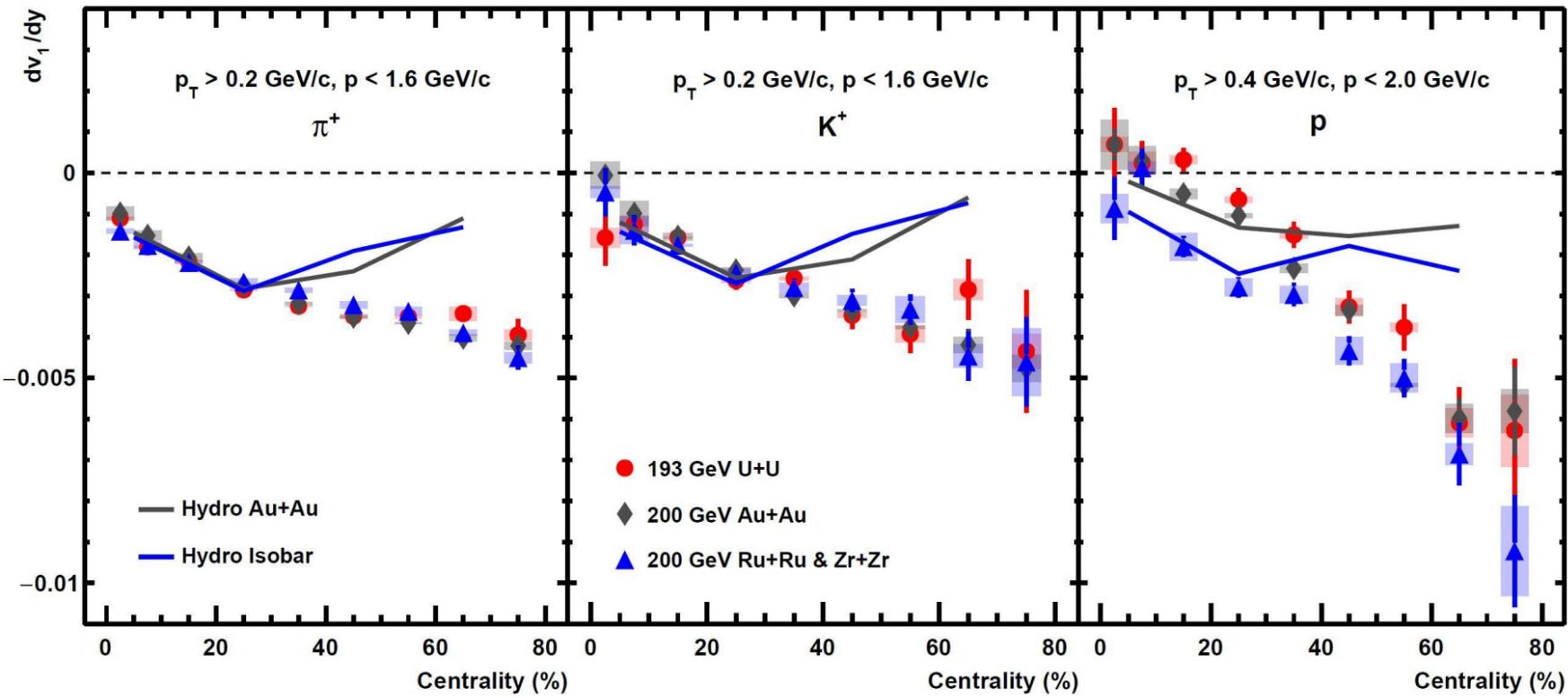
We present the rapidity dependence of directed flow ( $v_1$ ) and its slope ( $dv_1/dy$ ) for  $\pi^\pm$ ,  $K^\pm$  and  $p(\bar{p})$  as a function of centrality in Au+Au and Isobar (Ru+Ru and Zr+Zr) collisions at  $\sqrt{s_{NN}} = 200$  GeV, and in U+U collisions at  $\sqrt{s_{NN}} = 193$  GeV, as measured by the STAR experiment at RHIC. The slope  $dv_1/dy$  for  $p(\bar{p})$  and the difference  $\Delta(dv_1/dy)$  exhibit a clear system size dependence, with an ordering of U+U > Au+Au > Isobar (Ru+Ru and Zr+Zr), while total baryons ( $p + \bar{p}$ ) remain independent of system size. This is the first observation of system size dependence of the  $v_1$  and  $\Delta(dv_1/dy)$  of baryons. In contrast, the inclusive particles, particularly mesons ( $\pi^\pm$  and  $K^\pm$ ), show no dependence on system size, consistent with previous findings at RHIC [1]. The  $\Delta(dv_1/dy)$  pattern for protons is primarily influenced by baryon transport and electromagnetic fields. In the most central collisions, where the electromagnetic field is minimal, baryon transport can be assessed more clearly. A hydrodynamic model with an inhomogeneous baryonic profile qualitatively captures the observed system size dependence, offering insights into baryon deposition and the transport properties of the QCD medium. Additionally, in mid-central and peripheral collisions, these data can provide insights into the strength of electromagnetic fields and the conductivities of the medium [2].

[1]. STAR Collaboration, Phys. Rev. Lett. 101, 252301

[2]. STAR Collaboration, Phys. Rev. X 14, 011028



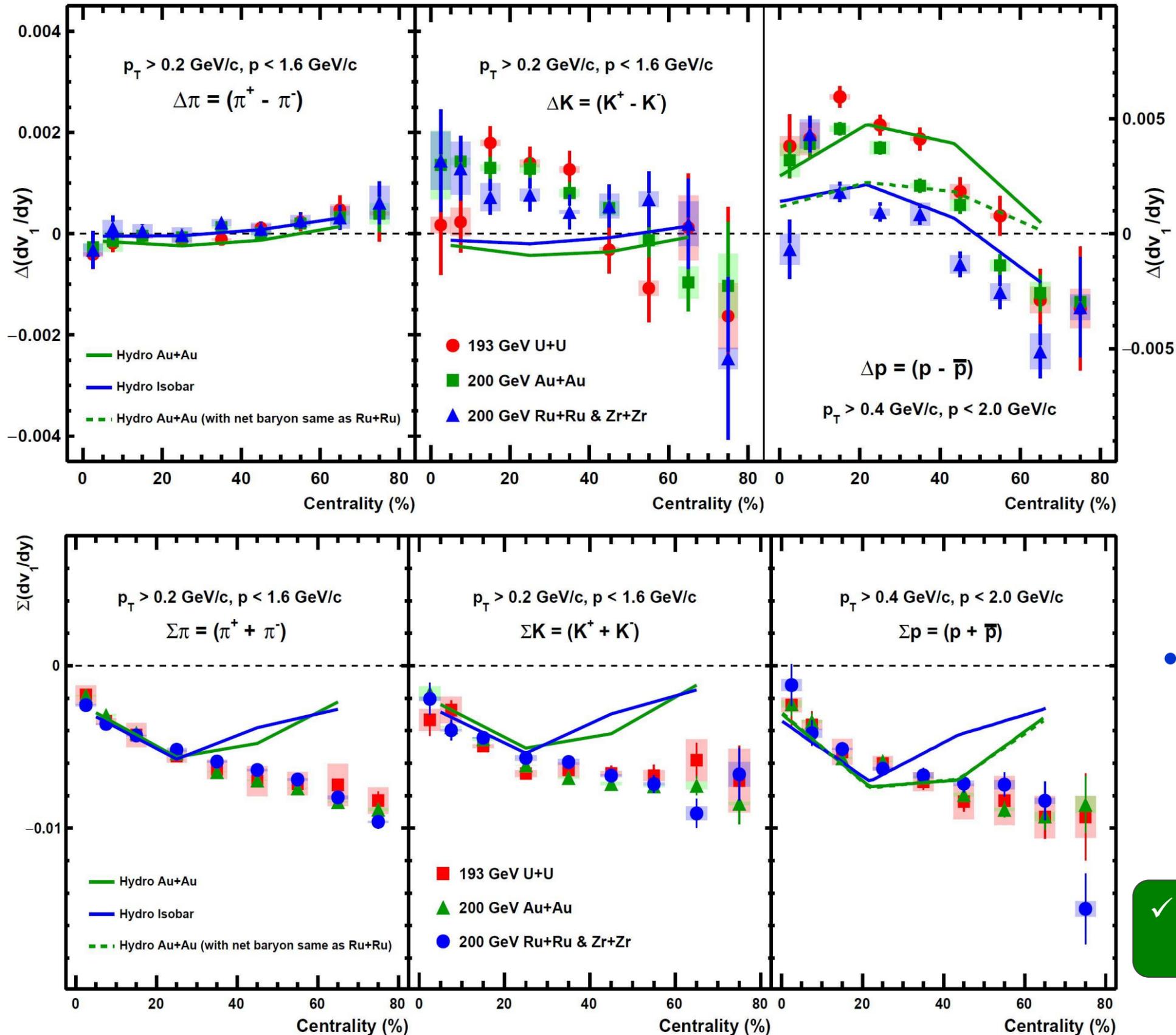
- ❖  $v_1$  vs  $y$  in U+U, Au+Au and Isobar collisions
- ❖ Extracted  $v_1$ -slope by using a linear fit ( $|y| < 0.8$ )



**dv<sub>1</sub>/dy:**

- pions → Isobar ~ Au+Au ~ U+U
- kaons → Isobar ~ Au+Au ~ U+U
- protons → Isobar > Au+Au > U+U
- anti-protons → U+U > Au+Au > Isobar

✓ Hydro-model with inhomogeneous baryon deposition can qualitatively capture the system size dependence of proton and antiproton data



❖  $\Delta dv_1/dy$ :

- pions  $\rightarrow$  Isobar  $\sim$  Au+Au  $\sim$  U+U
- kaons  $\rightarrow$  Isobar  $\sim$  Au+Au  $\sim$  U+U
- protons  $\rightarrow$  U+U  $>$  Au+Au  $>$  Isobar

❖  $\Sigma dv_1/dy$ :

- pions  $\rightarrow$  Isobar  $\sim$  Au+Au  $\sim$  U+U
- kaons  $\rightarrow$  Isobar  $\sim$  Au+Au  $\sim$  U+U
- protons  $\rightarrow$  Isobar  $\sim$  Au+Au  $\sim$  U+U

- Hydro-model with inhomogeneous baryon distribution can qualitatively capture the system size dependence in  $\Delta dv_1/dy$  of protons
- ✓ Hydro model special case (dashed green line): Hydro Au+Au (with net baryon same as Ru+Ru)

## B. Hydrodynamics at finite baryon density

The hydrodynamical equation of motion at finite net-baryon density can be written as,

$$\partial_\mu T^{\mu\nu} = 0, \quad (9)$$

$$\partial_\mu J_B^\mu = 0, \quad (10)$$

where the system's energy momentum tensor can be decomposed as

$$T^{\mu\nu} = e u^\mu u^\nu - (P + \Pi) \Delta^{\mu\nu} + \pi^{\mu\nu}, \quad (11)$$

and

$$J_B^\mu = n_B u^\mu + q^\mu. \quad (12)$$

The transport coefficients  $\eta$  and the baryon diffusion constant  $\kappa_B$  are chosen as

$$\frac{\eta T}{e + \mathcal{P}} = C_\eta \quad (15)$$

and

$$\kappa_B = \frac{C_B}{T} n_B \left( \frac{1}{3} \coth \left( \frac{\mu_B}{T} \right) - \frac{n_B T}{e + \mathcal{P}} \right). \quad (16)$$

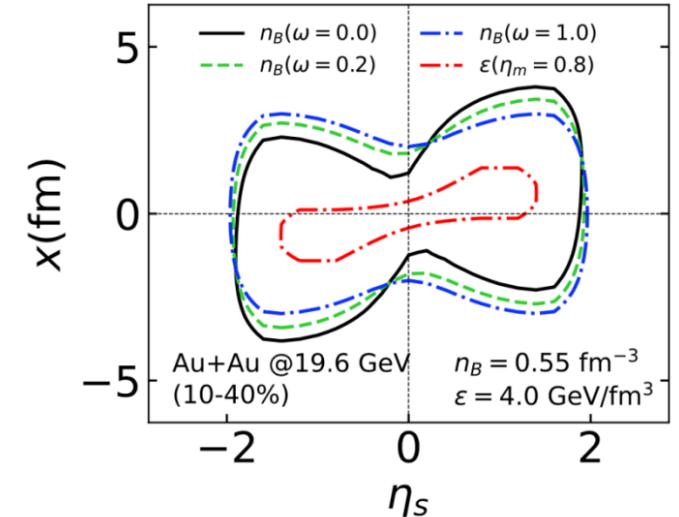
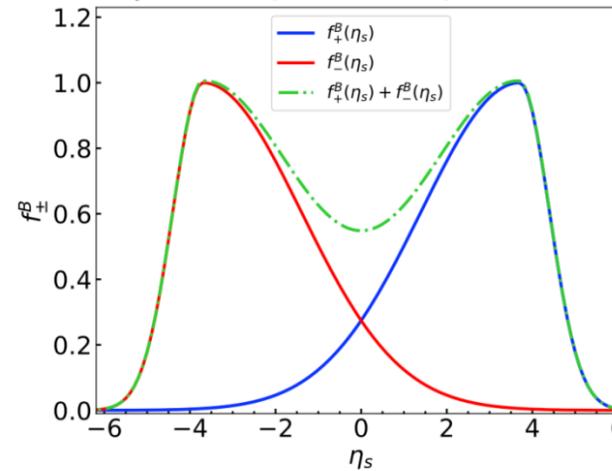
$\kappa_B$ : Baryon diffusion coefficient constant;

In hydro model amount of baryon diffusion is varied by tuning the prefactor  $C_B$

Denicol et al, Phys. Rev. C. 98. 034916

## Hydro model with inhomogeneous baryon deposition:

Baryon deposition profile:



Two component baryon deposition: ( $N_{part} + N_{coll}$ )

$$n_B(x, y, \eta_s) = N_B \left[ (1 - \omega) (N_+(x, y) f_+^B(\eta_s) + N_-(x, y) f_-^B(\eta_s)) + \omega N_{coll}(x, y) (f_+^B(\eta_s) + f_-^B(\eta_s)) \right]$$

Normalisation  $\int \tau_0 d\eta dx dy n_B(x, y, \eta_s) = N_{part} = (N_+ + N_-)$

Motivated by baryon junction mechanism

(Feature similar to single junction + double junction stopping)

- Parameters:  $\eta_m \rightarrow$  tilt of bulk,  $\omega \rightarrow$  baryon tilt
- Pressure =  $P(\epsilon, n_B)$
- Evolve hydro with the above initial condition

- It can qualitatively capture system size dependence of proton (anti-proton)  $v_1$  and  $\Delta v_1$



# Discussion



Hydro model with inhomogeneous baryon deposition:

$$n_B(x, y, \eta_s) = N_B \left[ (1 - \omega)(N_+(x, y)f_+^B(\eta_s) + N_-(x, y)f_-^B(\eta_s)) + \omega N_{coll}(x, y)(f_+^B(\eta_s) + f_-^B(\eta_s)) \right]$$

Normalisation  $\int \tau_0 d\eta dx dy n_B(x, y, \eta_s) = N_{part} = (N_+ + N_-)$

- (p+p̄): total charge zero, total baryon zero ~ effectively carry no quantum number
- (p-p̄): non-zero net-charge and net-baryon

- Different system sizes → different net baryon and its gradient

- ✓ Simulated Au+Au hydro with net baryon same as Ru+Ru at a fixed  $\langle N_{part} \rangle$  but all other parameters kept as default (e.g. entropy deposition is different)
- ✓ proton  $\Delta v_1$  shows no system size dependence with enforced same net baryon, especially in central collisions

- using data in central collisions (where EM-field contribution is expected to be small)
- proton  $\Delta v_1$  in different collision systems → constrain baryon deposition in HIC → offer insights into baryon stopping mechanism

- However, in pure EM field expectation:
- Faraday + Coulomb → negative  $\Delta v_1$
- Hall → positive  $\Delta v_1$
- The hydro-model do not rule out EM-field scenario
- Need further model prediction (baryon transport + EM) to better understand underlying physics mechanisms



# Summary



- ❖ We observed a system size dependent  $v_1$  and  $\Delta(dv_1/dy)$  for protons (antiprotons) among three different collision systems at similar collision energy
- ❖ However, mesons (pions and kaons) as well as total baryons ( $p + \bar{p}$ ) are found to be independent of system size (consistent with previous findings at RHIC)

$$\begin{aligned} (p - \bar{p}) v_1 &: U+U > Au+Au > \text{Isobar} \\ (p + \bar{p}) v_1 &: U+U \sim Au+Au \sim \text{Isobar} \end{aligned}$$

- ❖ These results will help understand baryon deposition (such as baryon stopping mechanism) in heavy-ion collisions and provide strong constraint on baryon transport (such as baryon diffusion)
- ❖ These results will provide constraint on the strength and lifetime of the electromagnetic field as well as the medium electrical conductivity of the QGP in different collision system sizes

***Thank you for your attention!***



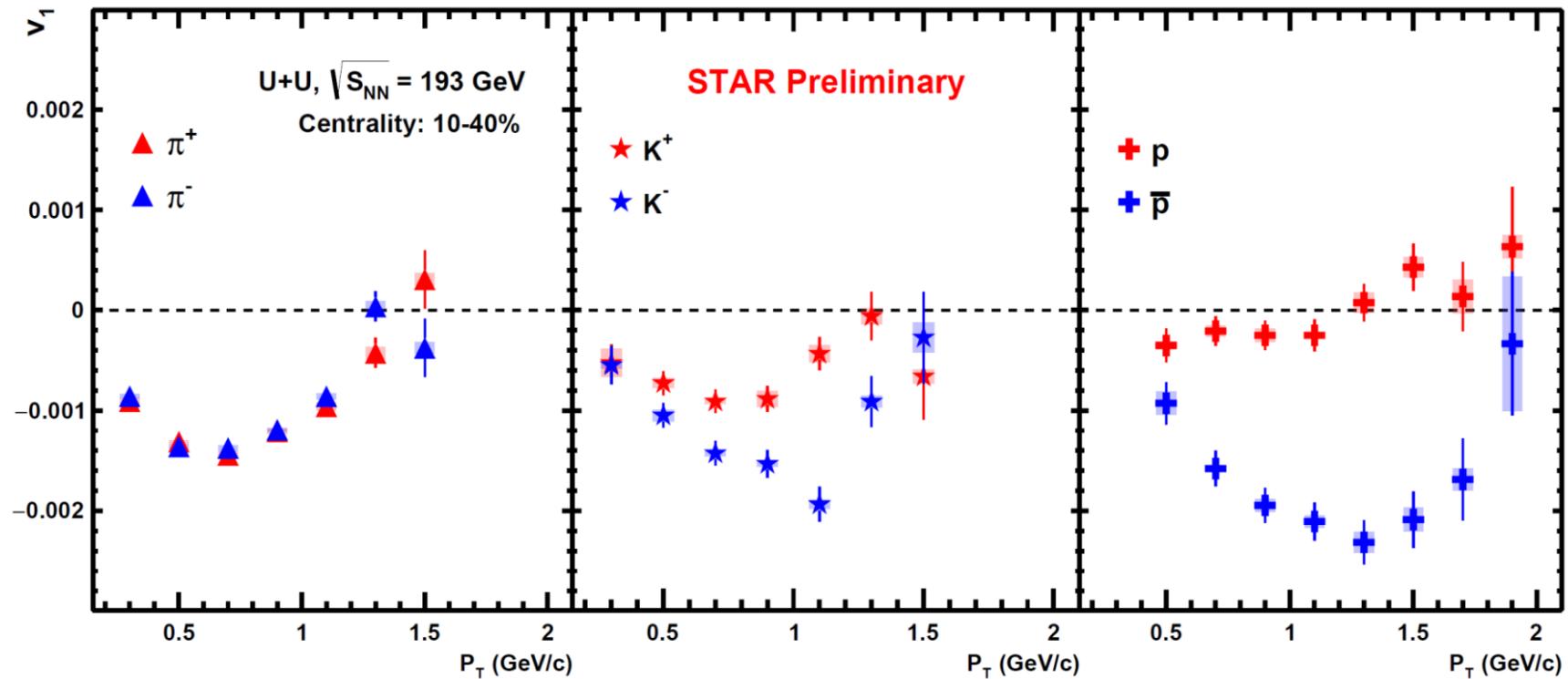
***Backup Slides***



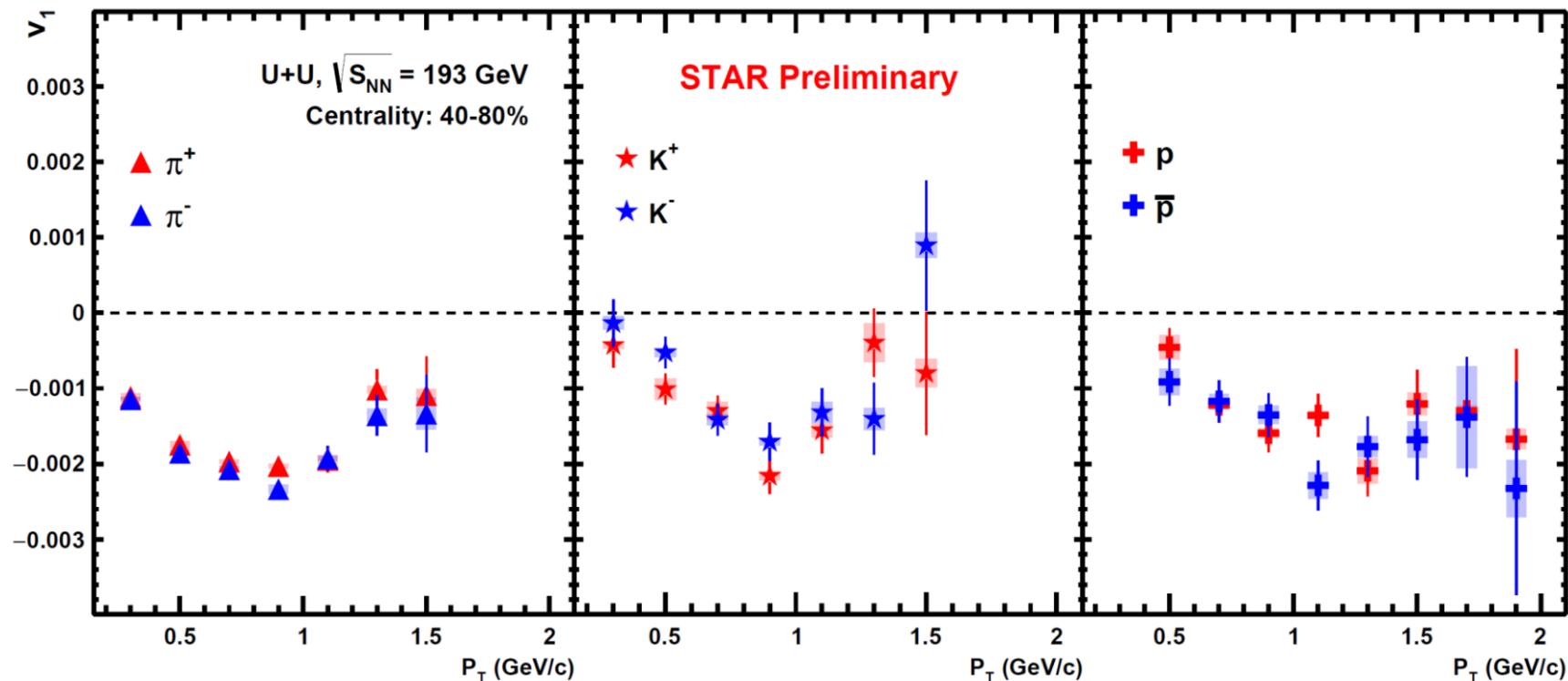
# $v_1(p_T)$ for U+U Collisions



Mid Central  
10-40 %

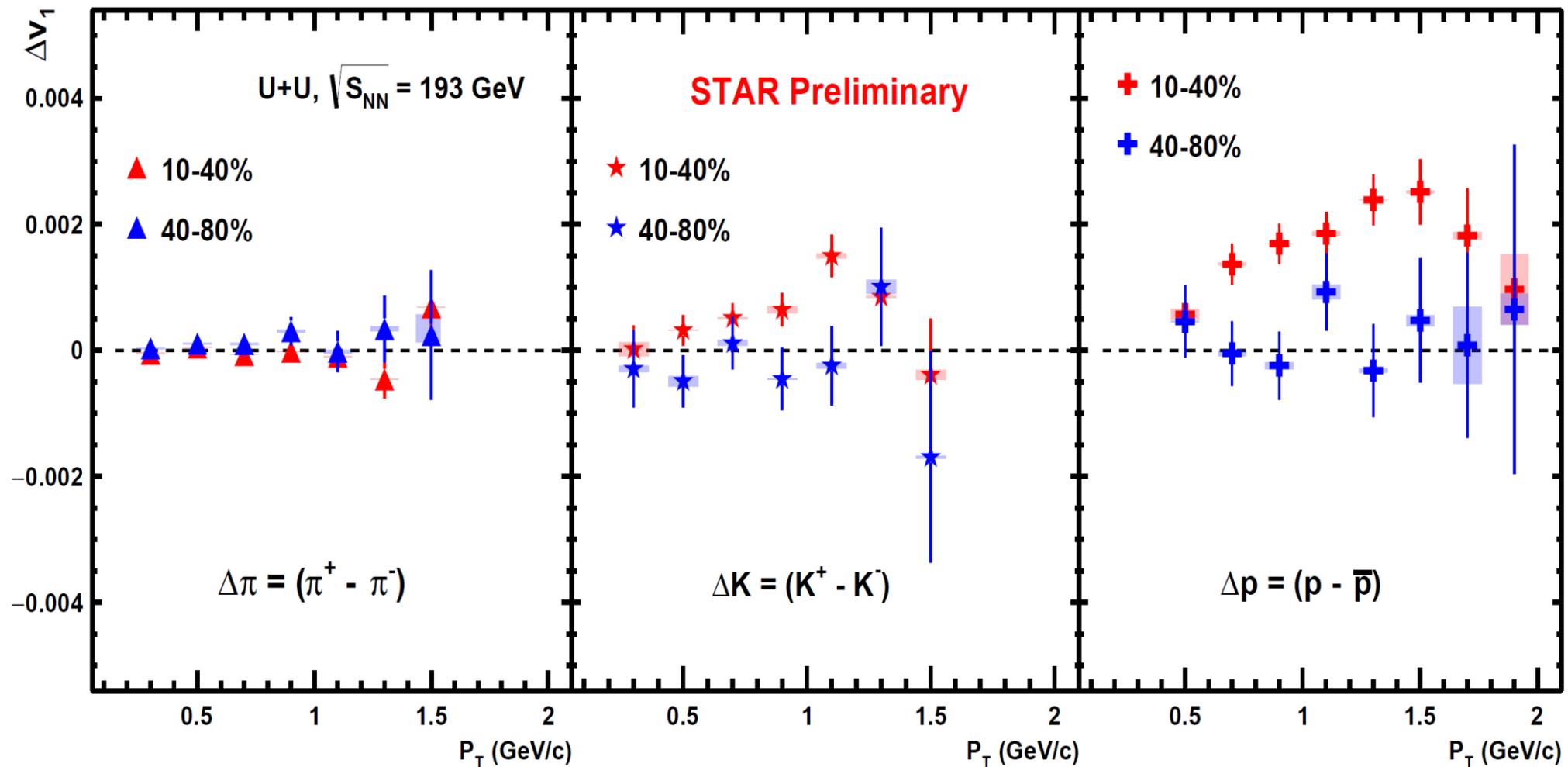


Peripheral  
40-80 %



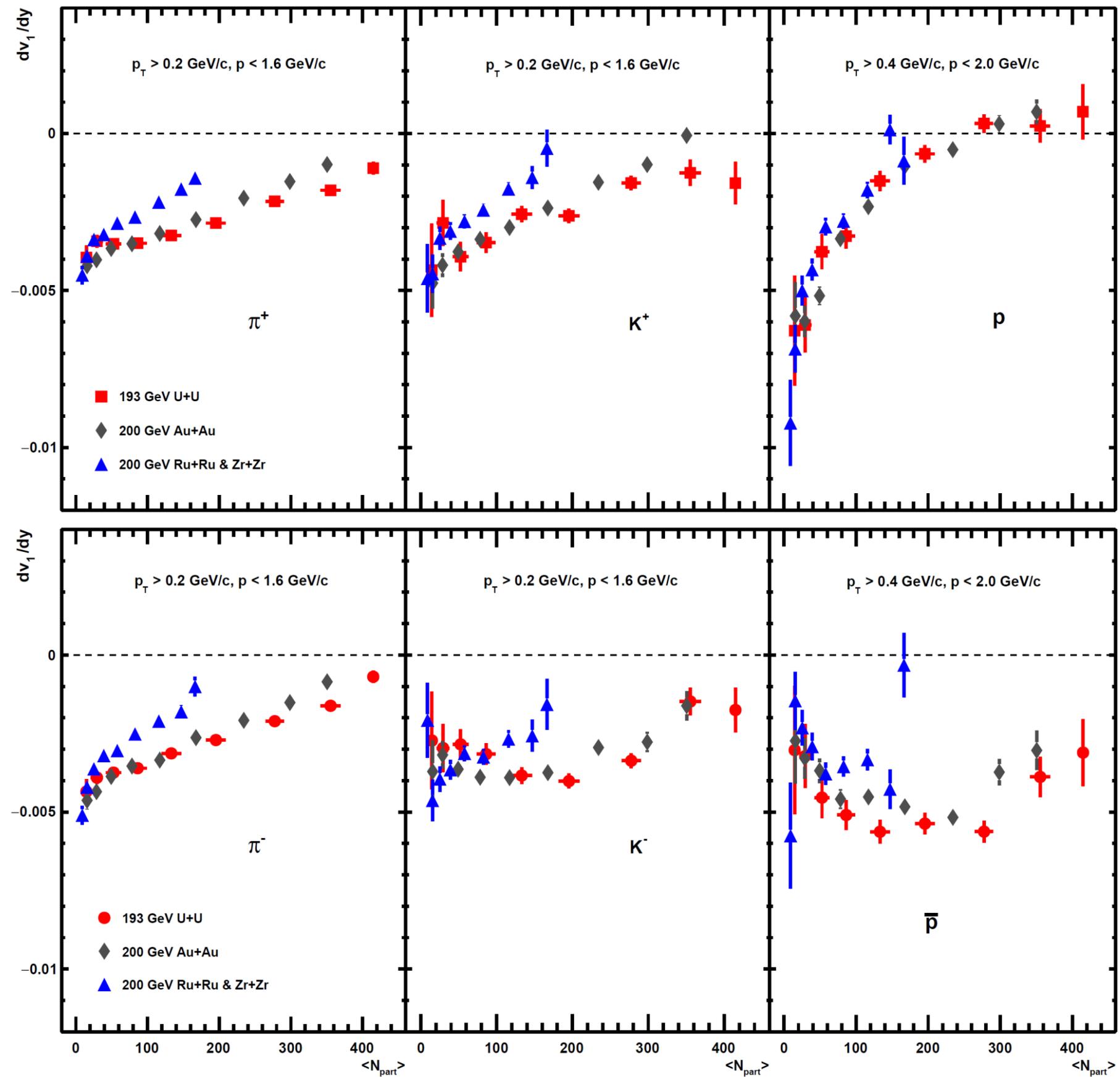
❖ For Proton (antiproton) → Significant splitting in mid-central collisions (10-40)%

$$\Delta v_1 = v_1^+ - v_1^-$$



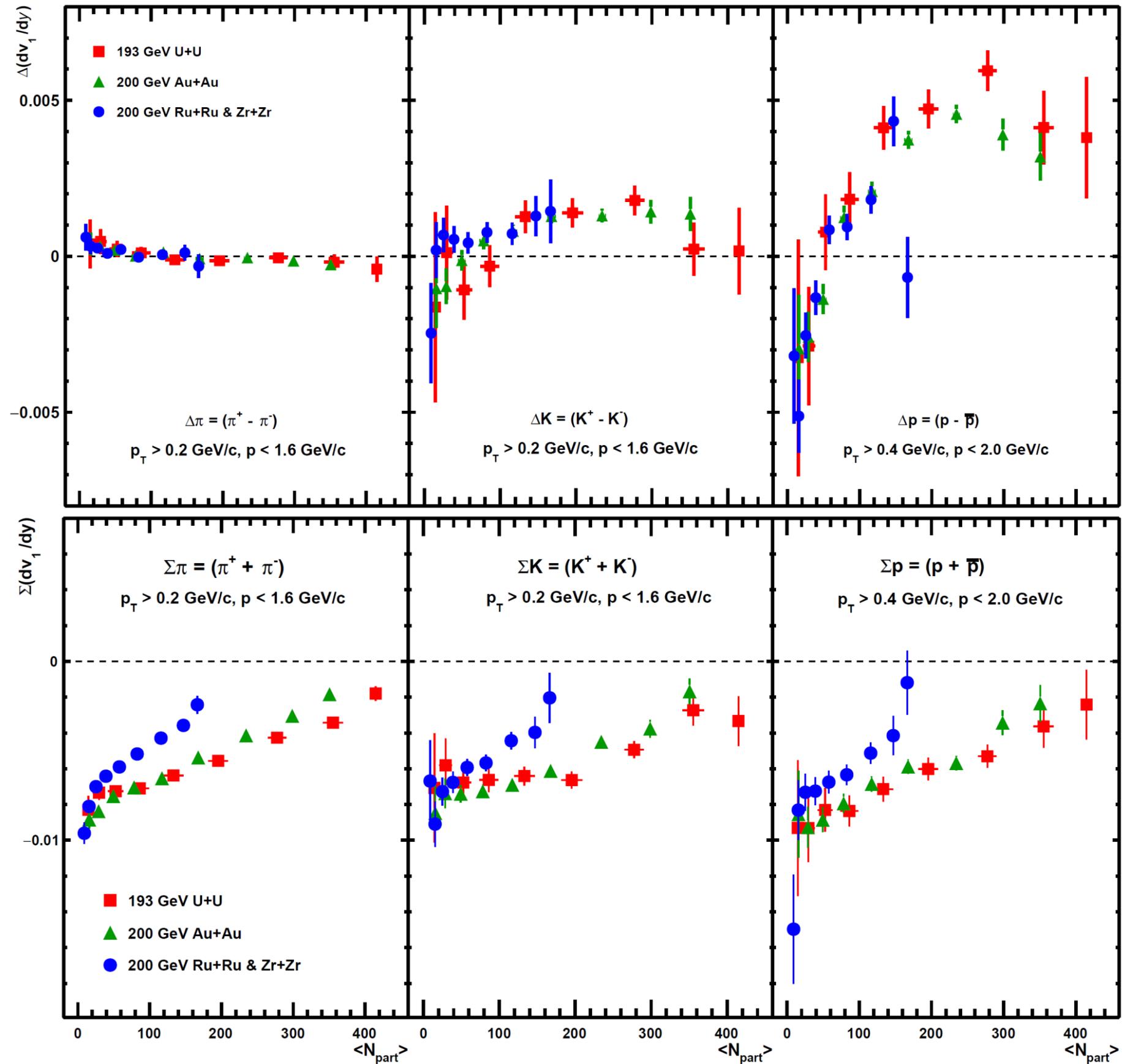
- ➔ **Pions (Kaons)** → consistent with zero within uncertainties
- ➔ **Protons** → **mid-central collisions** →  $\Delta v_1$  keep increasing with  $p_T$
- **peripheral collisions** → no obvious  $p_T$  dependence

# $dv_1/dy$ as a function of $\langle N_{part} \rangle$



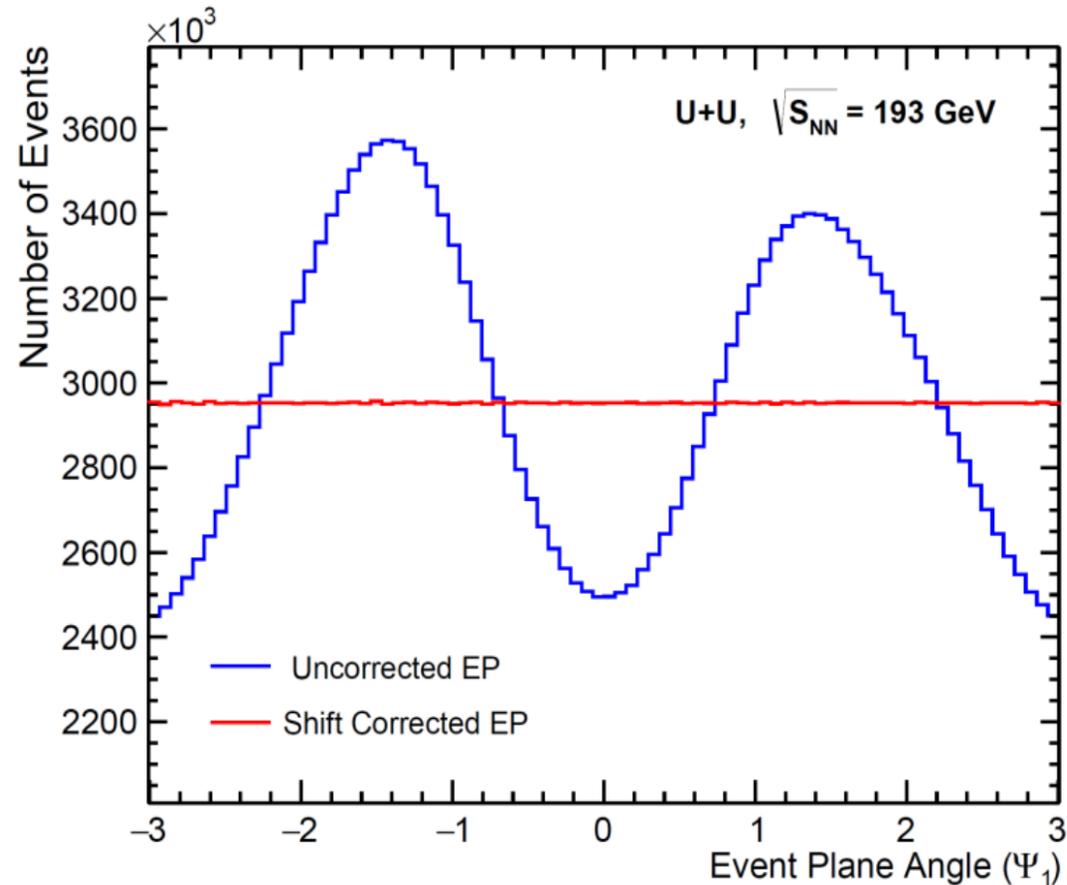


# $\Delta(dv_1/dy)$ as a function of $\langle N_{part} \rangle$

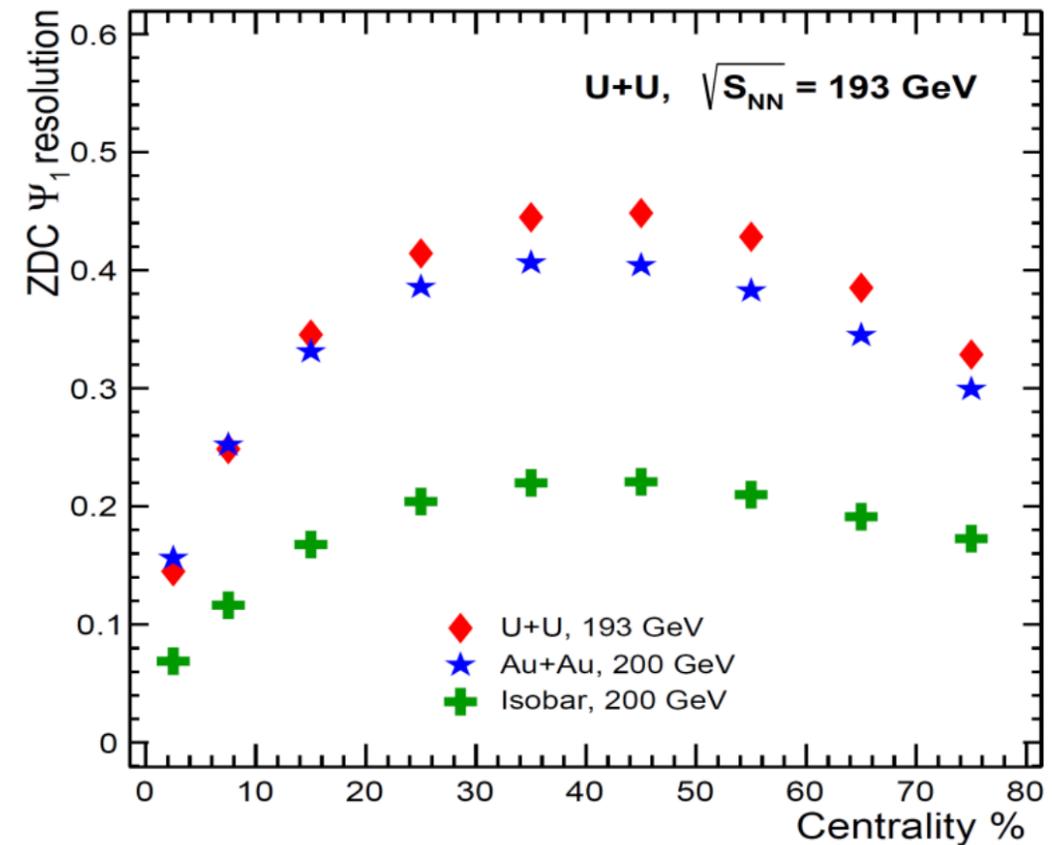




# Event Plane & Resolution Plots



$\Psi_1$  is reconstructed using ZDC



First order Full ZDC calculated from the correlation between East and West ZDC

## Resolution Values: -

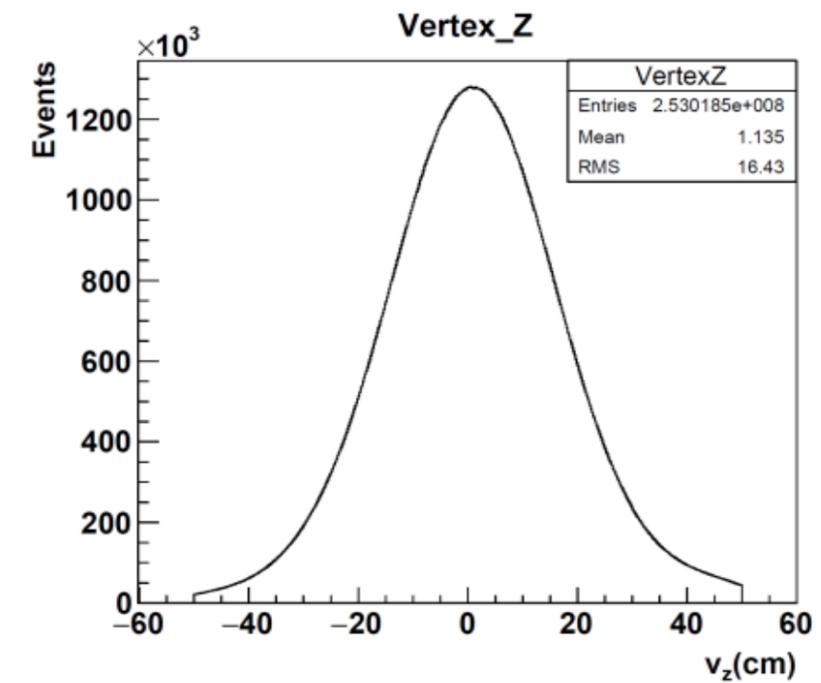
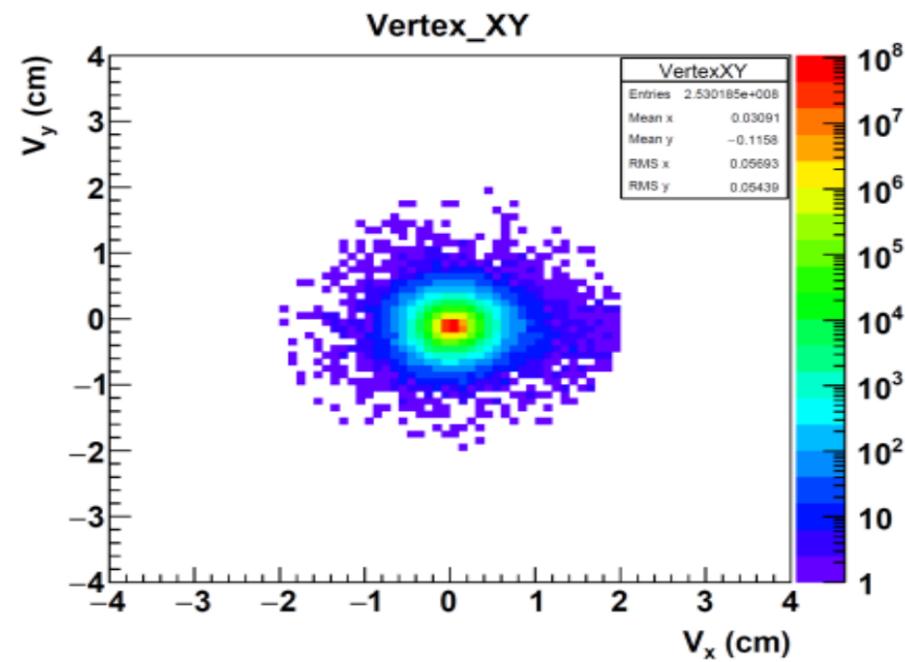
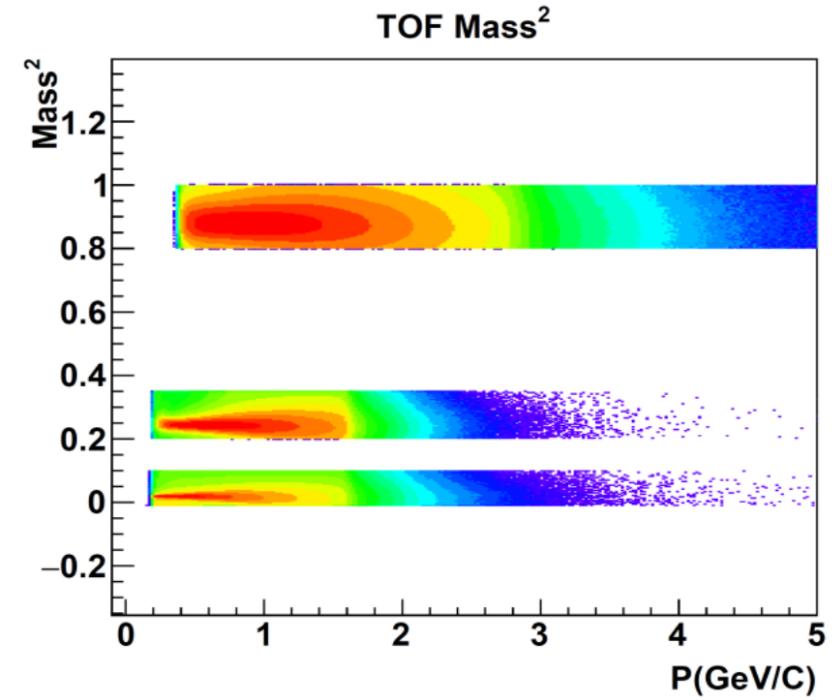
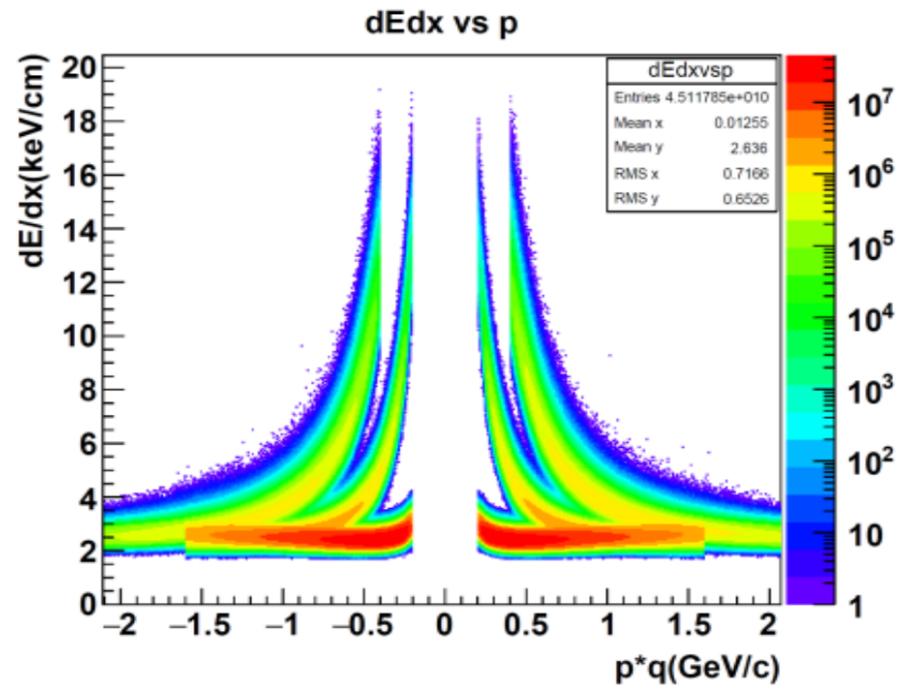
**U+U[9] = {0.145016, 0.248548, 0.345383, 0.414196, 0.444727, 0.448302, 0.428285, 0.385058, 0.328569}**

**Au+Au[9] = {0.1563, 0.252126, 0.331136, 0.385756, 0.406247, 0.404069, 0.382588, 0.344916, 0.299311}**

**Isobar[9] = {0.0688674, 0.11634, 0.167703, 0.204098, 0.21988, 0.220753, 0.20985, 0.191277, 0.1727}**



# QA Plots

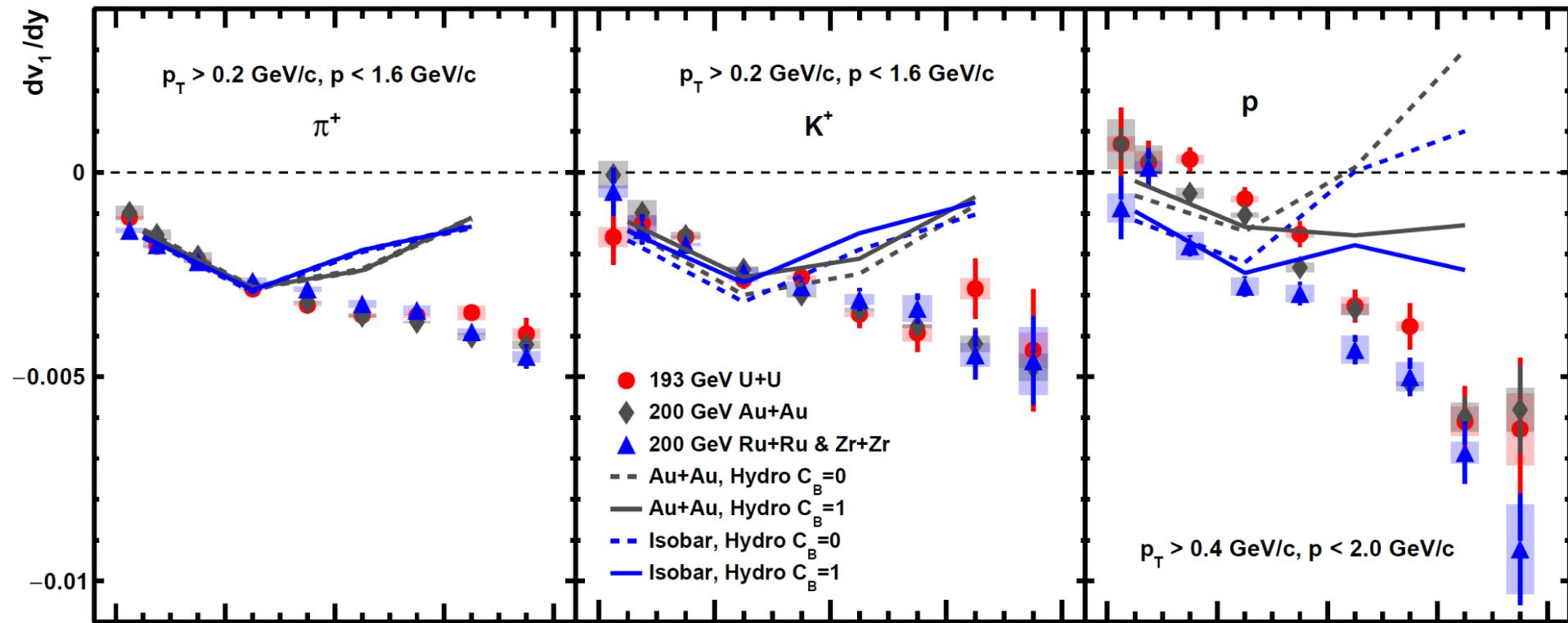




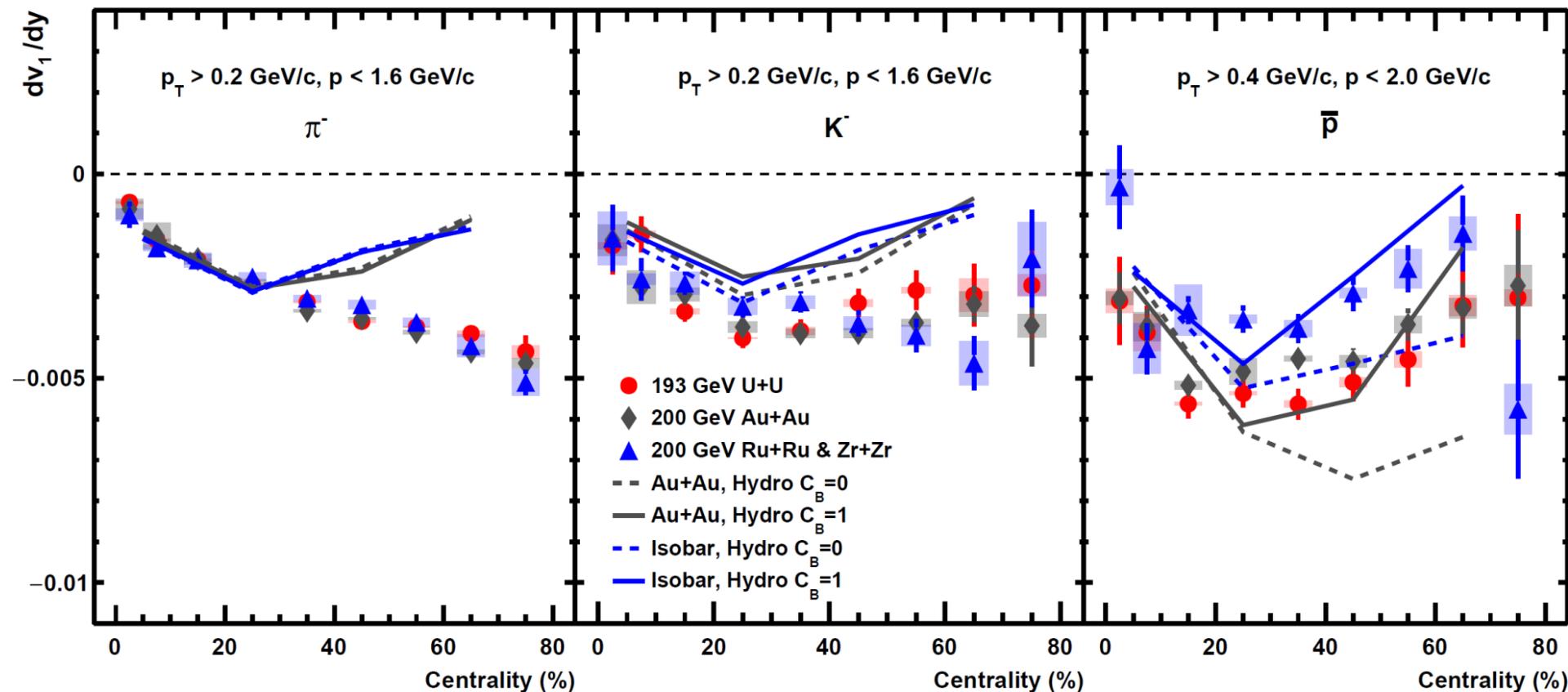
# Slope ( $dv_1/dy$ ) for Different Collision Systems



Positive Particle



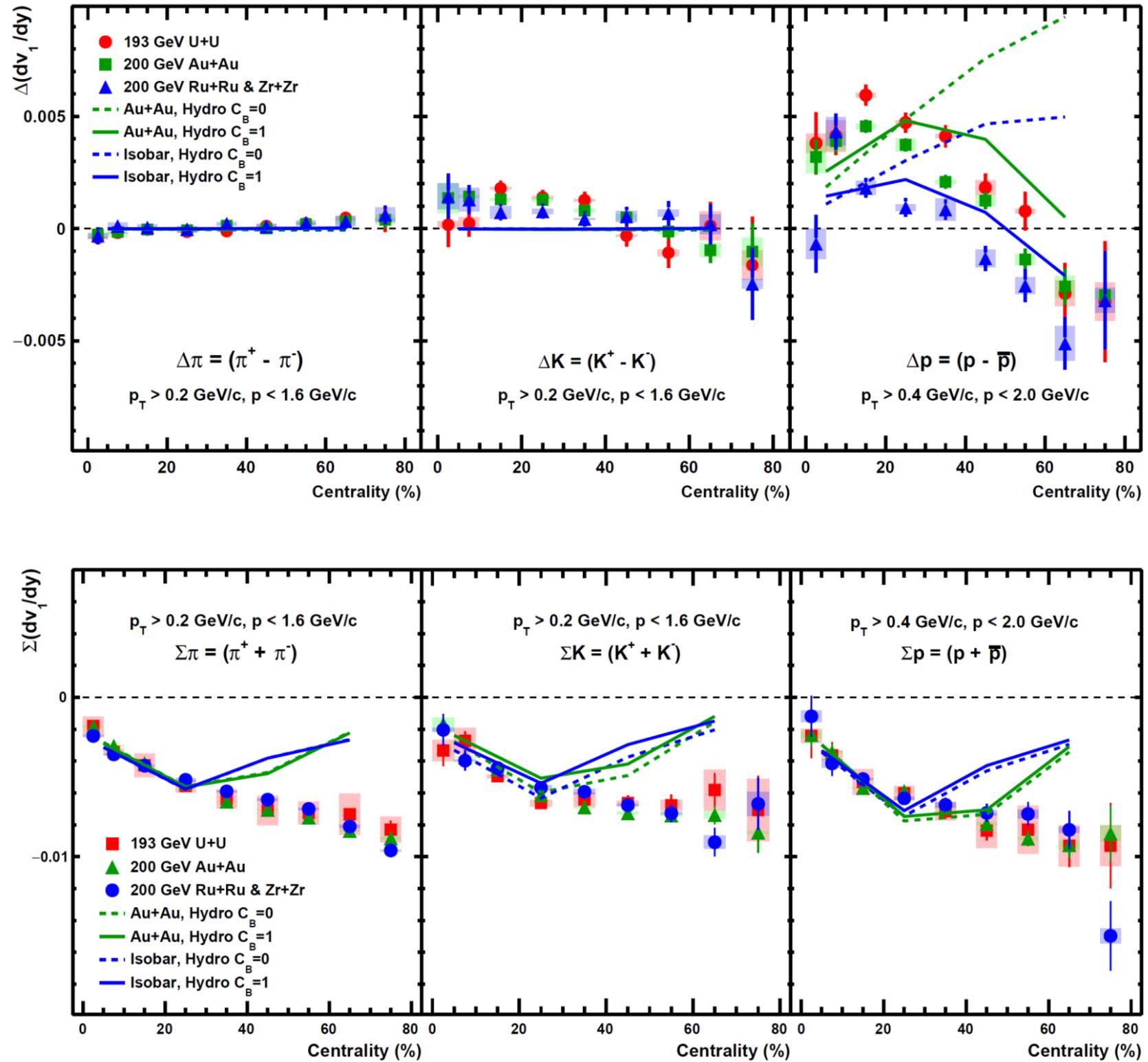
Negative Particle



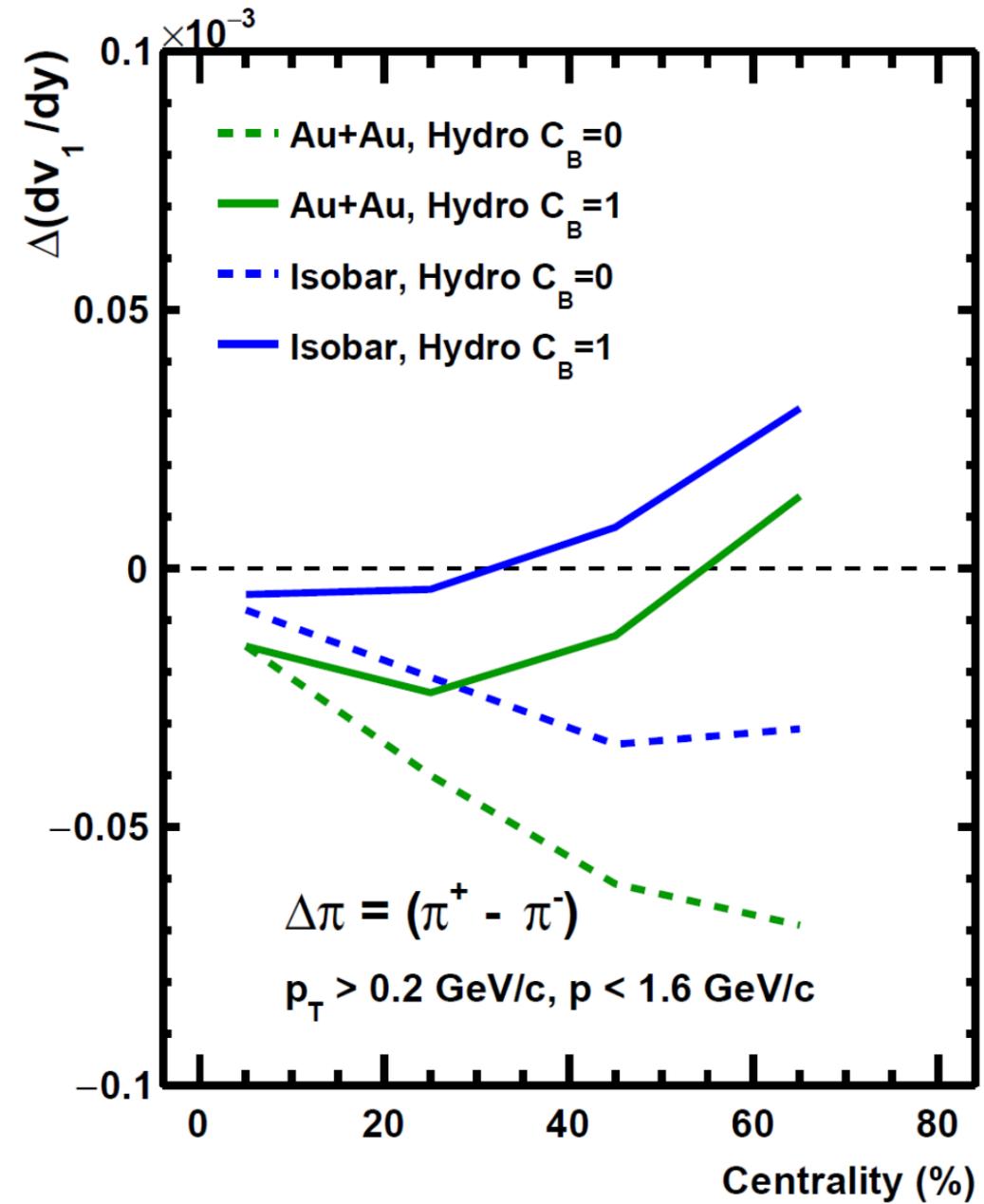
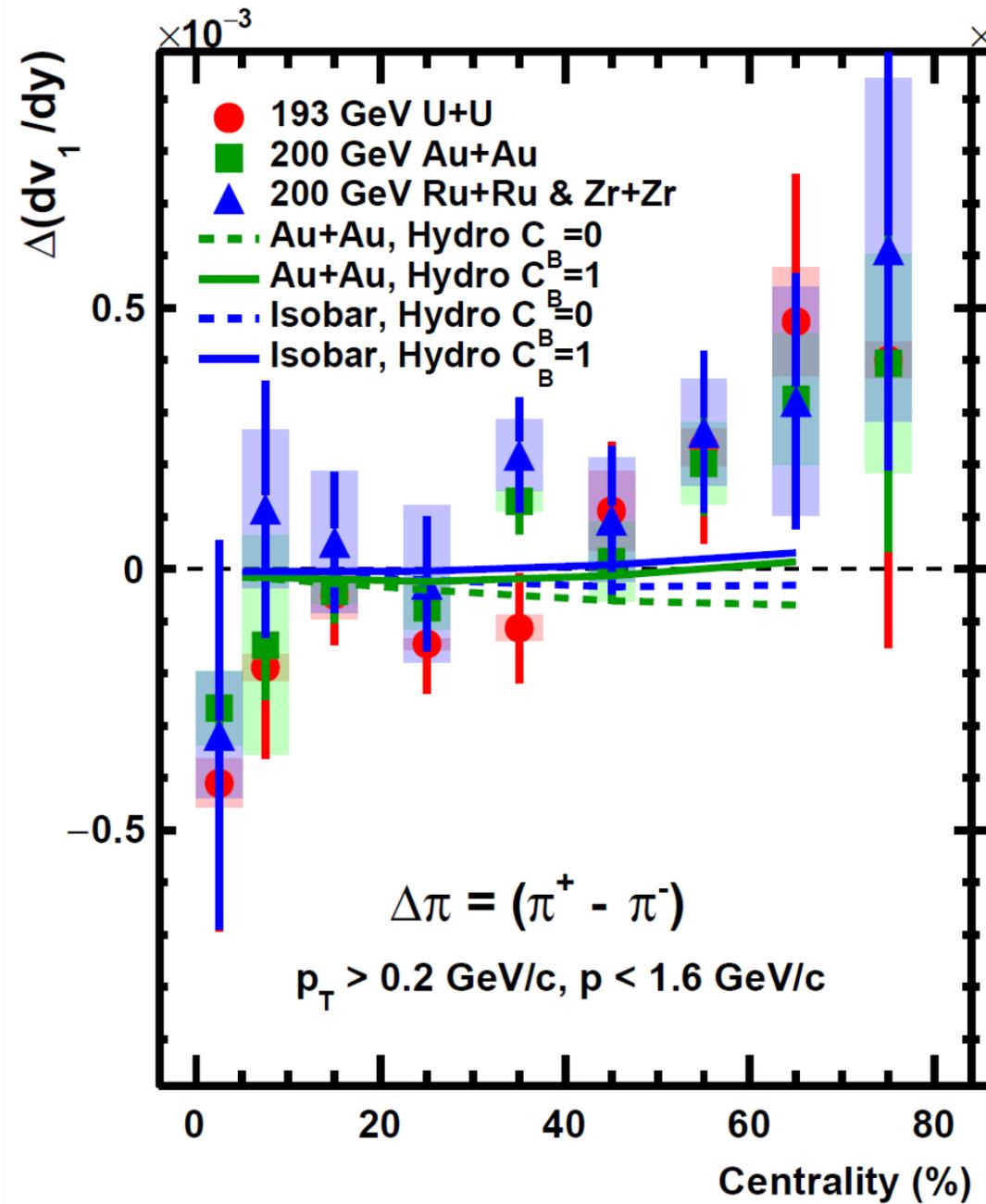
- ❖ Slopes are fitted using a linear function “ $y = mx$ ” within rapidity range (-0.8, 0.8)
- ❖ Significant negative slopes (from linear fit) are observed for proton in all the three collision systems
- ❖ For proton and antiproton, splitting in slopes are prominent in mid central (10-40)% collisions



# $\Delta(dv_1/dy)$ and $\Sigma(dv_1/dy)$ for Different Collision Systems

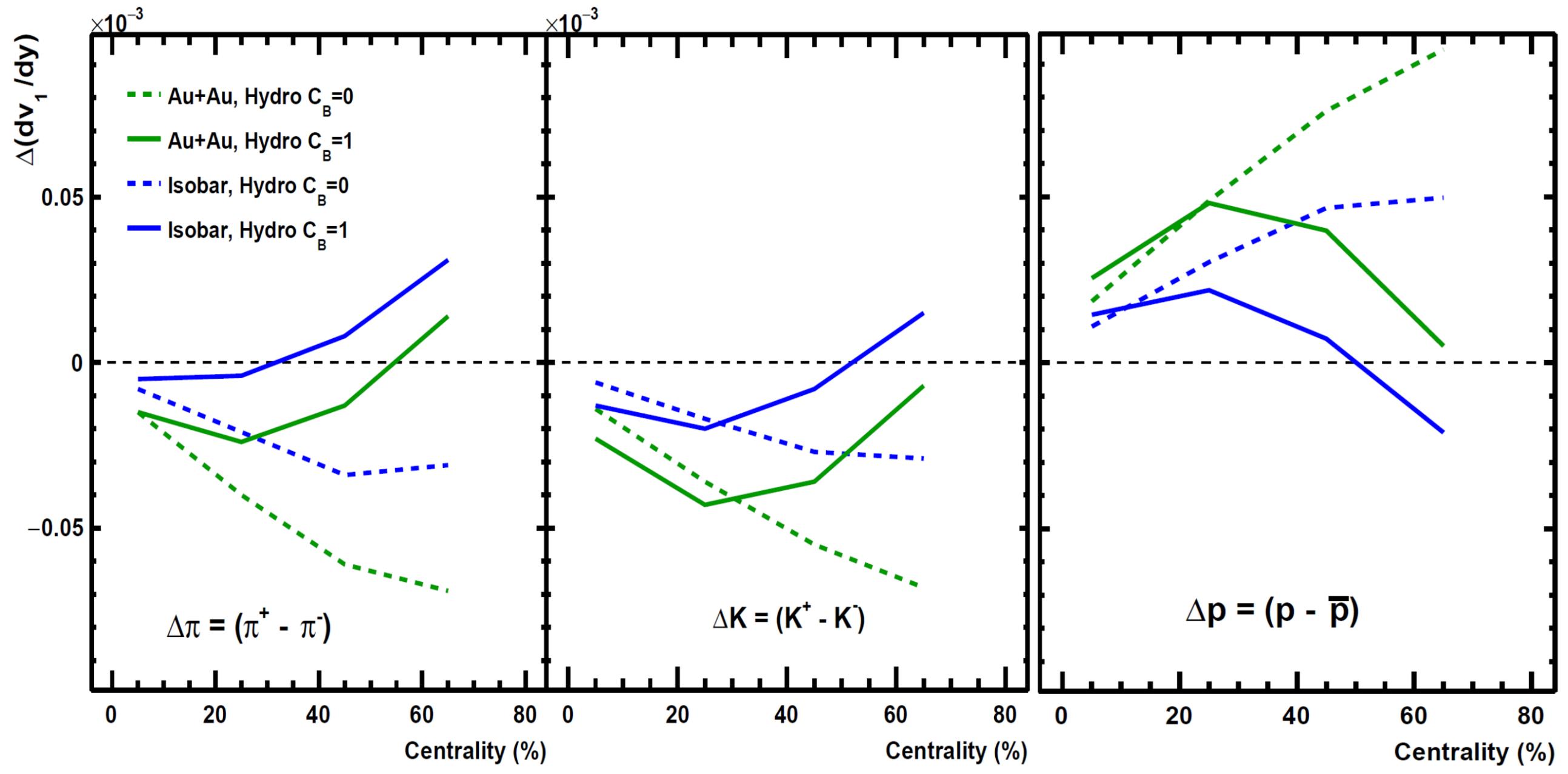


# $\Delta(dv_1/dy)$ for Pion



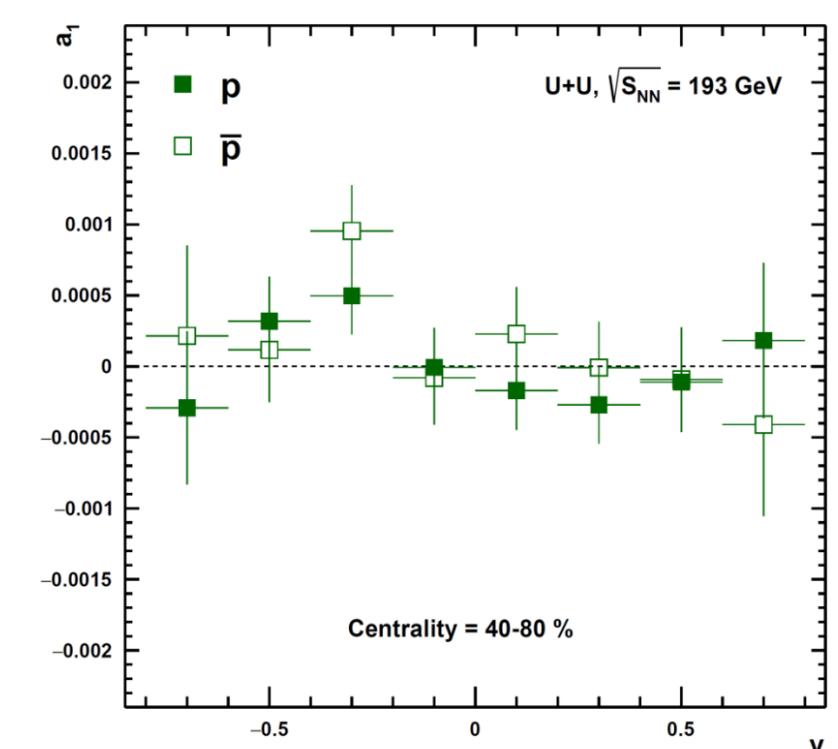
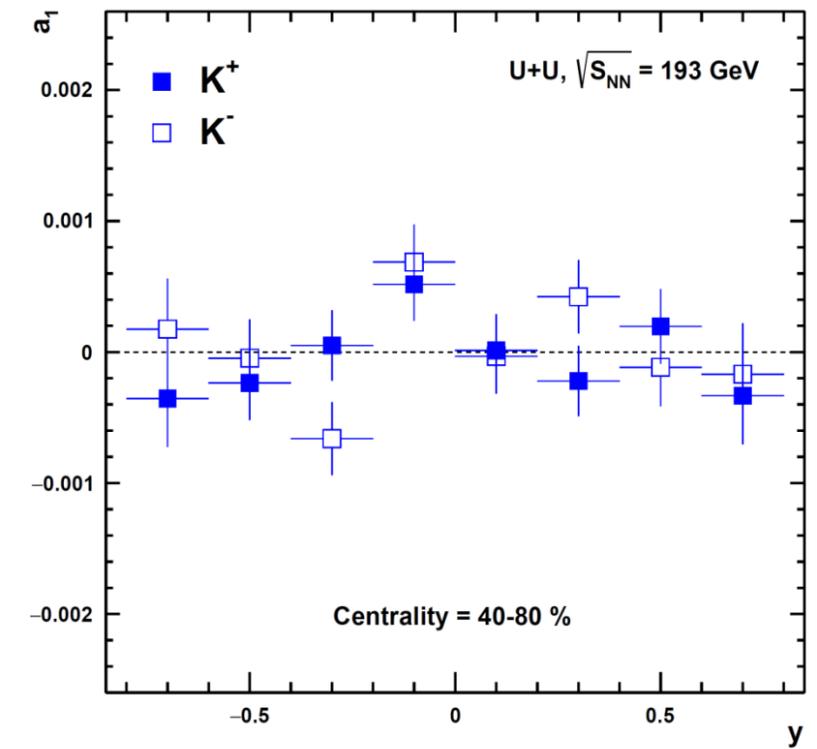
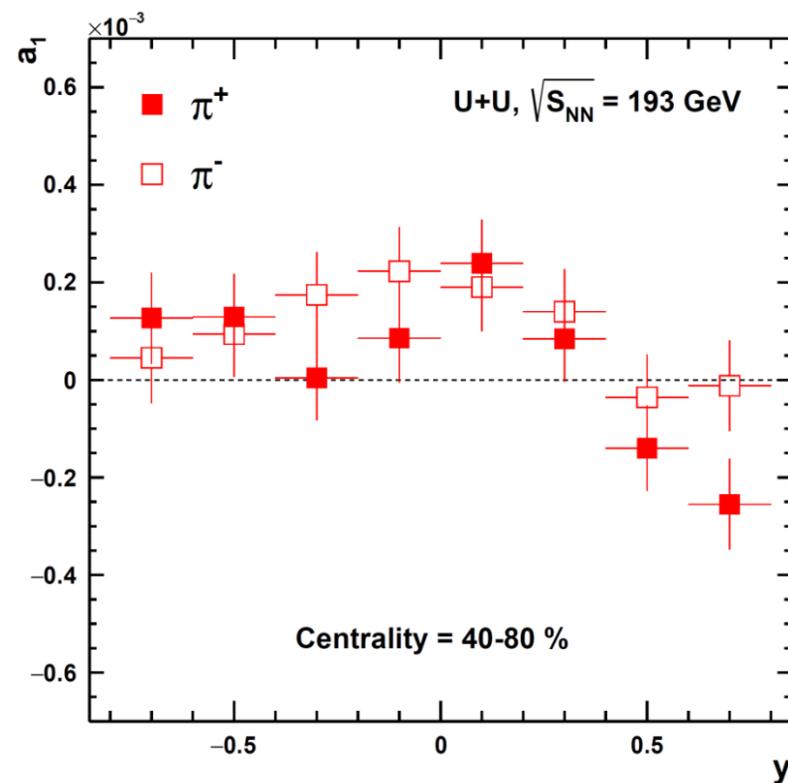
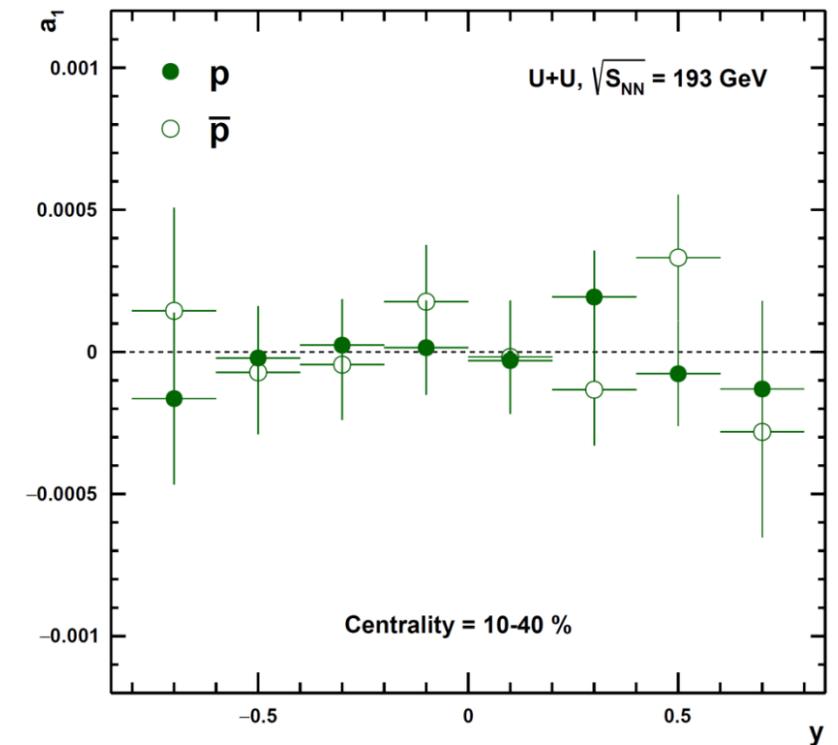
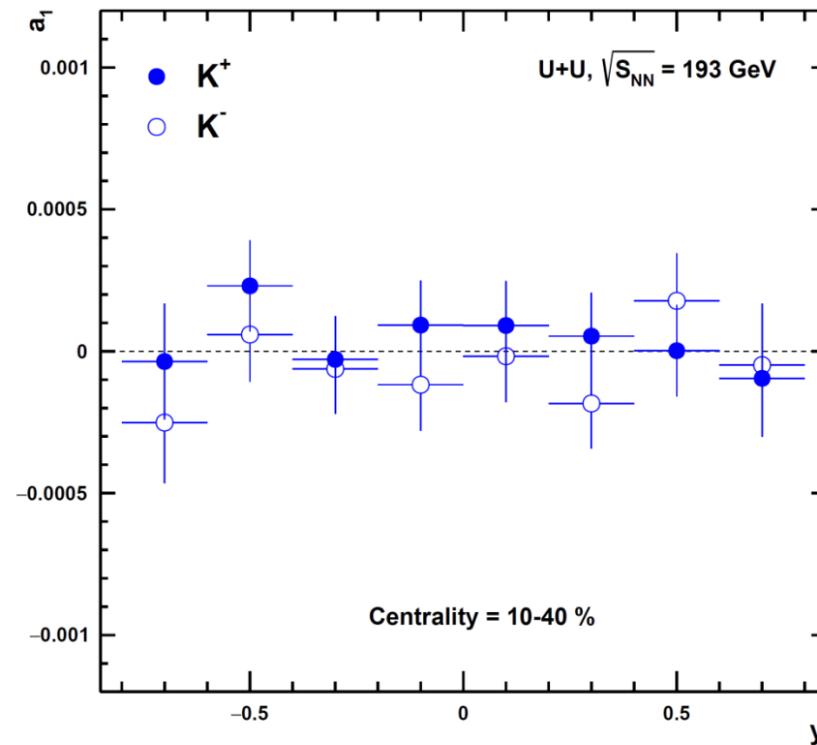
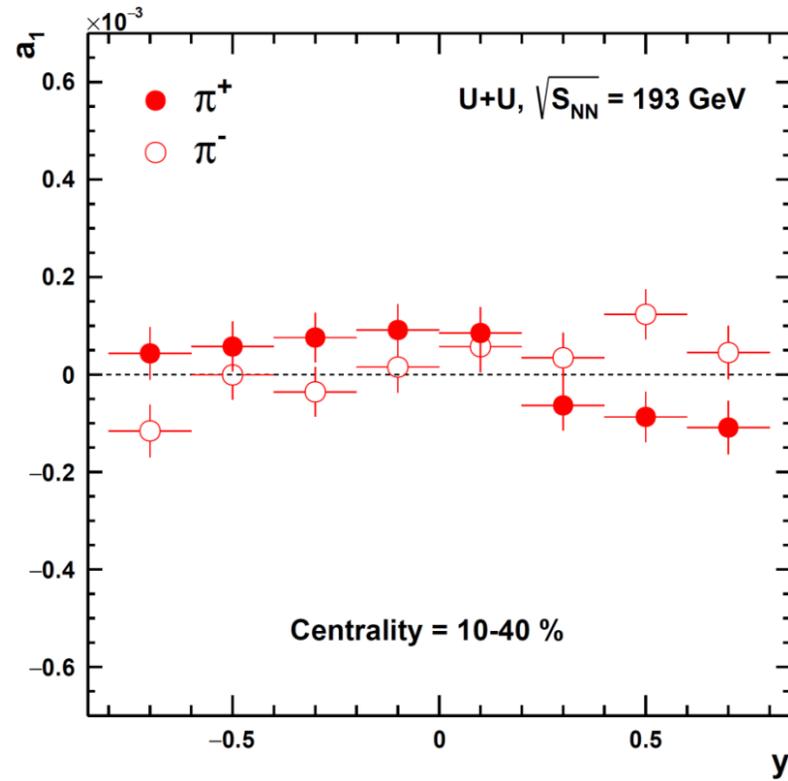


# $\Delta(dv_1/dy)$ for Pion



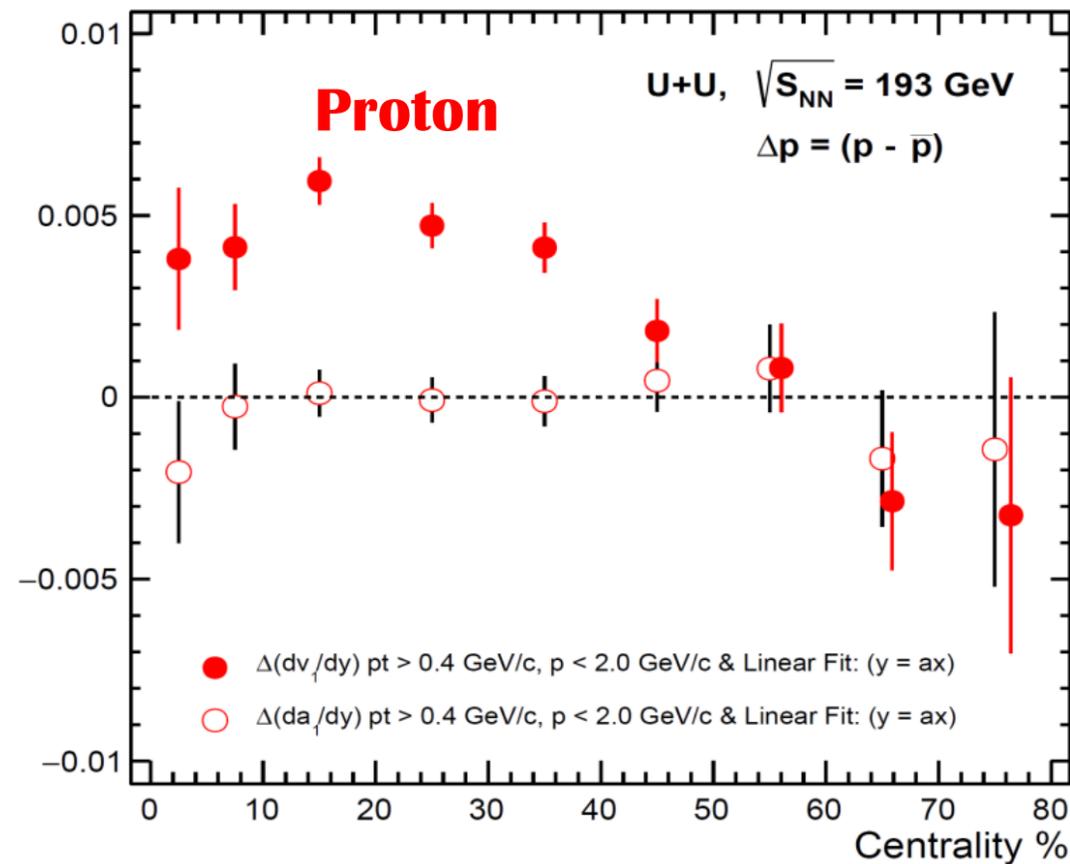
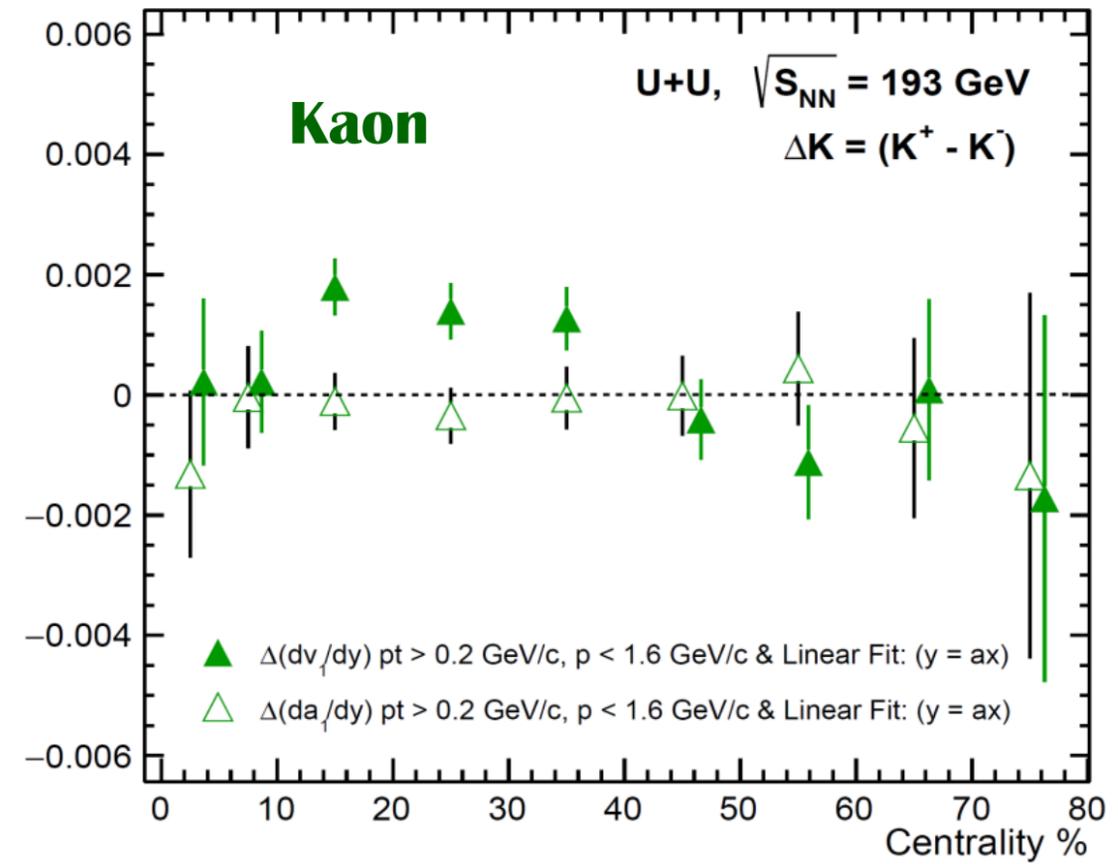
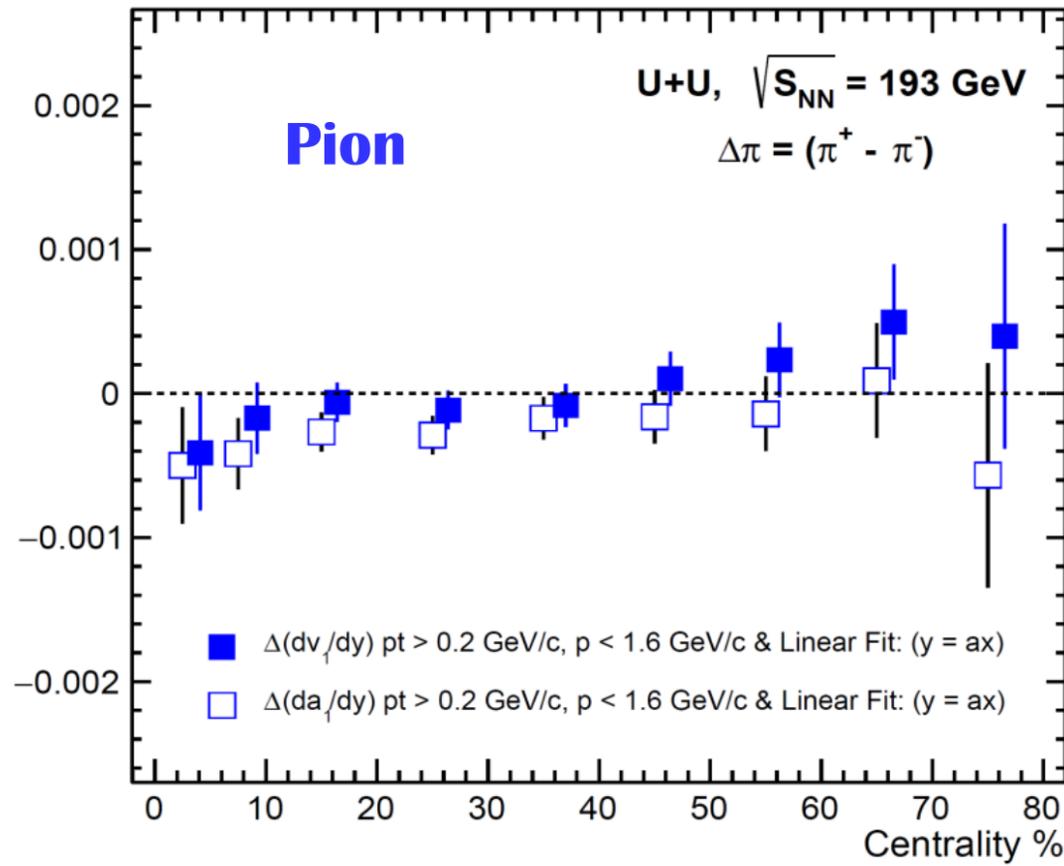


# $a_1(y)$ for U+U Collisions





# $\Delta(d a_1/dy)$ for Proton

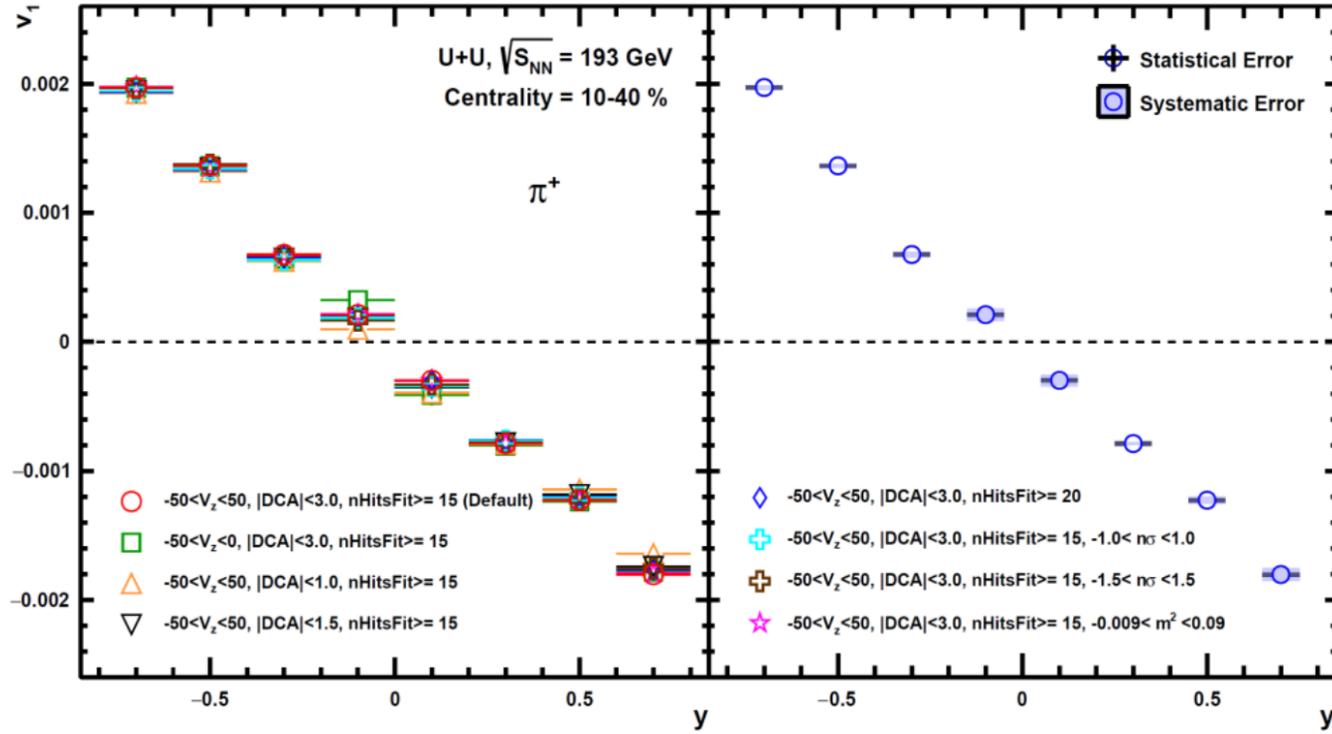




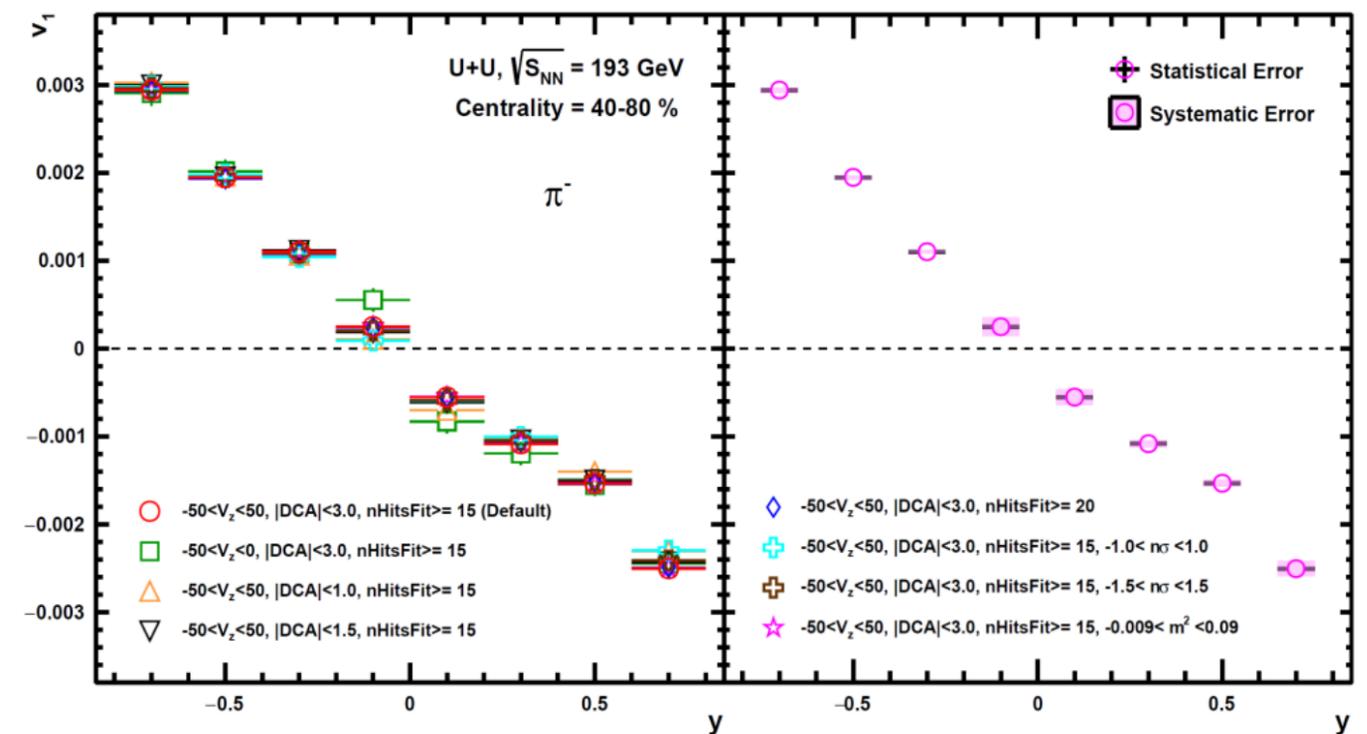
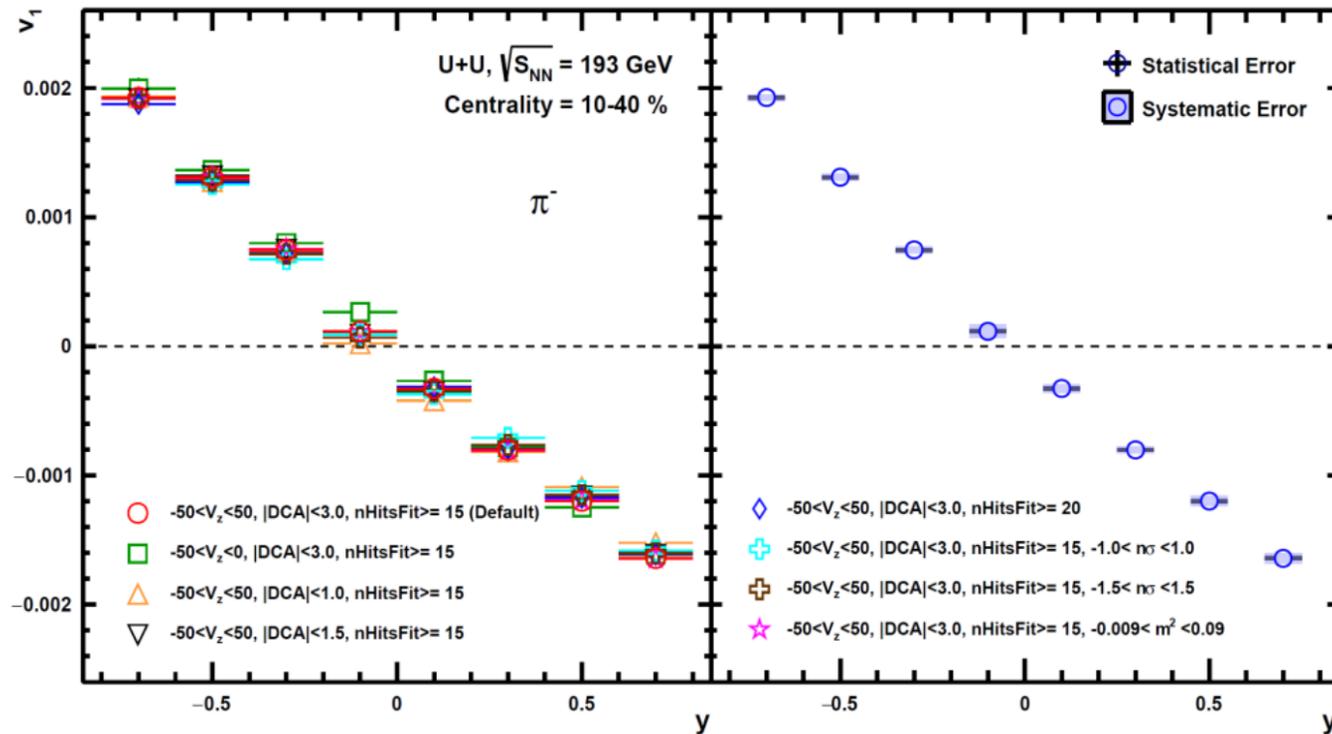
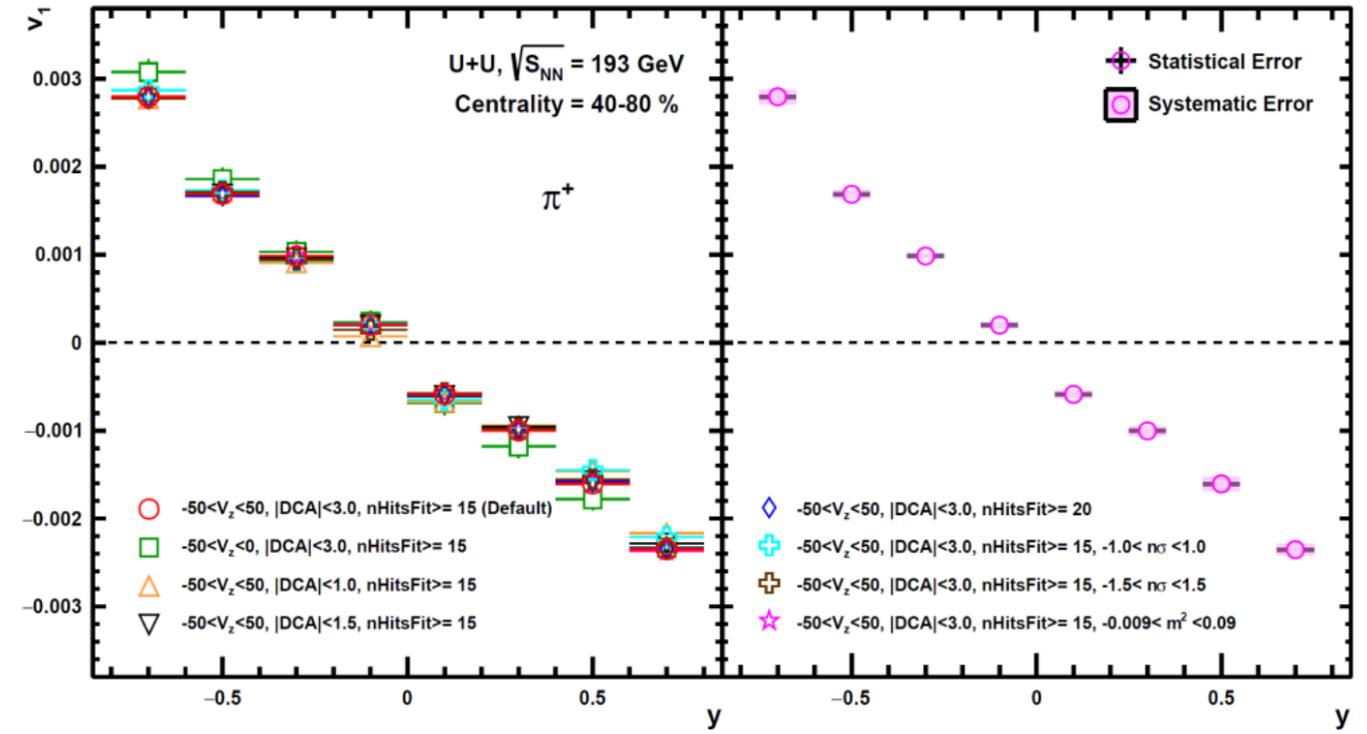
# Rapidity dependent $v_1$ (Pion)



### Mid Central (10 - 40)%



### Peripheral (40 - 80)%

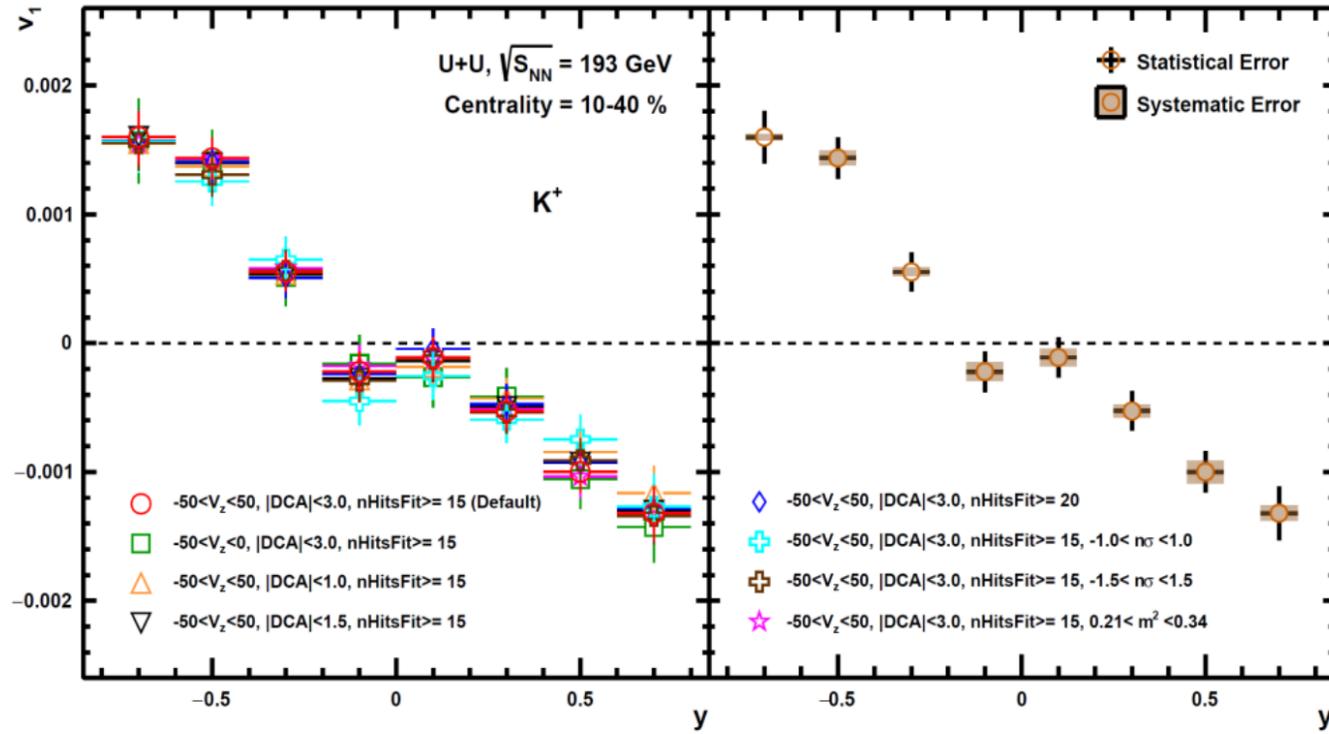




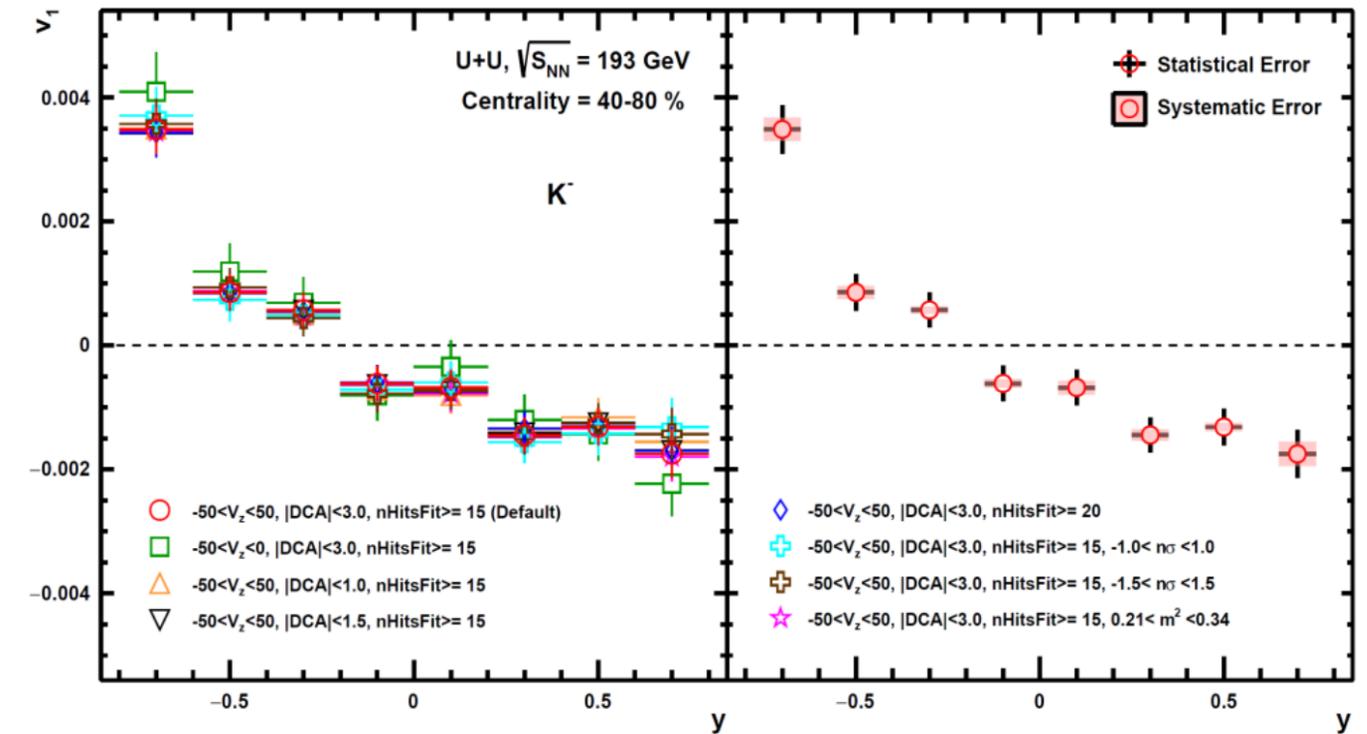
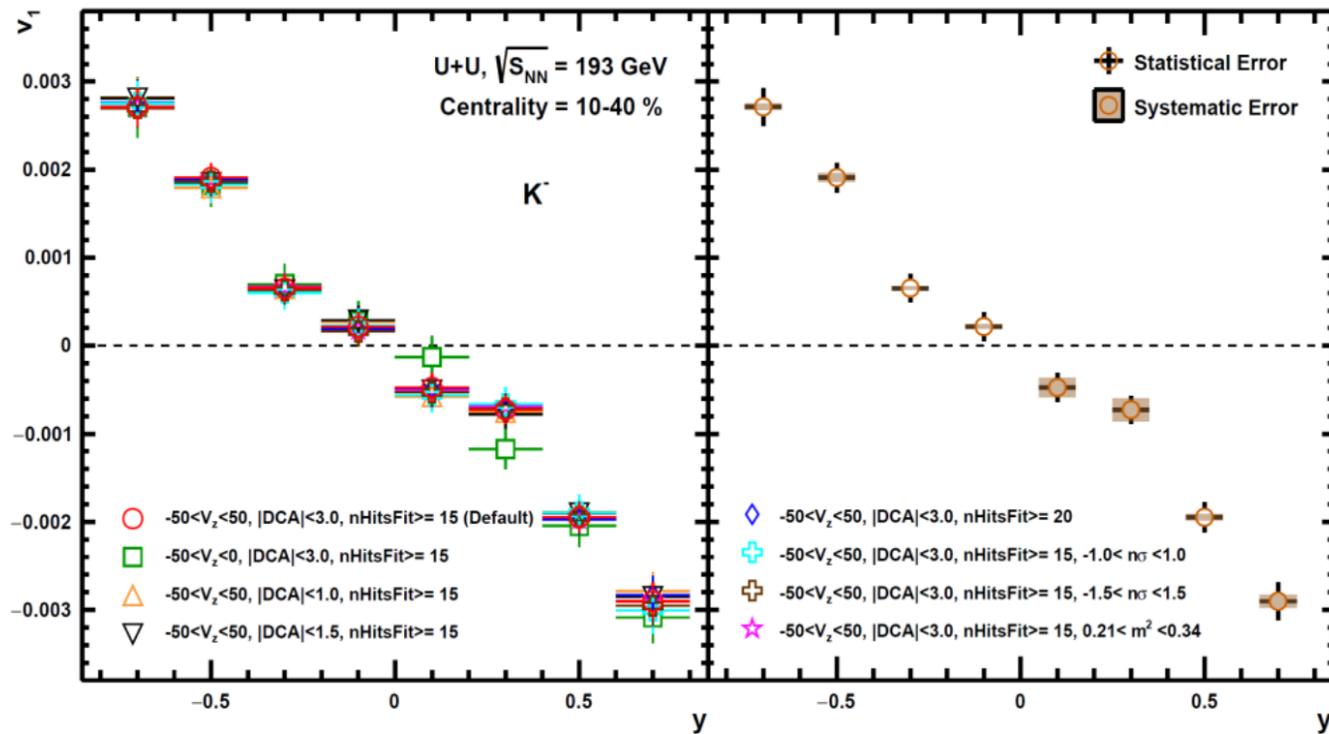
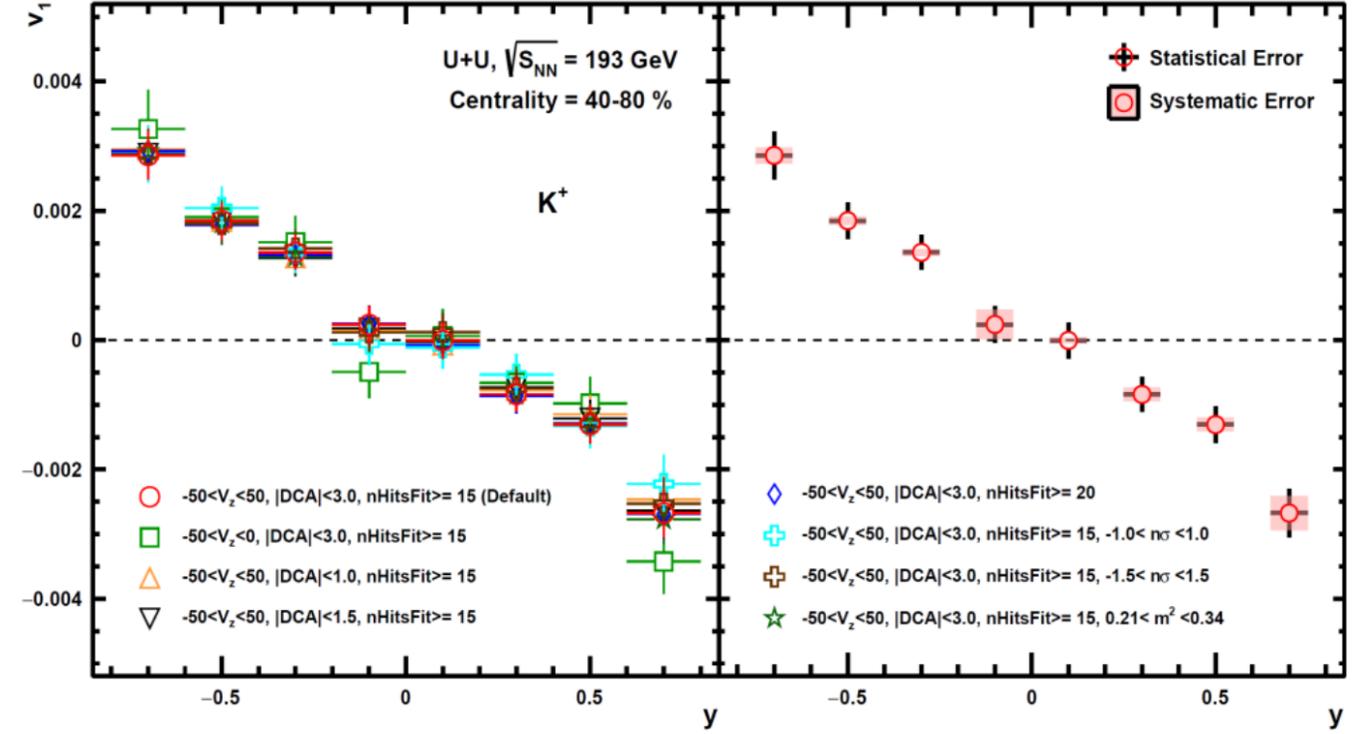
# Rapidity dependent $v_1$ (Kaon)



### Mid Central (10 -40)%



### Peripheral (40 - 80)%

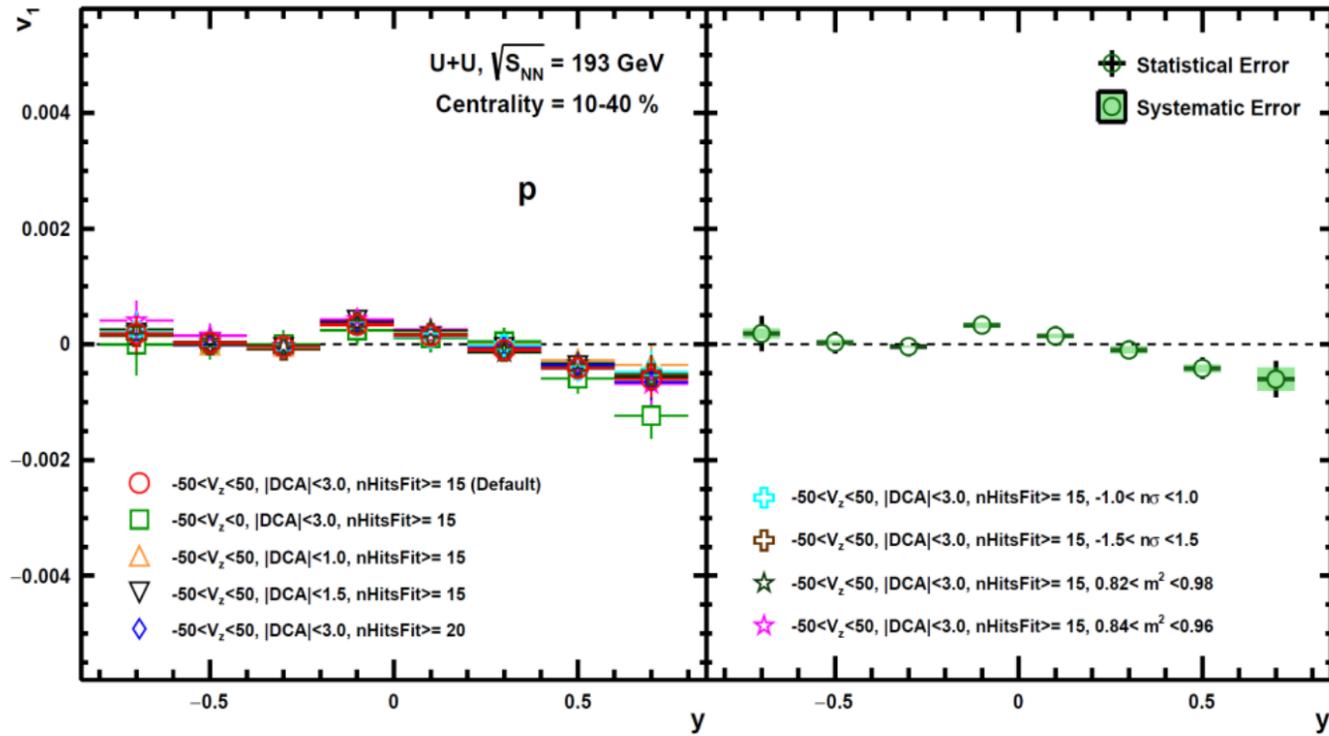




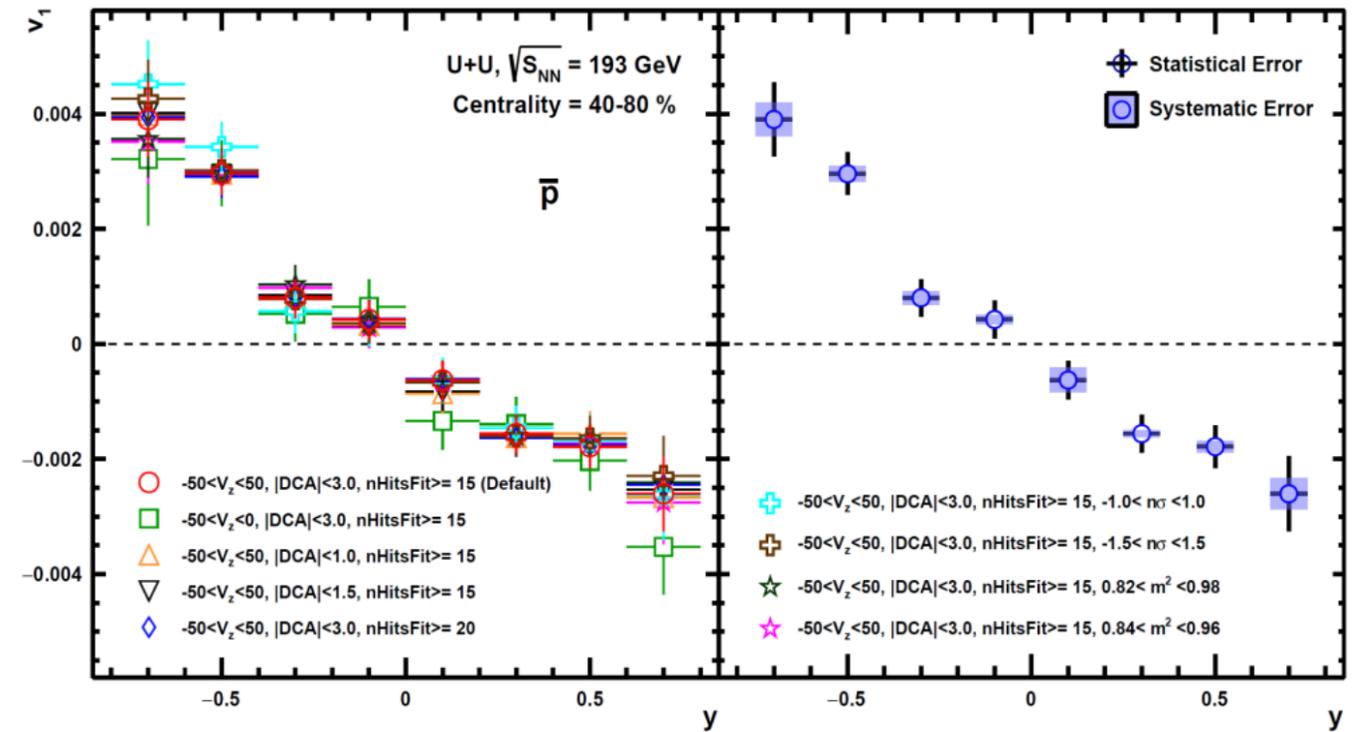
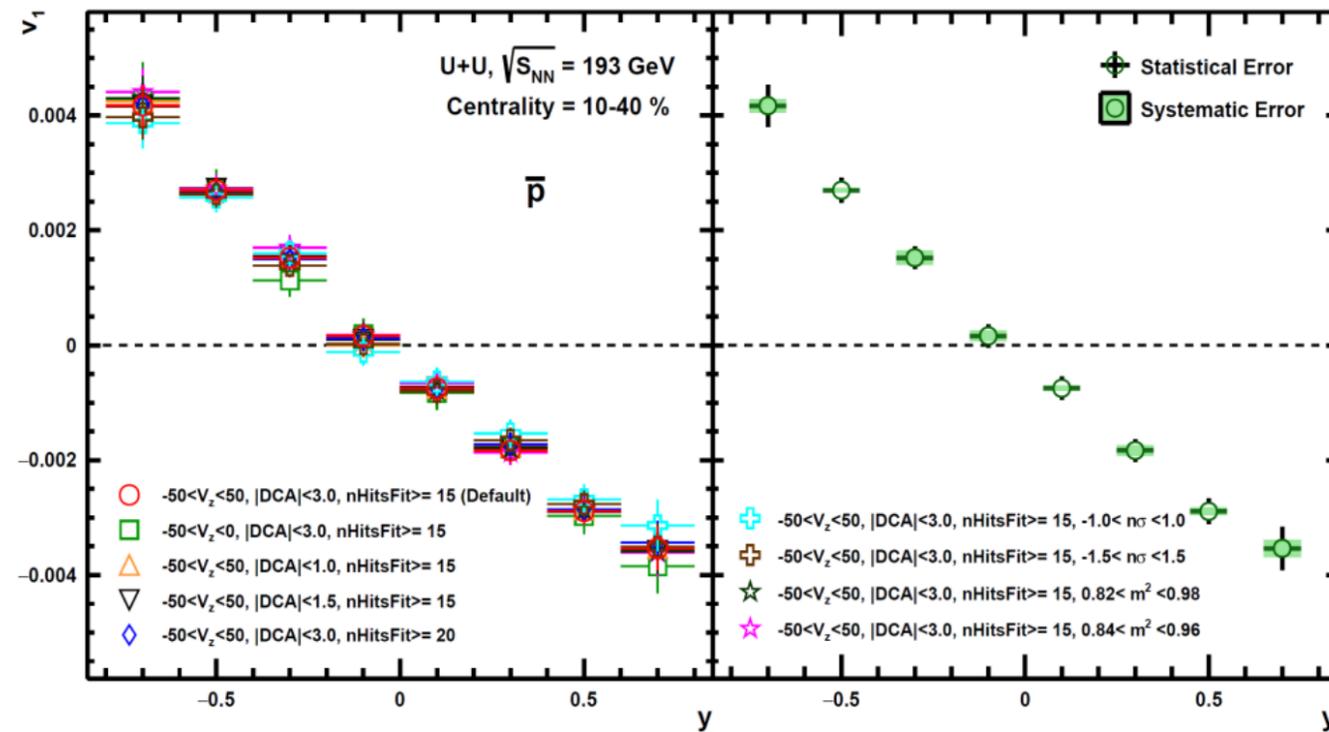
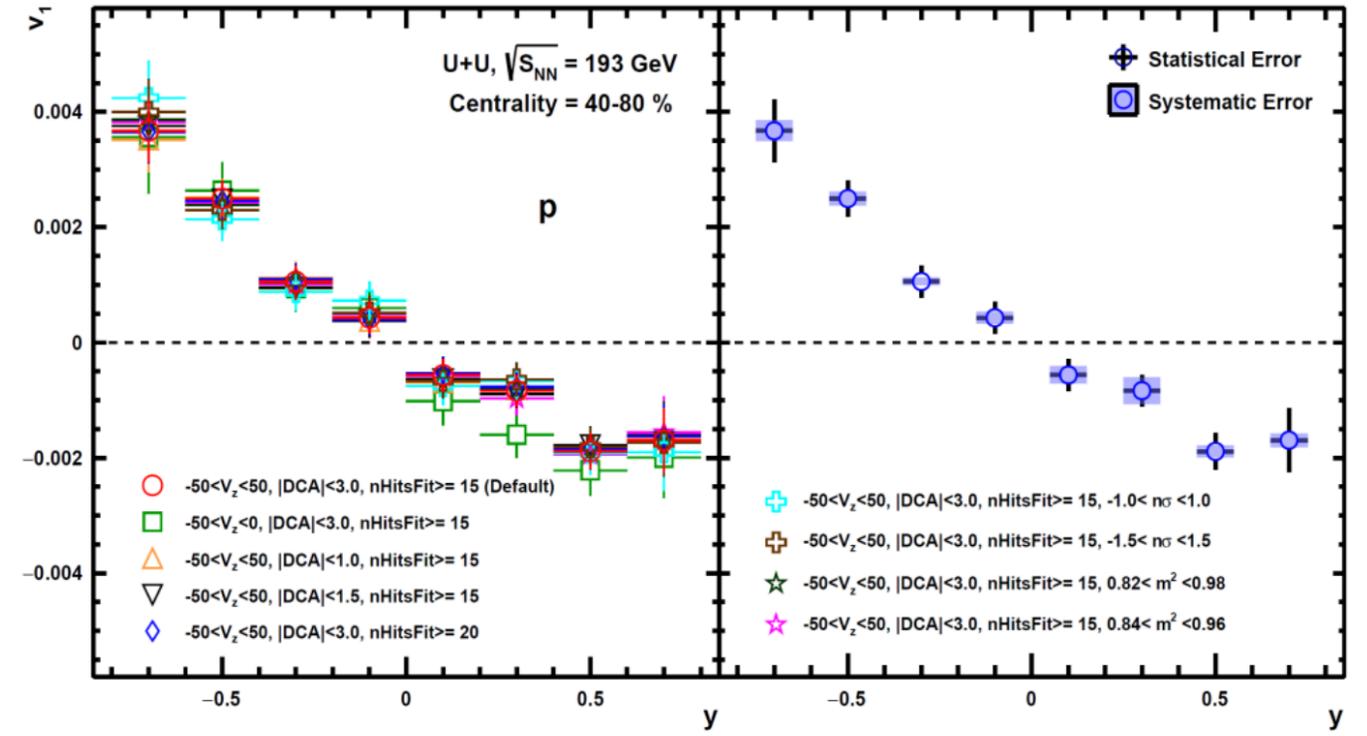
# Rapidity dependent $v_1$ (Proton)



### Mid Central (10 -40)%



### Peripheral (40 - 80)%

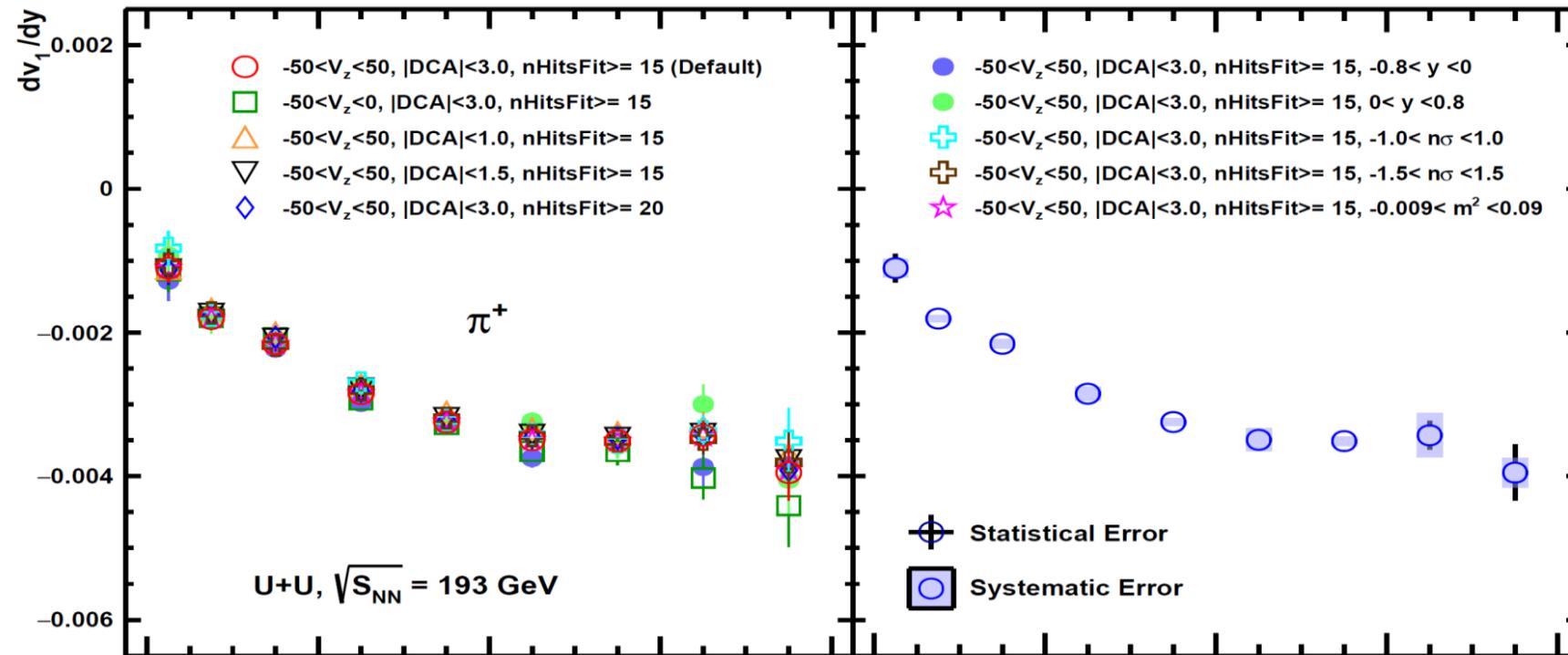




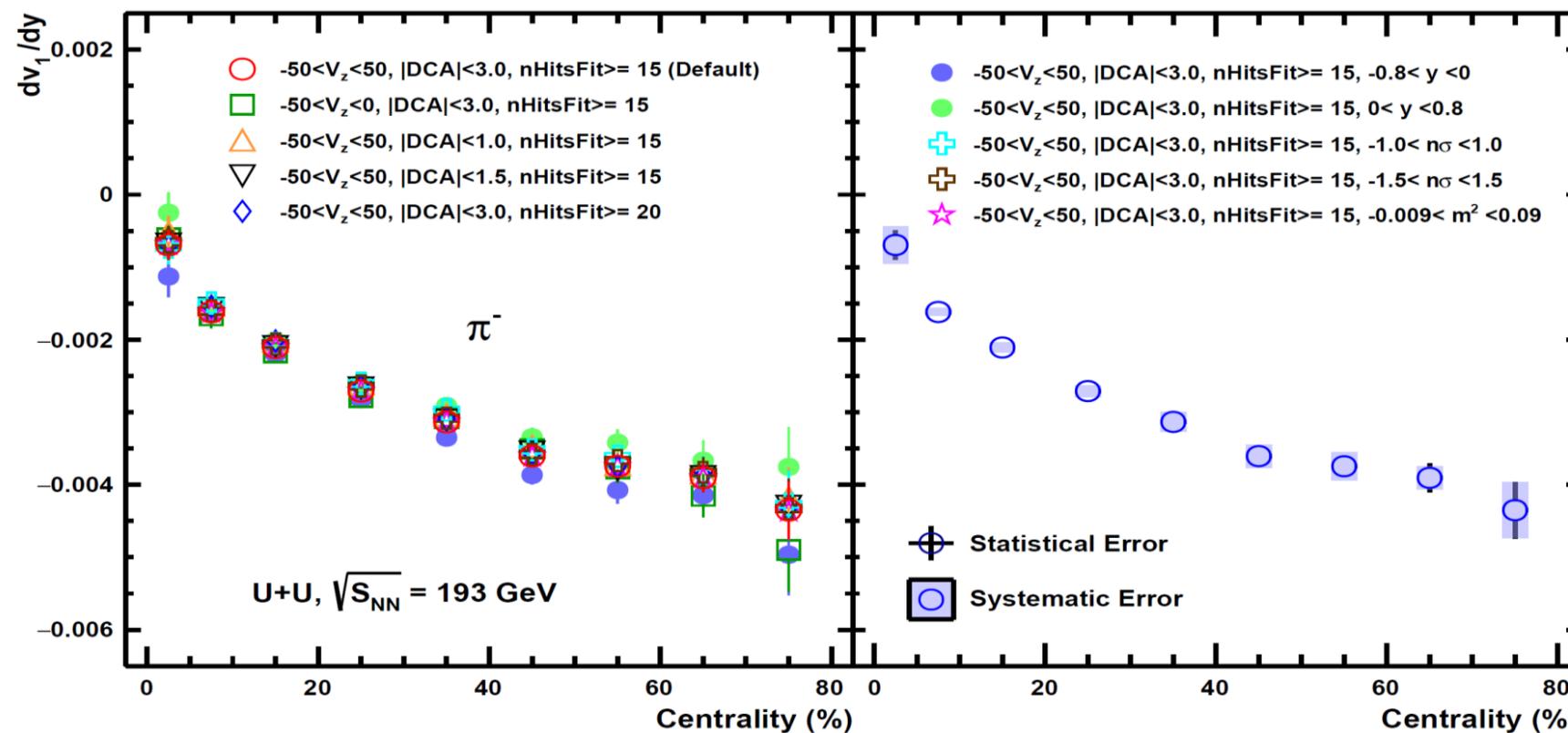
# Centrality dependent $dv_1/dy$ of Pion



Positive Particle

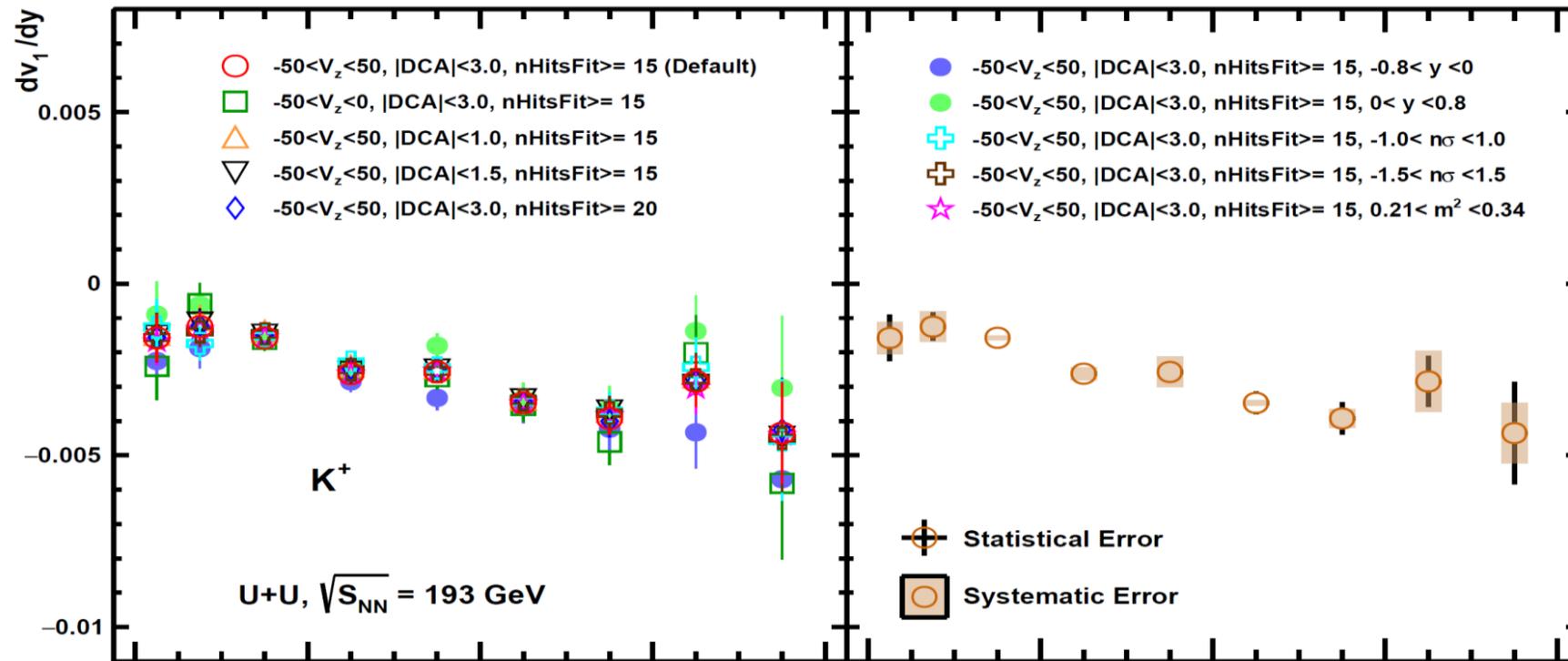


Negative Particle

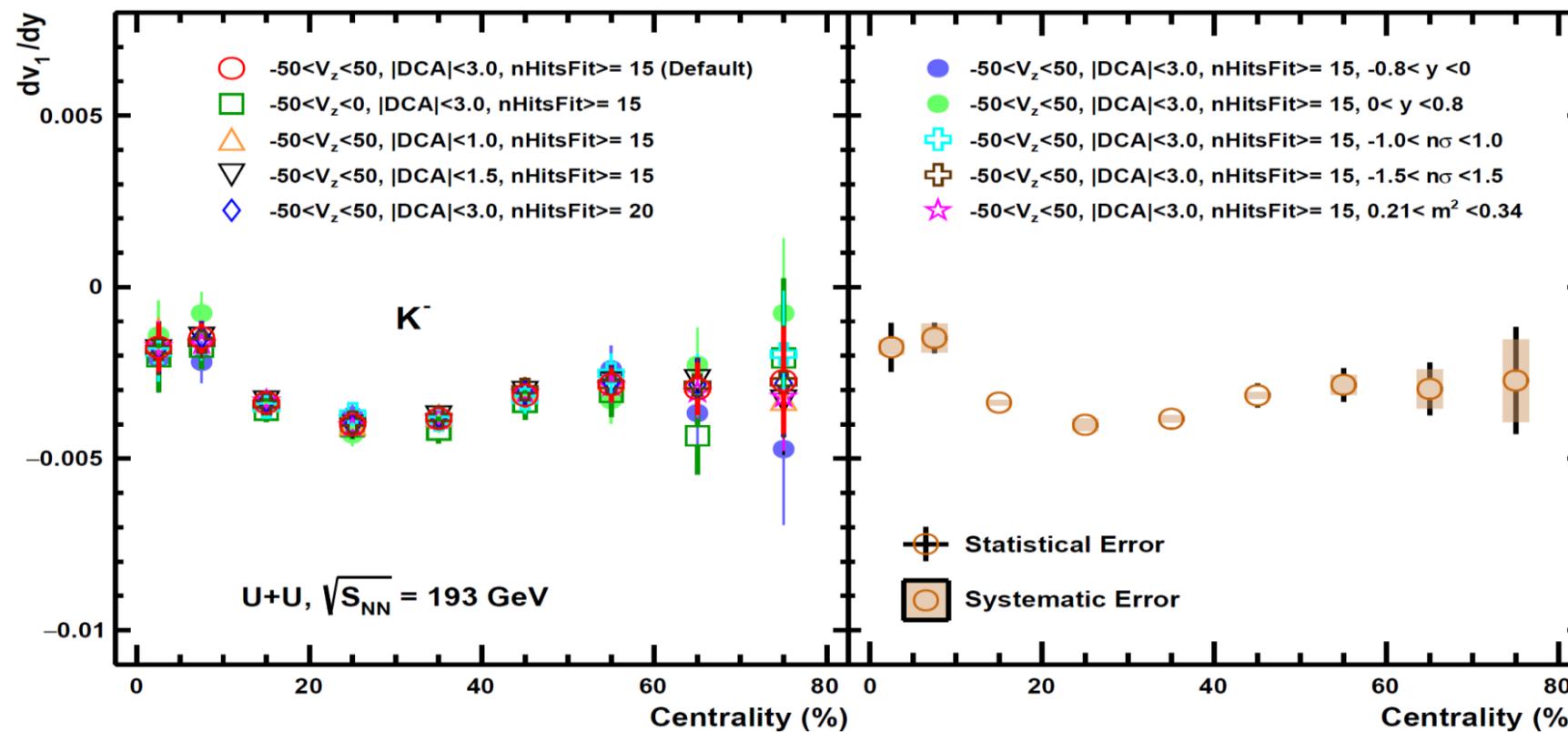


$\square$  A linear function “ $y = mx$ ” is used to get slope ( $dv_1/dy$ ) within rapidity range (-0.8, 0.8)

**Positive Particle**



**Negative Particle**



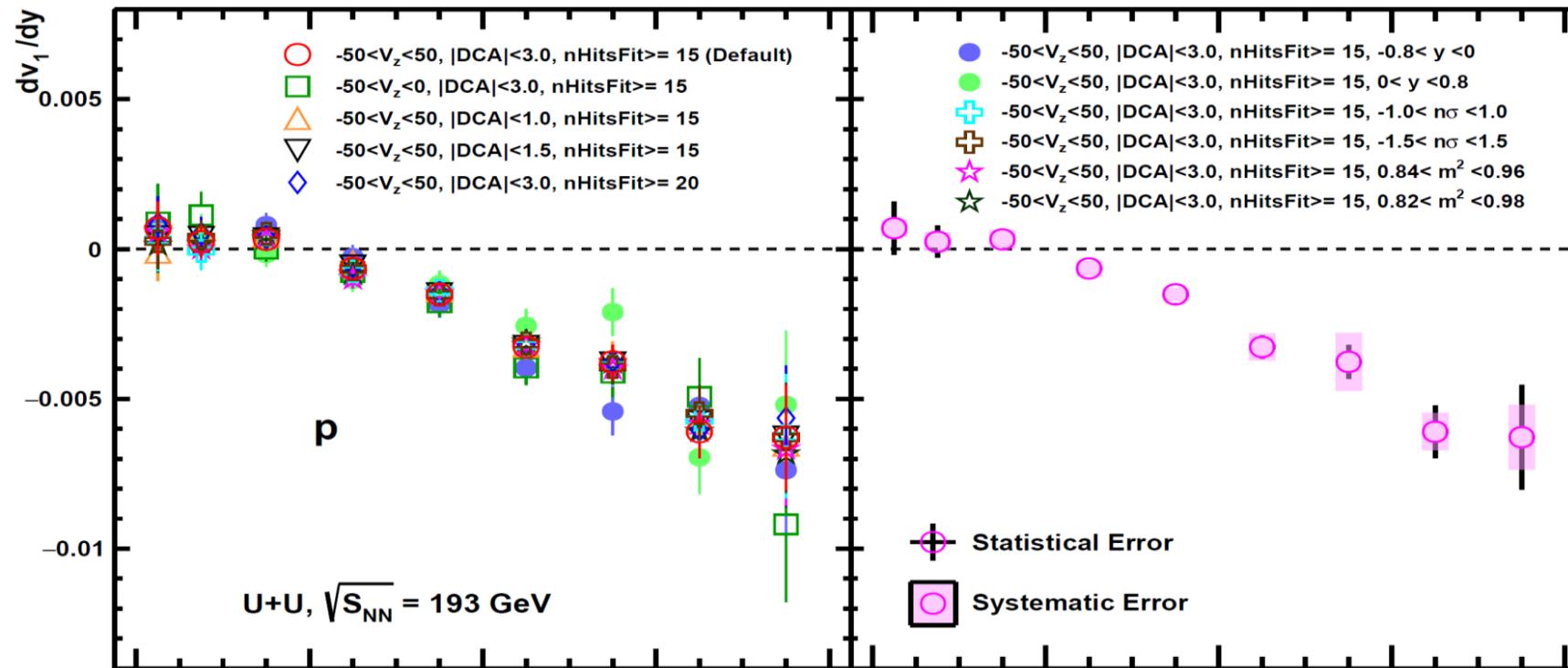
□ A linear function “ $y = mx$ ” is used to get slope ( $dv_1/dy$ ) within rapidity range (-0.8, 0.8)



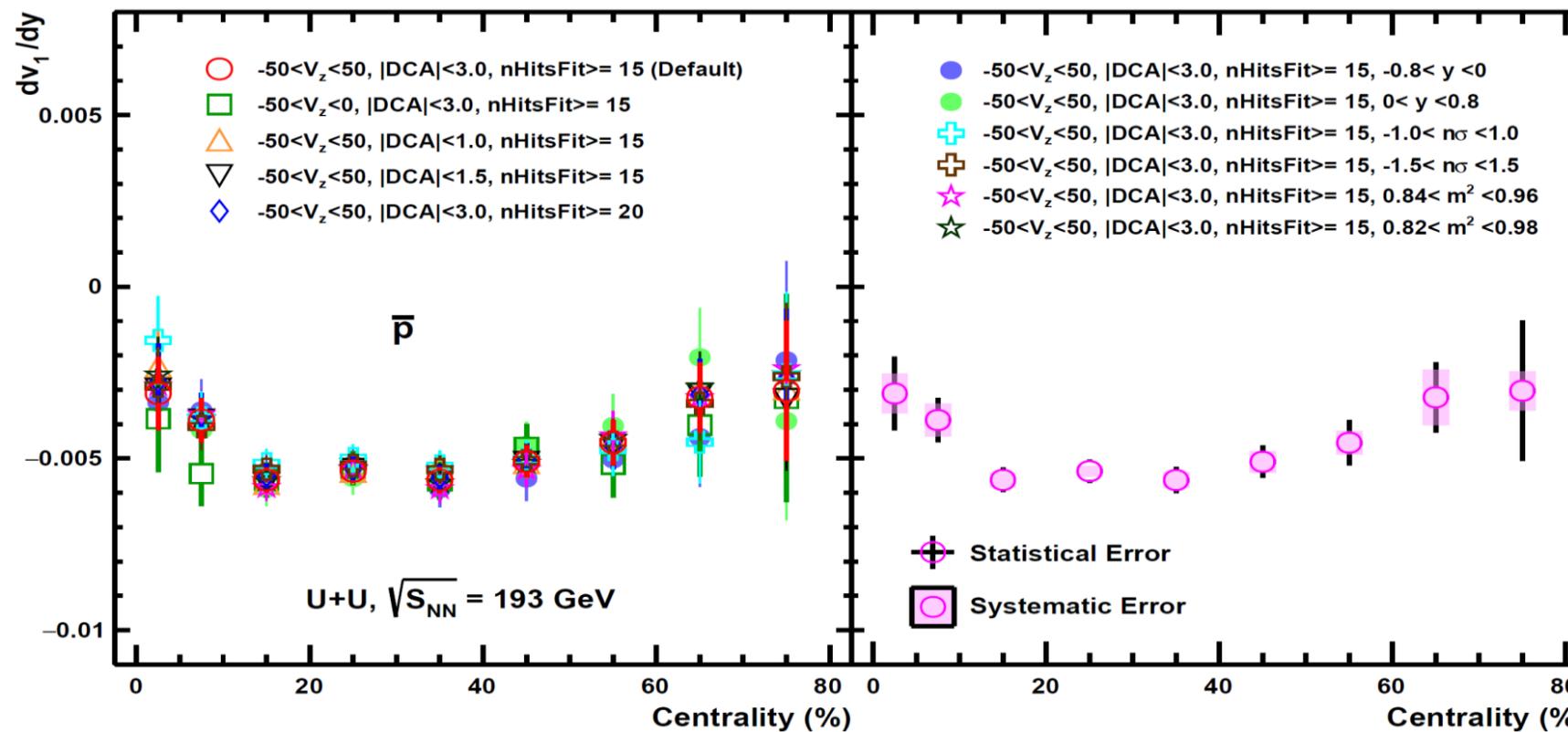
# Centrality dependent $dv_1/dy$ of Proton



Positive Particle



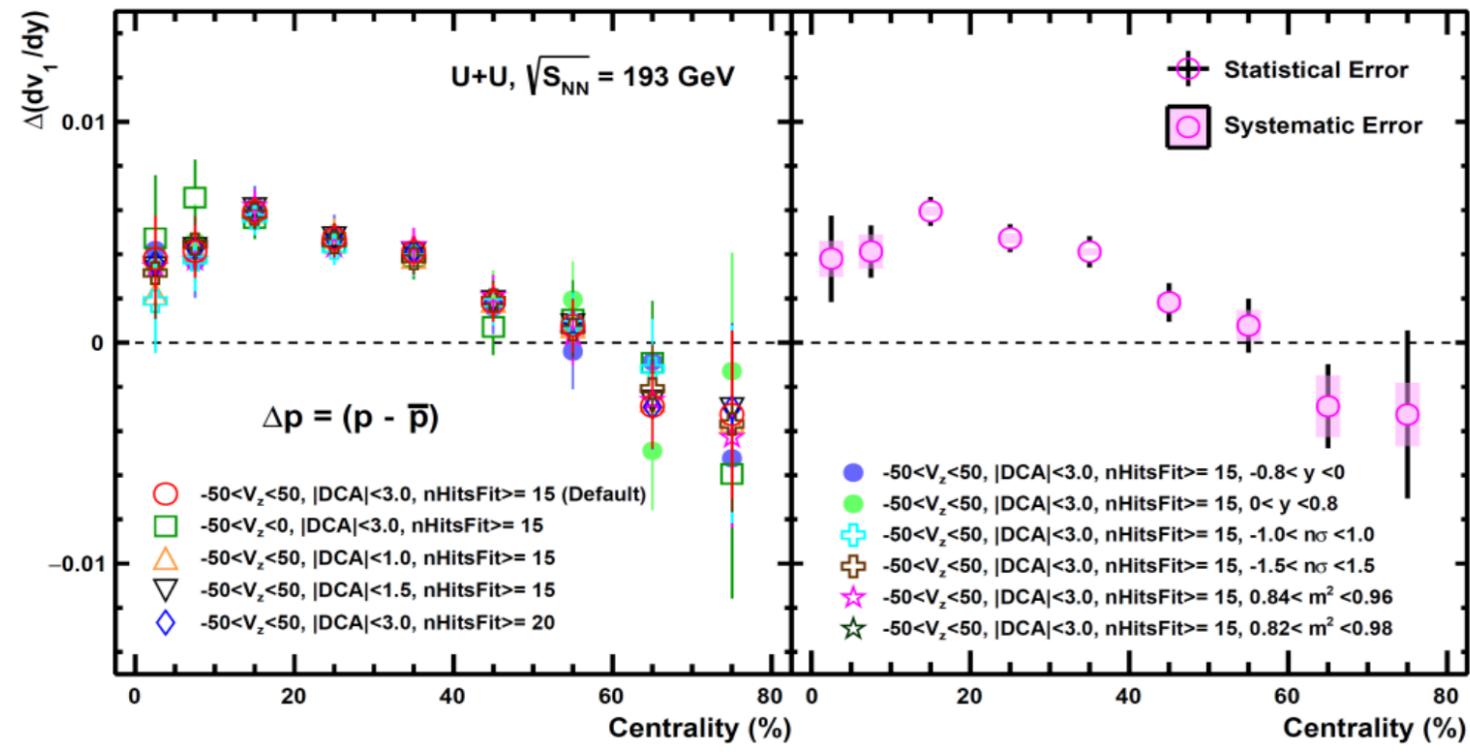
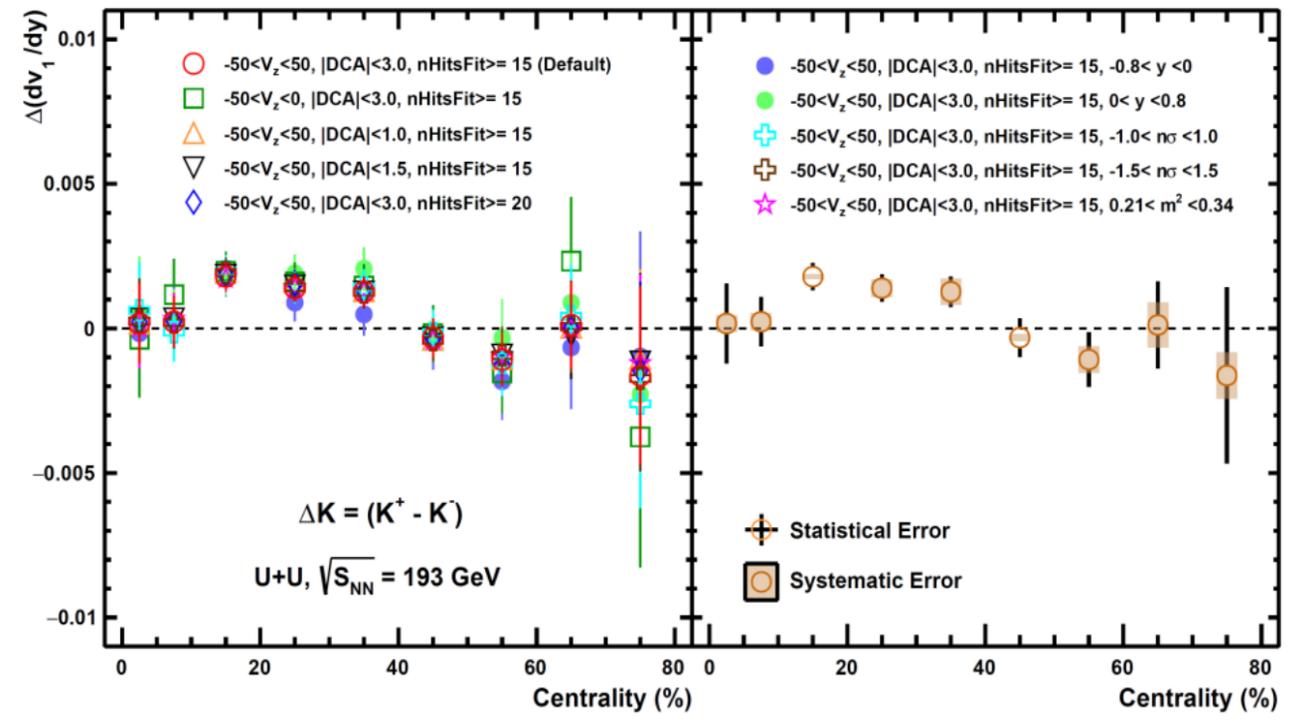
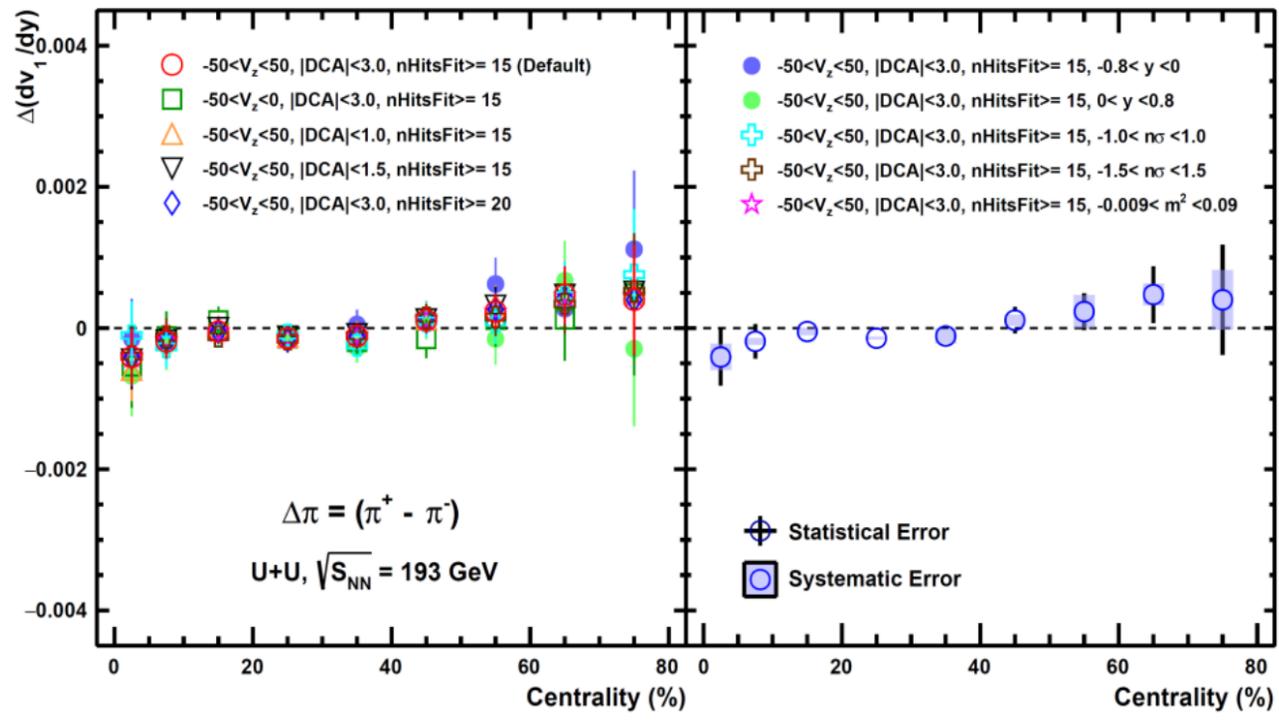
Negative Particle



- A linear function “ $y = mx$ ” is used to get slope ( $dv_1/dy$ ) within rapidity range (-0.8, 0.8)
- For Proton, a sign change in  $dv_1/dy$  is observed in the mid central region



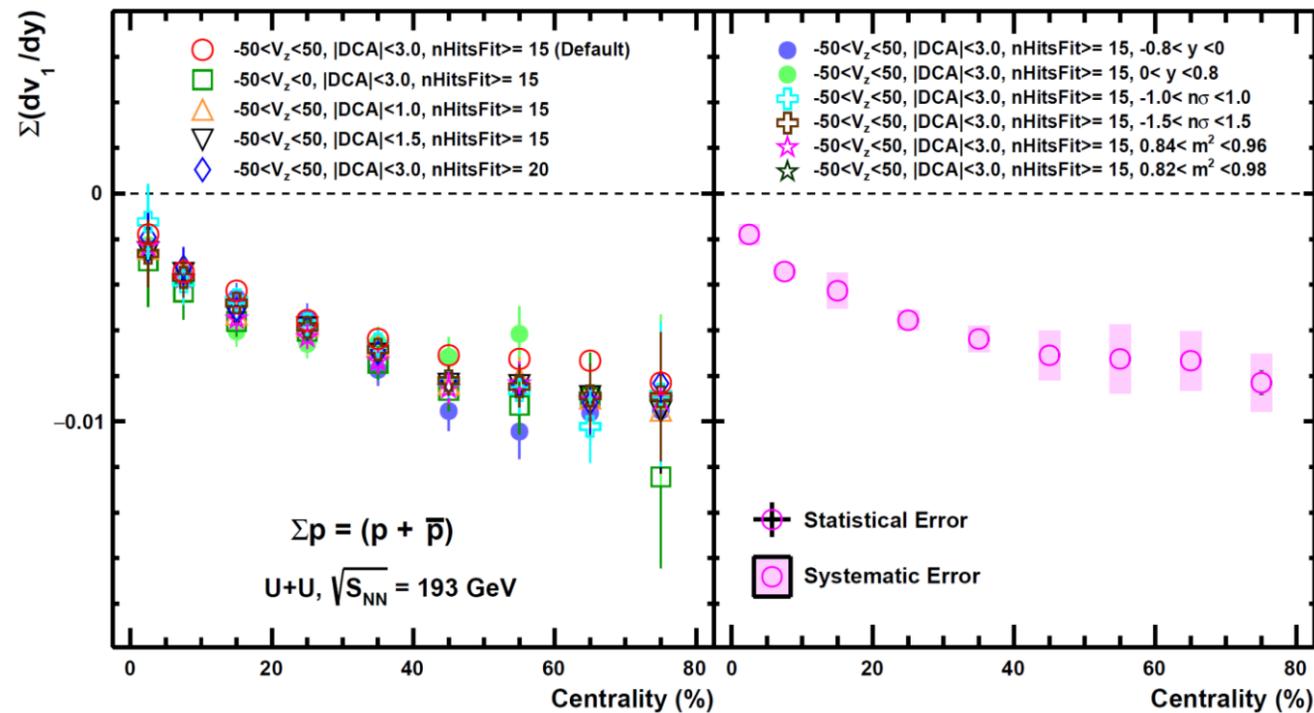
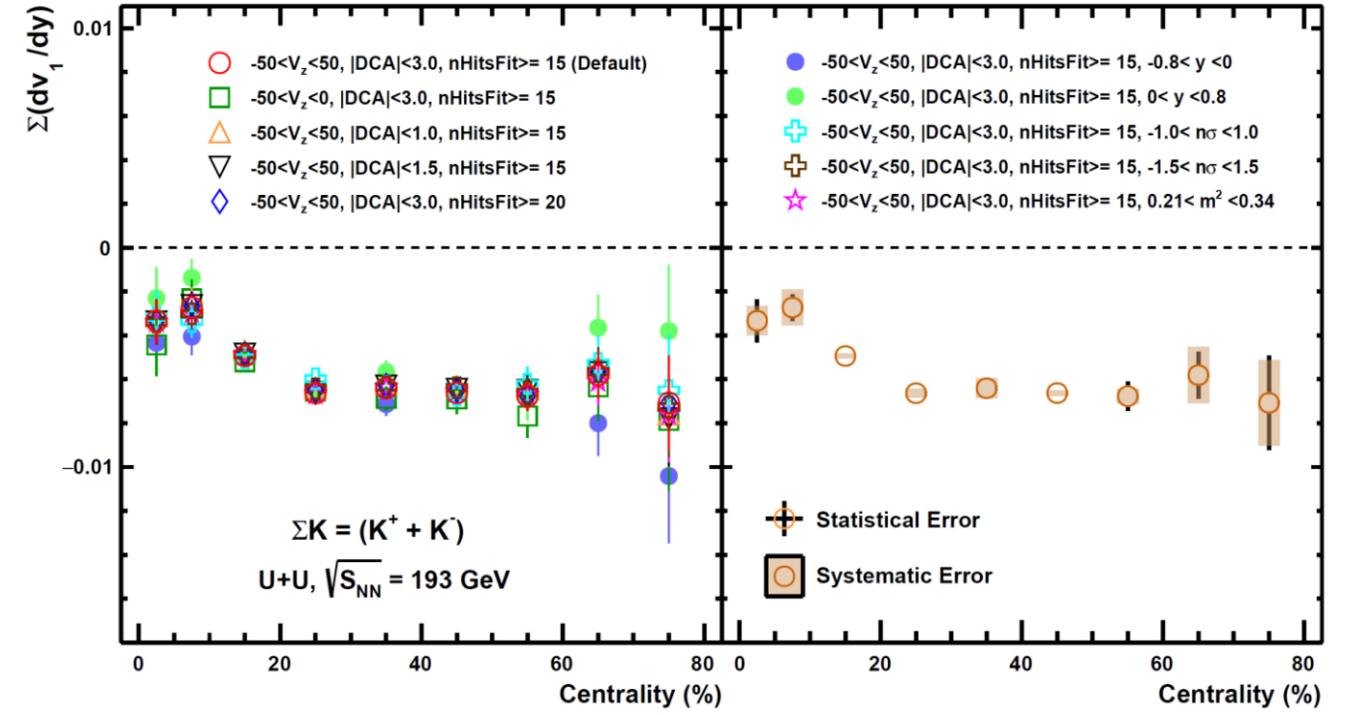
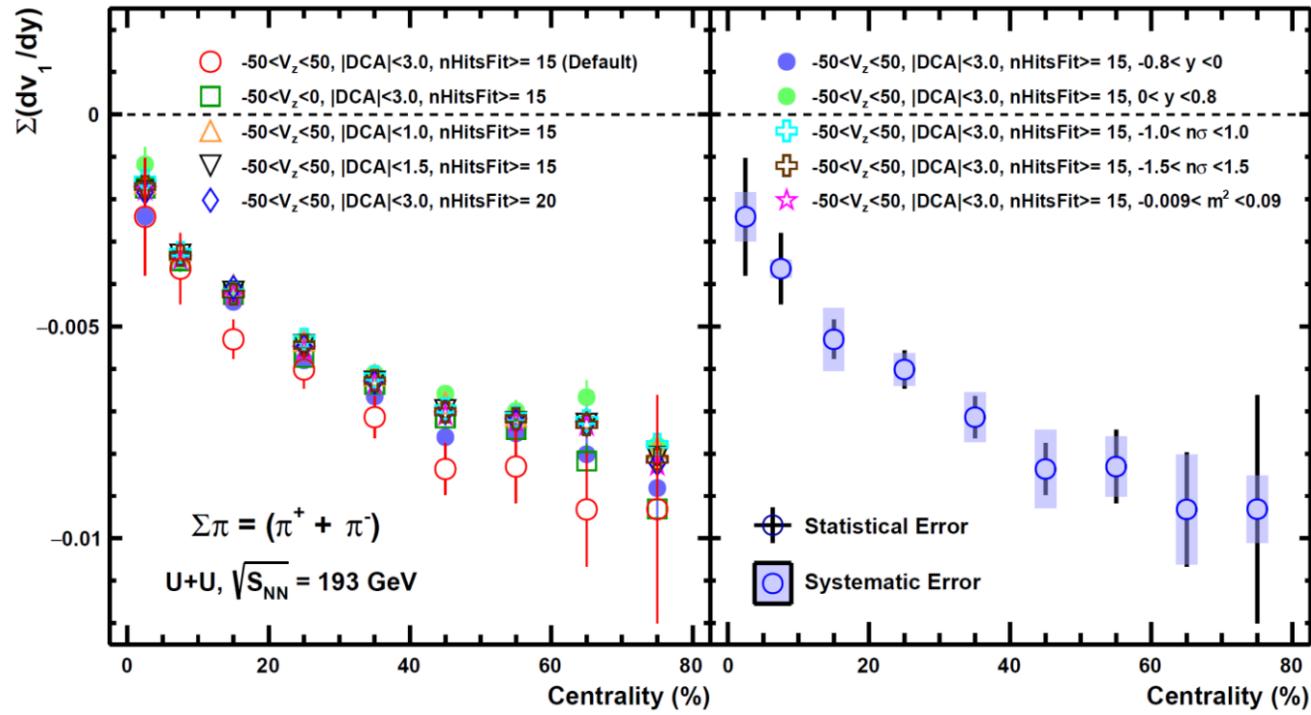
# Centrality dependent $\Delta(dv_1/dy)$ of pi, k, p



□  $\Delta(dv_1/dy)$  is obtained using:  $\Delta(dv_1/dy) = [dv_1^+/dy - dv_1^-/dy]$



# Centrality dependent $\Sigma(dv_1/dy)$ of pi, k, p



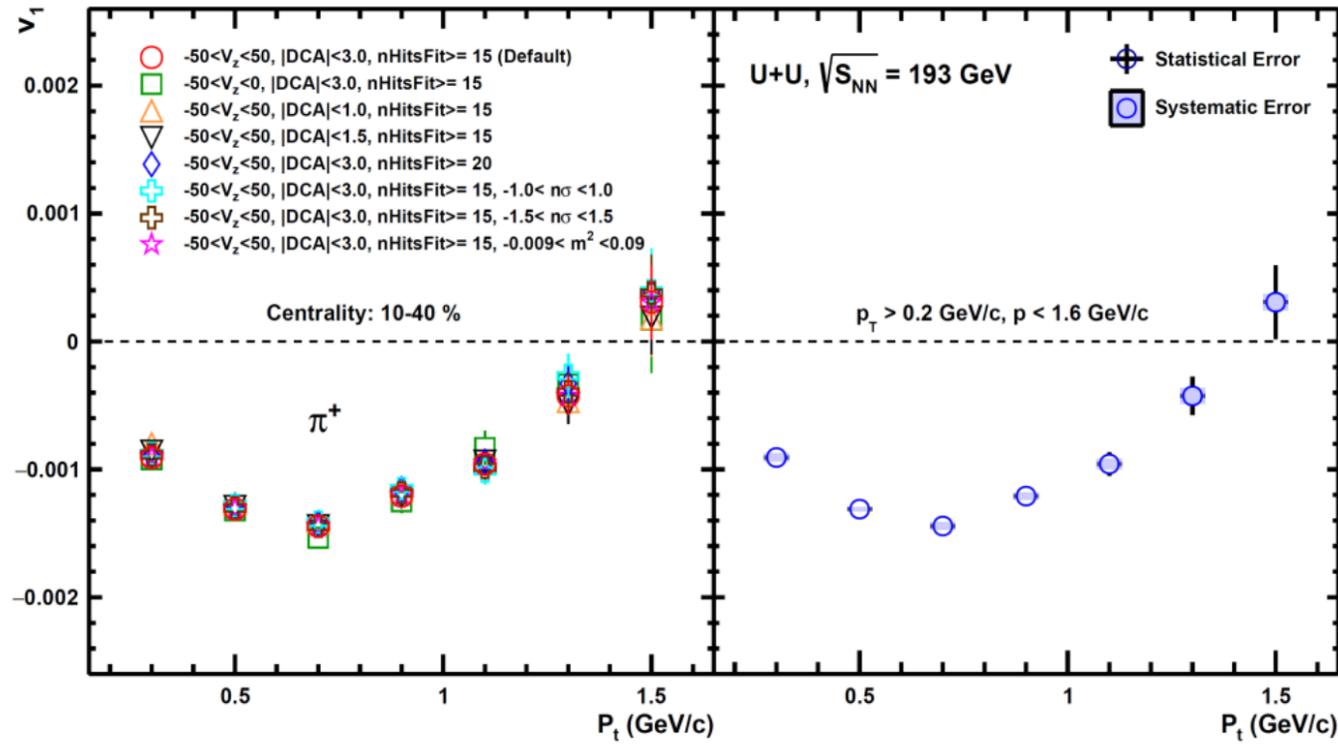
□  $\Sigma(dv_1/dy)$  is obtained using:  $\Sigma(dv_1/dy) = [dv_1^+/dy + dv_1^-/dy]$



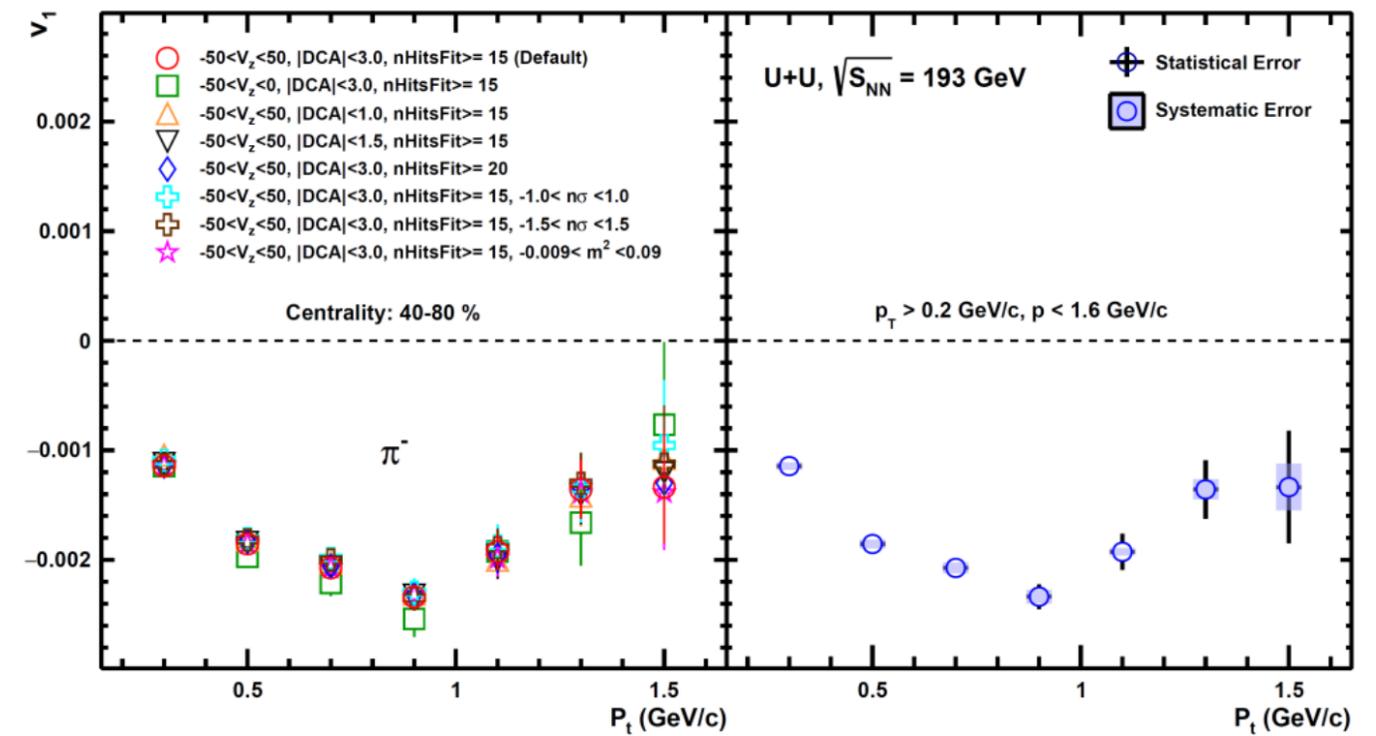
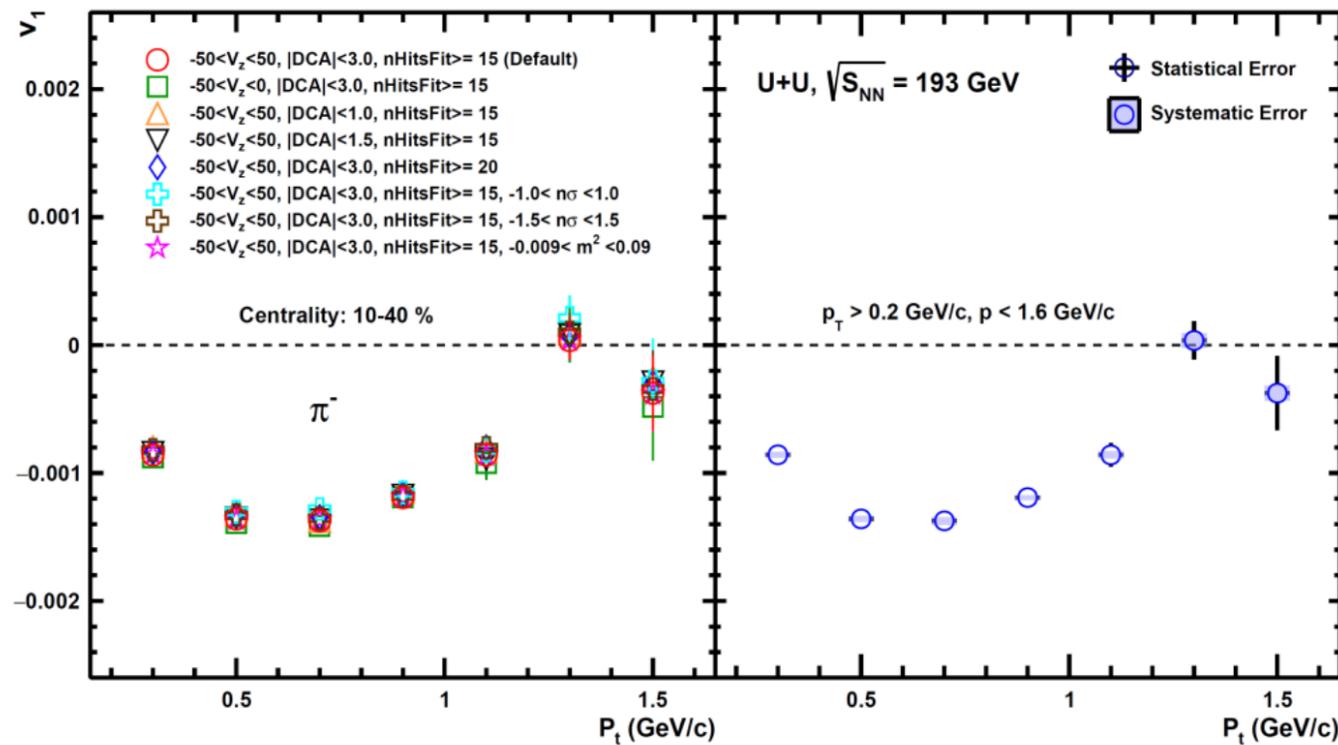
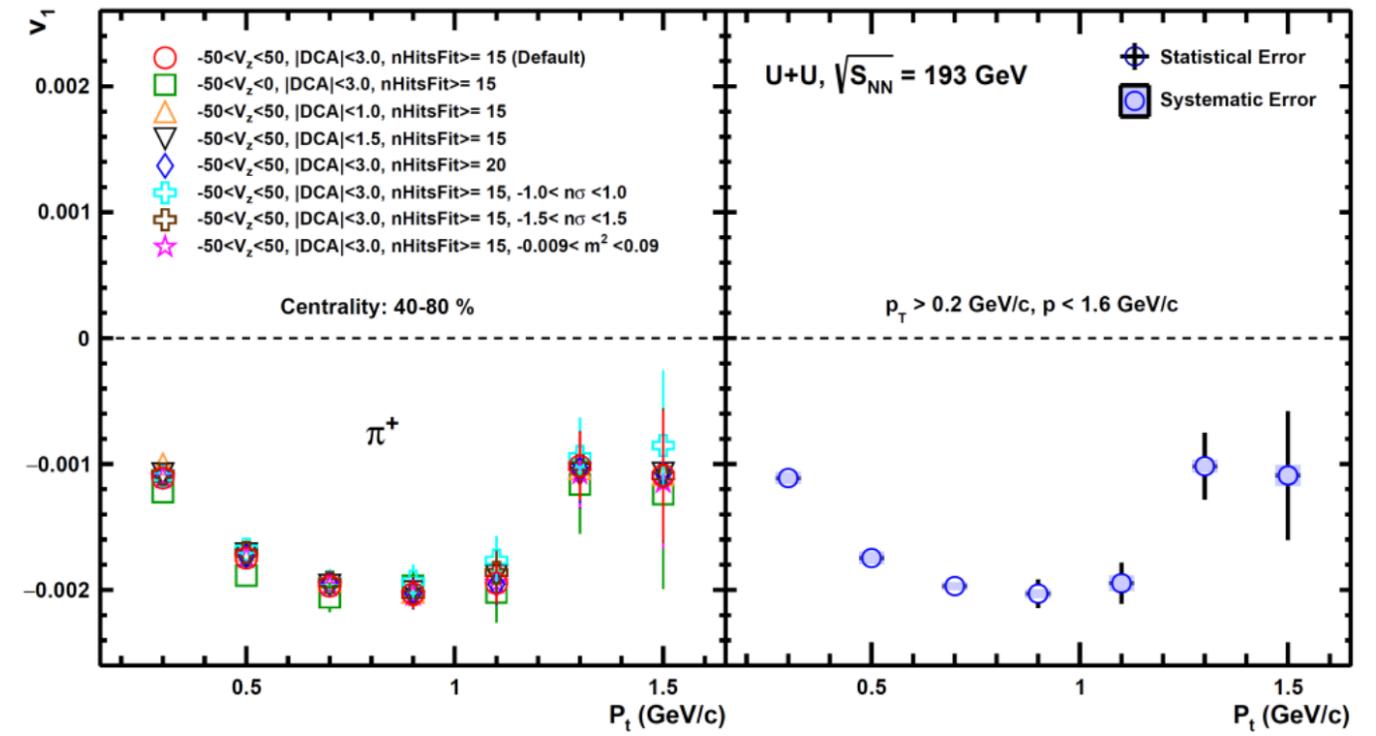
# $p_t$ dependent $v_1$ (Pion)



### Mid Central (10 - 40)%



### Peripheral (40 - 80)%

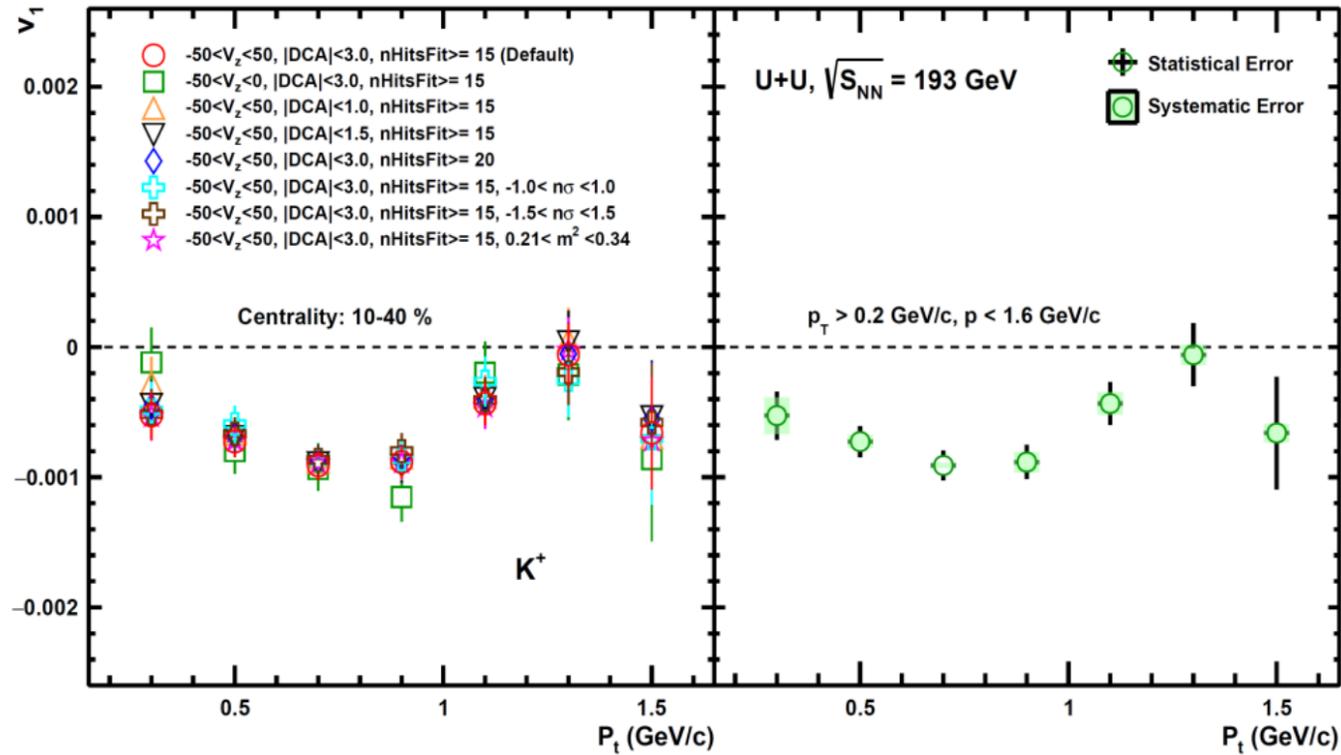




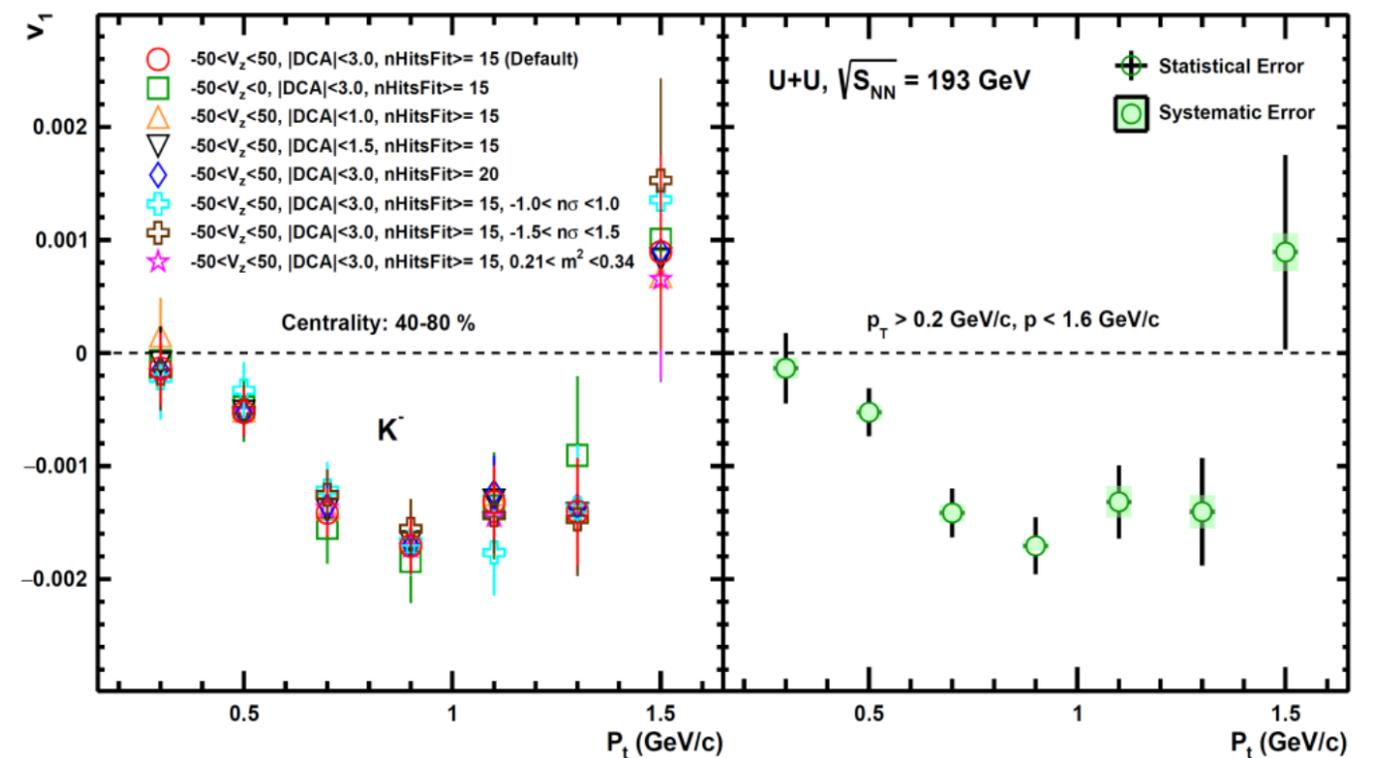
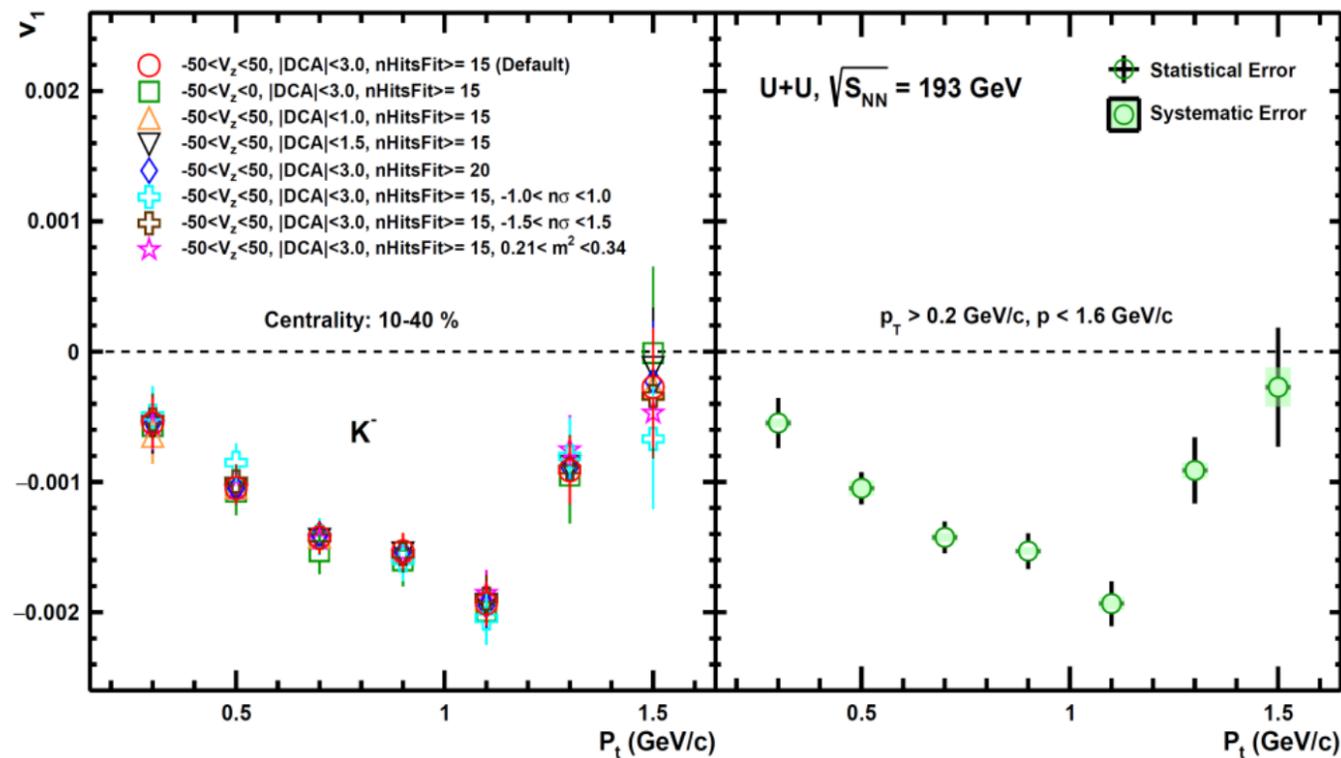
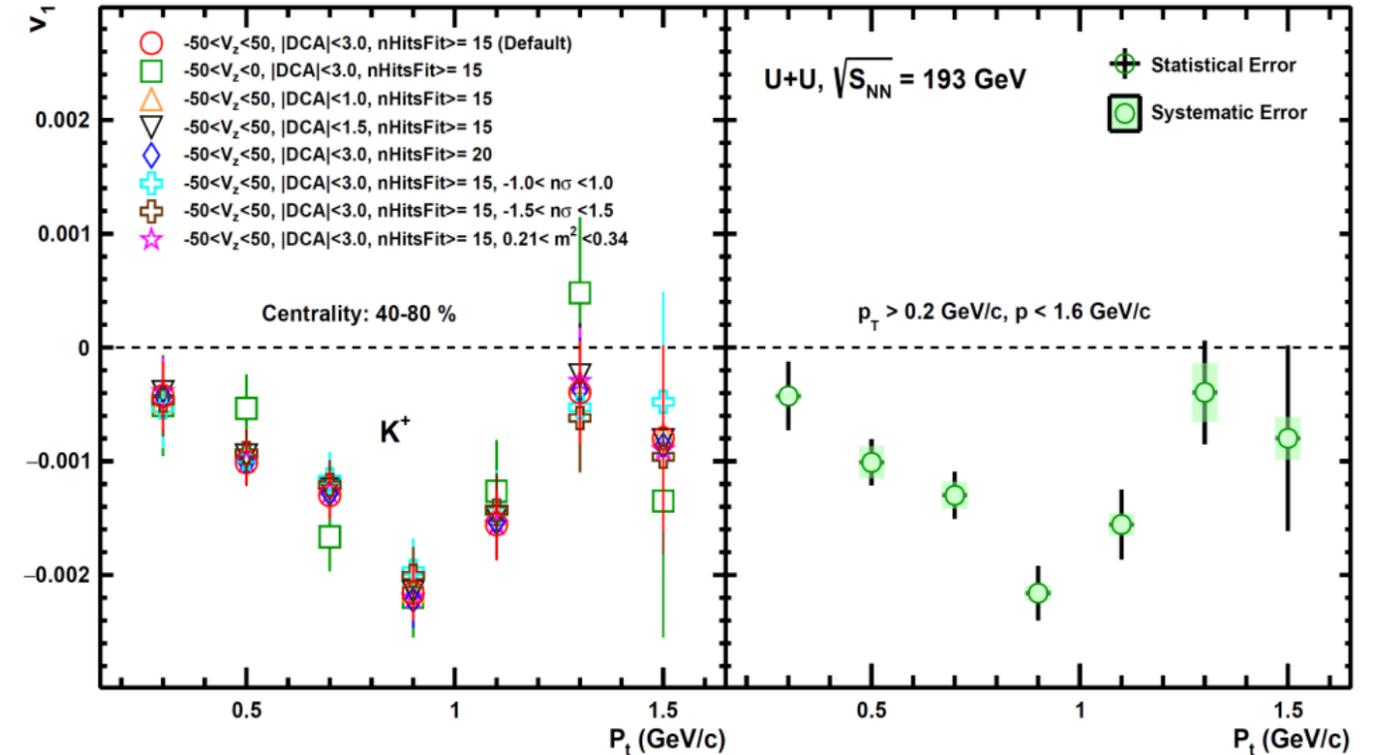
# $p_t$ dependent $v_1$ (Kaon)



### Mid Central (10 -40)%



### Peripheral (40 - 80)%

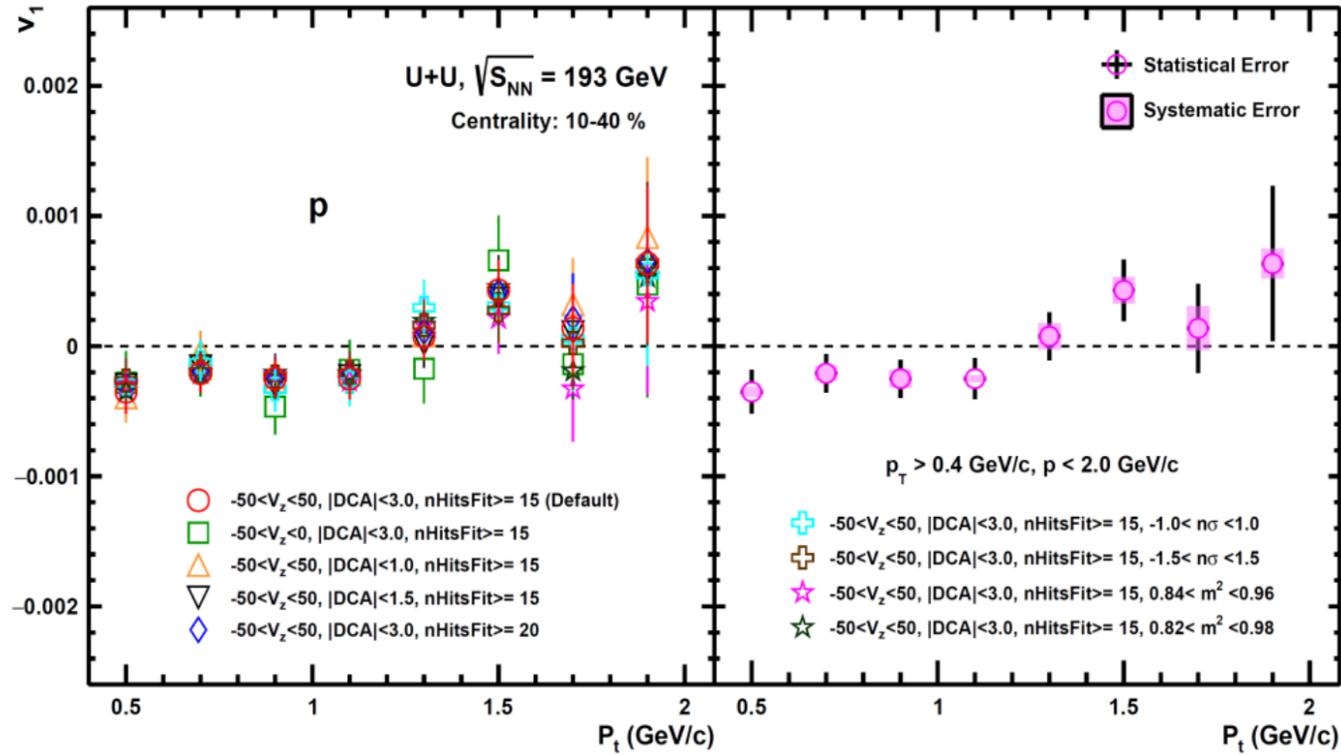




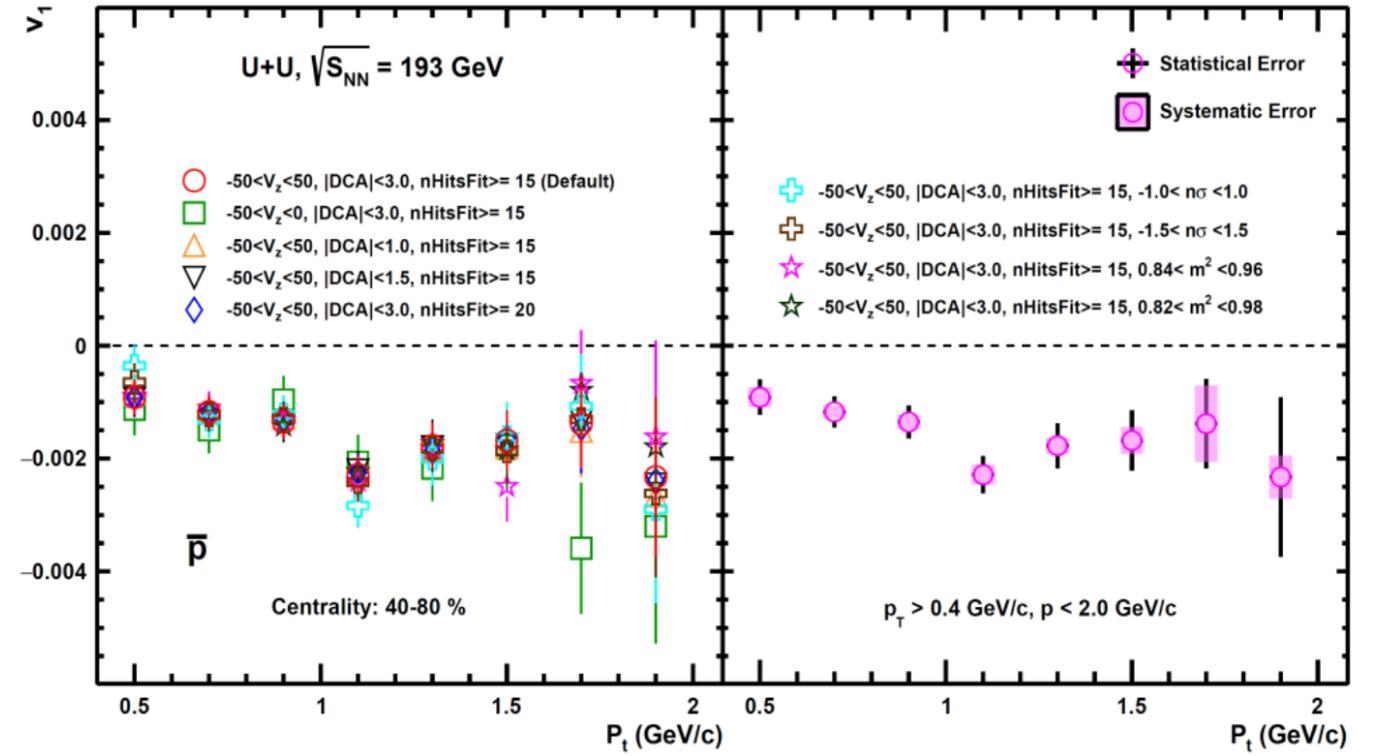
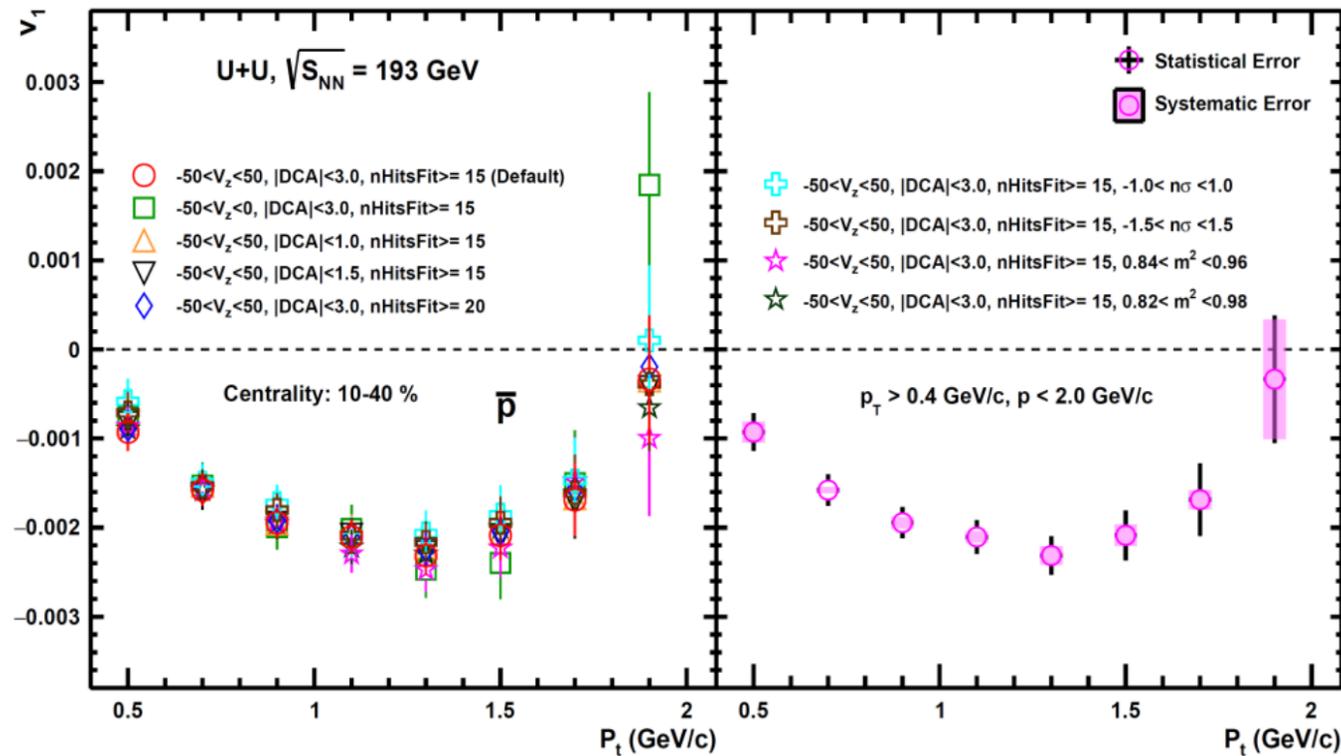
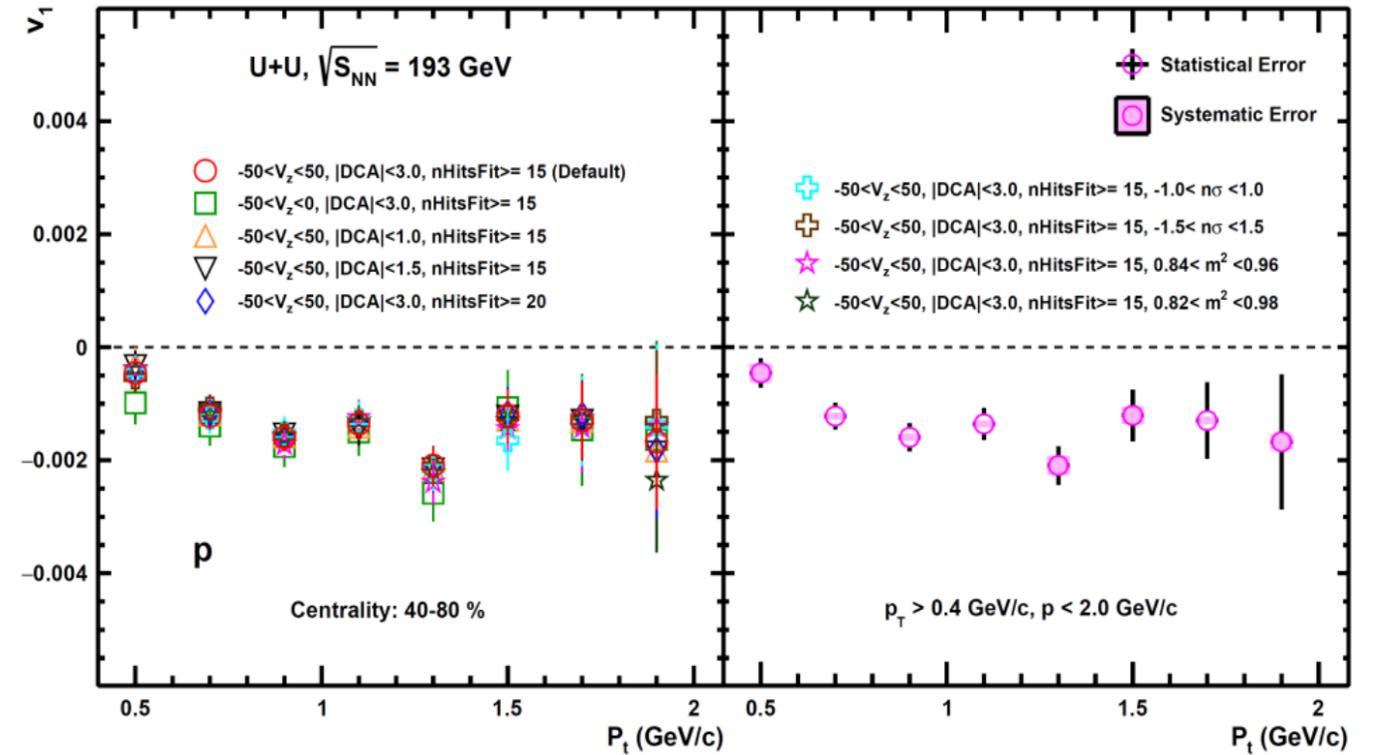
# $p_t$ dependent $v_1$ (Proton)



### Mid Central (10 -40)%



### Peripheral (40 - 80)%

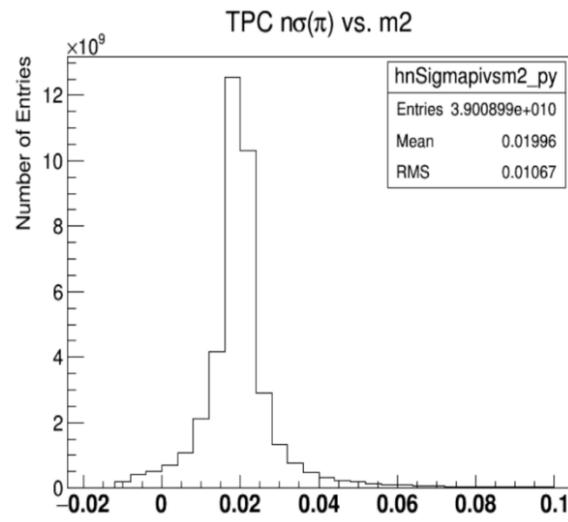




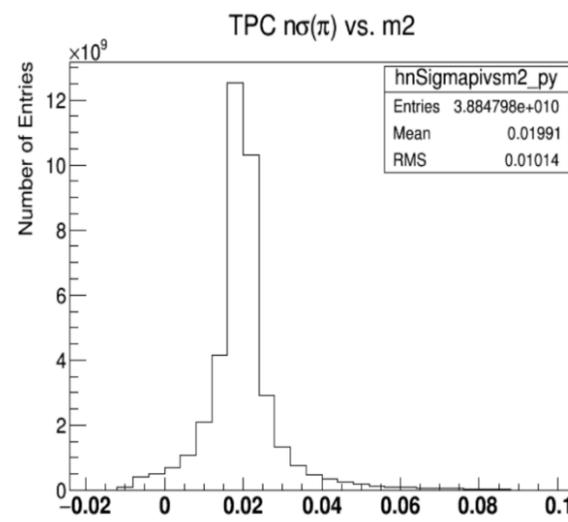
# TOF Mass Square Distribution



**Pion**

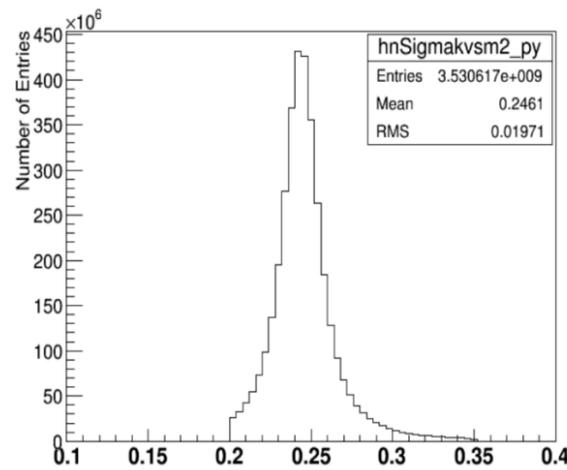


Default: -0.01 – 0.10

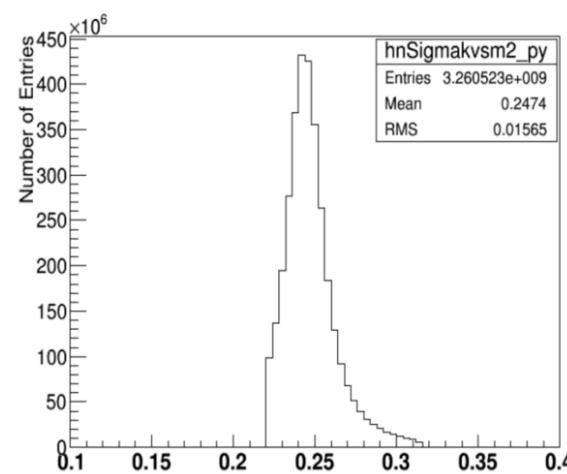


Systematics: -0.009 – 0.09

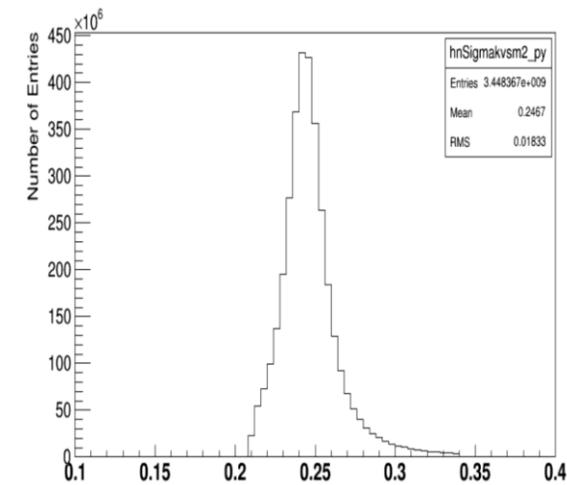
**Kaon**



Default: 0.20 – 0.35

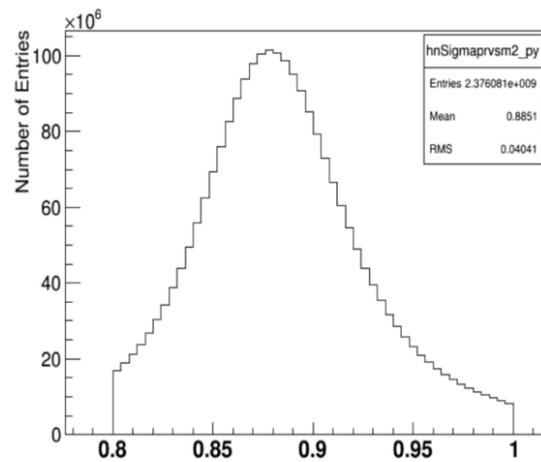


Systematics: 0.22 – 0.315

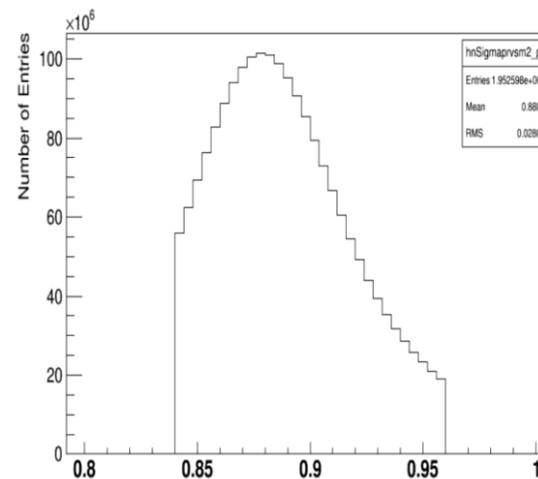


Systematics: 0.21 – 0.34

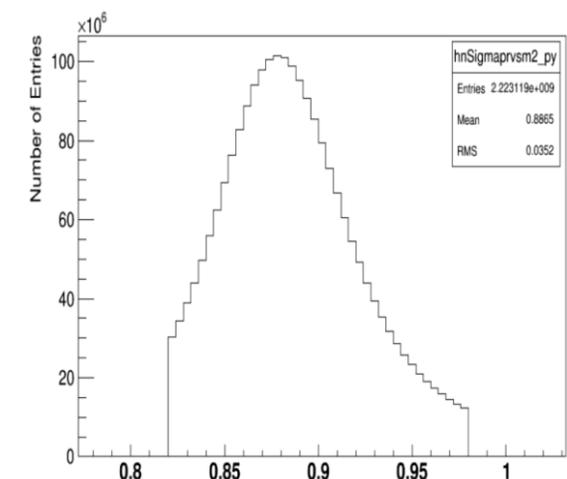
**Proton**



Default: 0.80 – 1.00



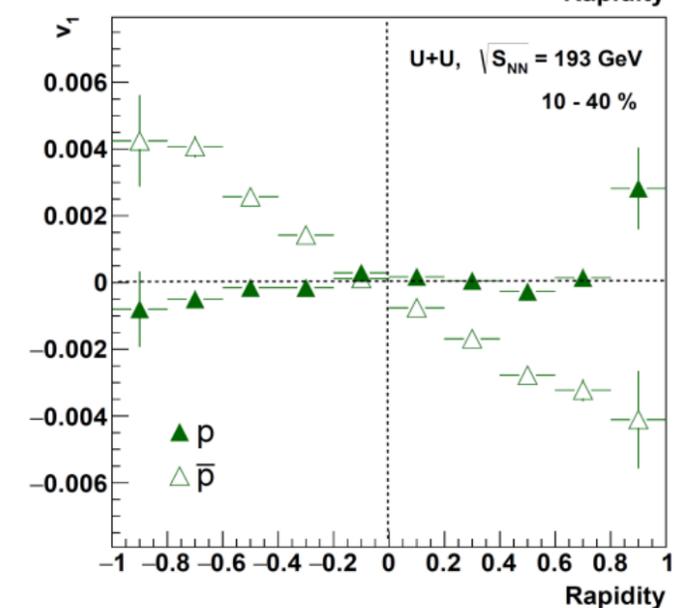
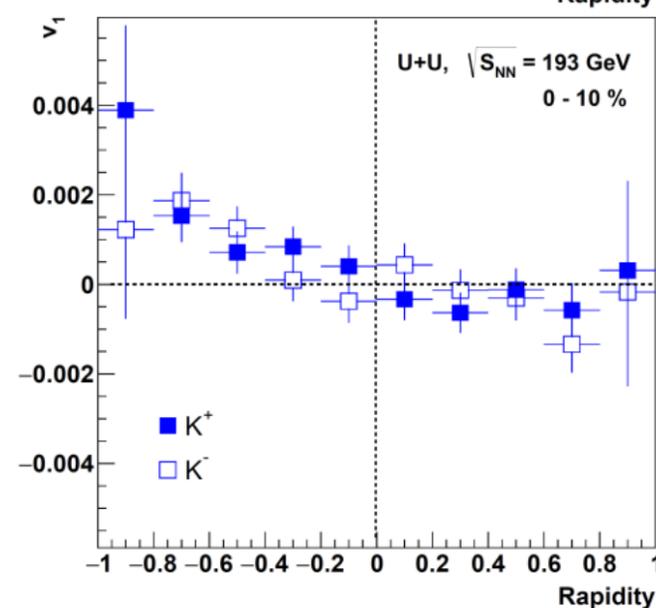
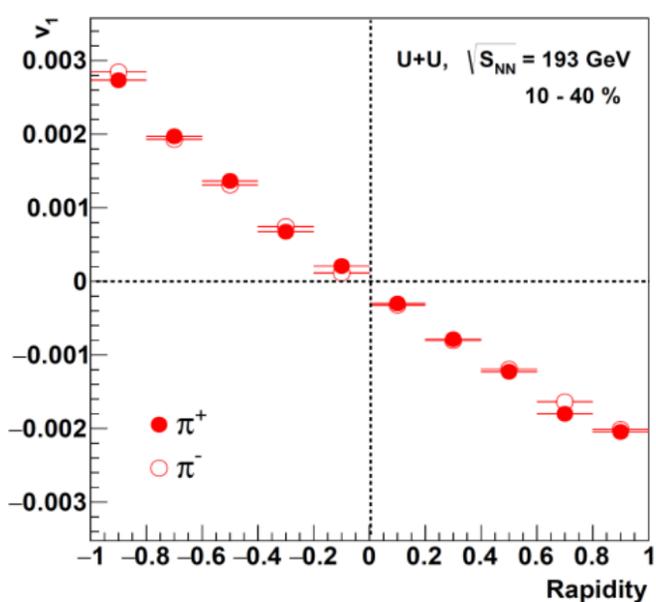
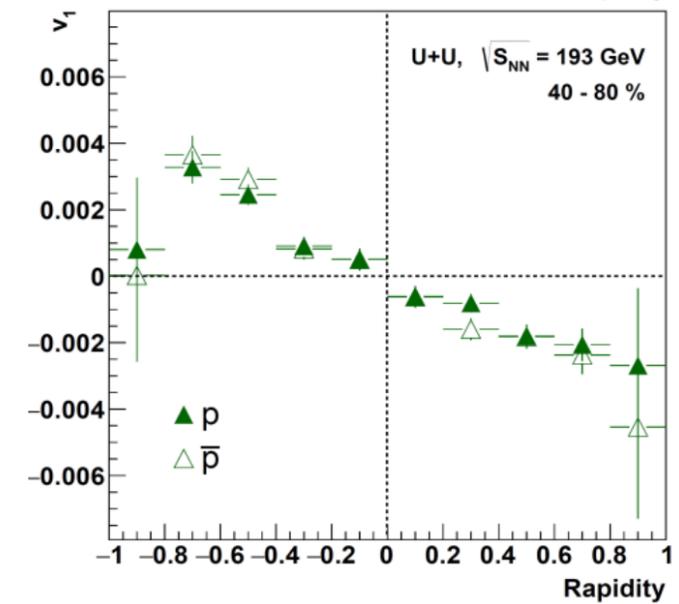
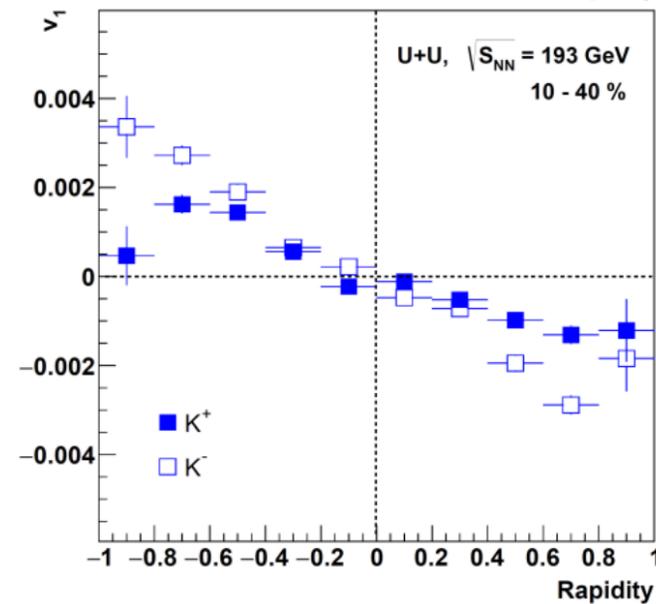
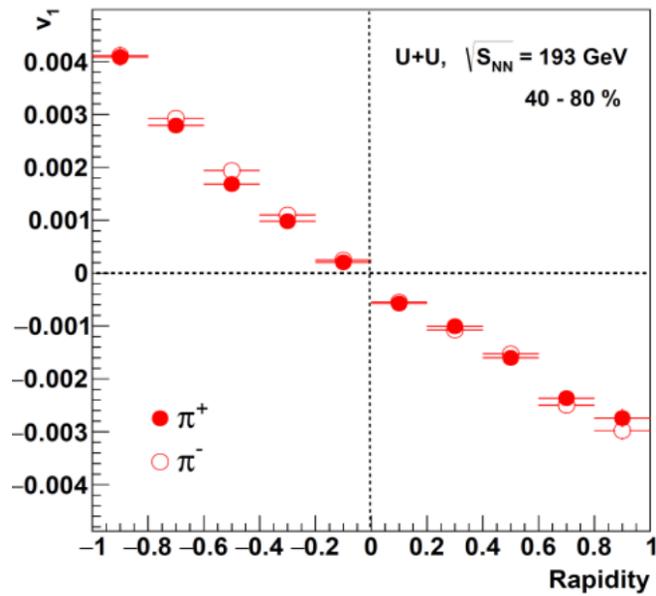
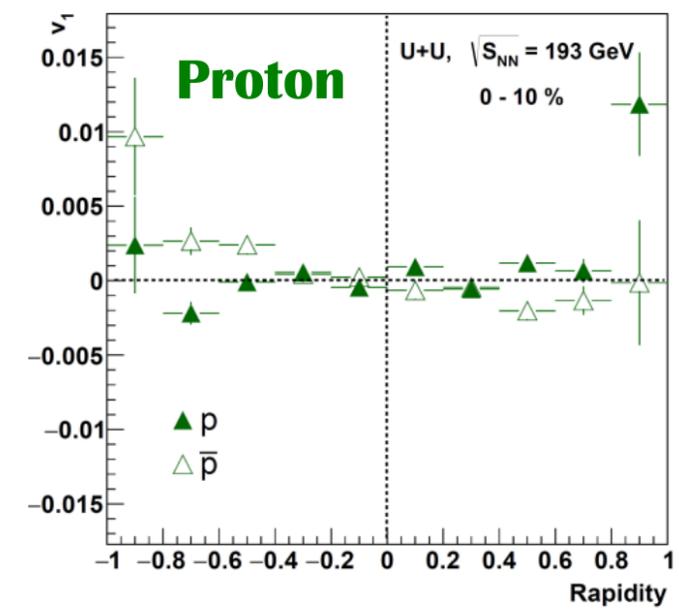
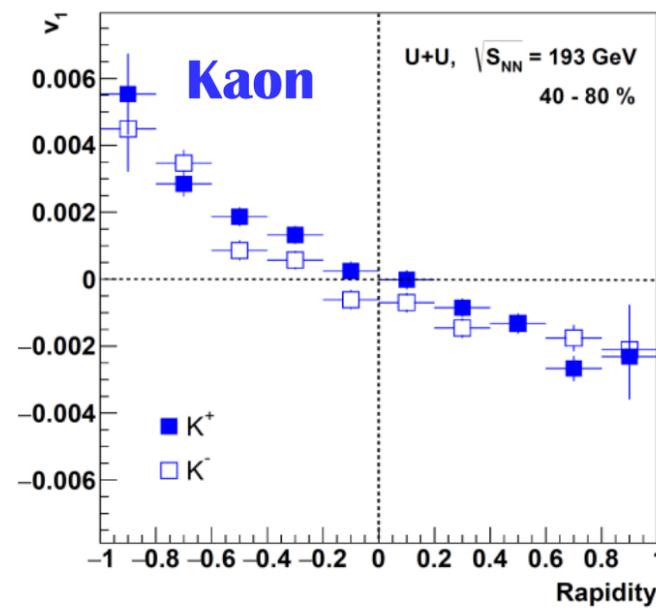
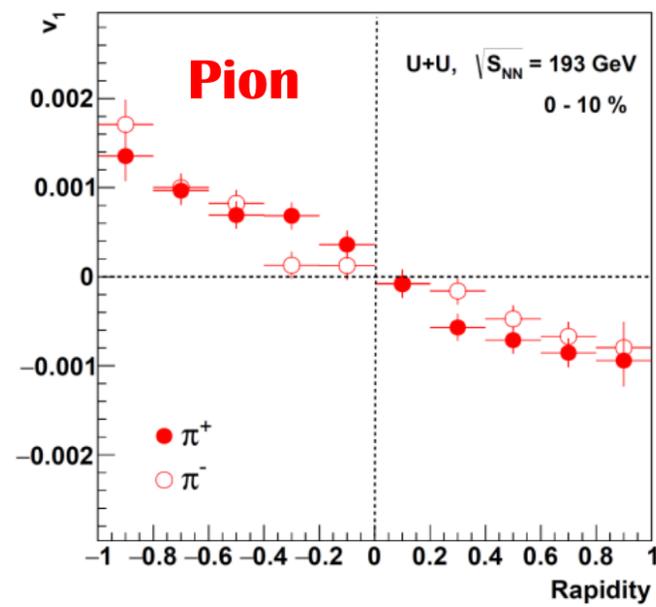
Systematics: 0.84 – 0.96



Systematics: 0.82 – 0.98



# Asymmetry in ( $v_1$ vs $y$ ) Results



- The U+U collision shows Asymmetry in ( $v_1$  vs  $y$ ) results